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Magnetic and Other Properties
of Oxides and Related Compounds

Part a

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Gruppe III: Kristall- und Festkörperphysik

Band 4

Magnetische und andere Eigenschaften
von Oxiden und verwandten Verbindungen

Teil a

J. B. Goodenough · W. Gräper · F. Holtzberg · D. L. Huber
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3 Crystallographic and magnetic properties of perovskite and perovskite-related compounds*)

3.0 Introduction — Einleitung

3.0.1 General remarks — Allgemeines

The perovskites form a family of compounds having a crystal structure similar to that of the mineral perovskite, CaTiO_3 . There are two classes of materials crystallizing with this general structure type: primarily ionic materials having the ideal chemical formula ABX_3 , (A = larger cation, B = smaller cation, X = anion), and alloys having the ideal formula $\text{M}^{\text{c}}\text{XM}^{\text{f}}_3$, (X = interstitial atom, M^{c} and M^{f} are metal atoms). Of these two classes, the former is much larger and the more important.

The stability of the ABX_3 perovskite structure is primarily derived from the electrostatic (Madelung) energy achieved if cations occupy corner-shared octahedra. Thus the first prerequisite for a stable ABX_3 perovskite is the existence of stable, polar octahedral-site building blocks. This, in turn, requires that the B cation have a preference for octahedral coordination and that there be an effective charge on the B cation. Since any A cation must occupy the relatively large anionic interstice created by corner-shared octahedra, a second prerequisite is an appropriate size for the A cation. Where it is too large, the B-X bond length cannot be optimized, and hexagonal stacking with face-shared octahedra becomes competitive. Where the A cation is too small, A-X bonding stabilizes structures having a smaller anionic coordination about the A cation. Thus ABX_3 perovskites are commonly found in fluorides and oxides having B cations with a preference energy for octahedral coordination. By contrast, the chlorides and sulfides, having larger anions, not only require the largest A cations, but also form layer structures, where the A cations are missing, because they have anionic d orbitals energetically available for orbital hybridization.

There are many perovskite-related structures, and these have been included in these tables. For example, the structure can tolerate mixed systems such as $\text{A}_{1-x}\text{A}'_x\text{BX}_3$ and $\text{AB}_{1-x}\text{B}'_x\text{X}_3$, A-cationic vacancies \square as in $\square_{1-x}\text{A}'_x\text{BX}_3$, and cationic ordering as in $\text{A}_2\text{BB}'\text{X}_6$. Although anion-deficient perovskites have been reported many times, the anion vacancies \oplus are probably not distributed randomly. In compounds containing Fe^{3+} ions, for example, they appear to condense in pairs at individual B -site octahedra to convert the local anion interstice from an octahedron to a tetrahedron. In

Die Perowskite sind eine Gruppe von Verbindungen mit der gleichen Kristallstruktur wie das Mineral Perowskit, CaTiO_3 . Man unterscheidet zwei Klassen von Substanzen, die in diesem allgemeinen Strukturtyp kristallisieren: in erster Linie Ionenverbindungen mit der idealen chemischen Formel ABX_3 (A = größeres Kation, B = kleineres Kation, X = Anion) und Legierungen mit der idealen Formel $\text{M}^{\text{c}}\text{XM}^{\text{f}}_3$ (X = Zwischengitteratom, M^{c} und M^{f} = Metallatome). Von diesen beiden Klassen ist die erstere wesentlich umfangreicher und wichtiger.

Die Stabilität der ABX_3 -Perowskitstruktur beruht in erster Linie auf der elektrostatischen (Madelung-) Energie, die dann zustande kommt, wenn Kationen Oktaeder mit gemeinsamen Ecken besetzen. So ist die Existenz von stabilen, polaren Oktaeder-Bausteinen die erste Voraussetzung für ein stabiles ABX_3 -Perowskit. Dies wiederum erfordert, daß das B -Kation die Oktaeder-Koordination bevorzugt und daß beim B -Kation eine effektive Ladung existiert. Da ein jedes A -Kation die relativ große Anionen-Lücke besetzen muß, die zwischen Oktaedern mit gemeinsamen Ecken entsteht, ist die passende Größe des A -Kations die zweite Voraussetzung. Wenn das A -Kation zu groß ist, läßt sich der optimale B-X -Bindungsabstand nicht erreichen, und eine hexagonale Packung von Oktaedern mit gemeinsamen Flächen kann ebenso auftreten. Wenn das A -Kation zu klein ist, ergibt die A-X -Bindung Strukturen mit einer kleineren Anionen-Koordination um das A -Kation. Daher sind ABX_3 -Perowskite gewöhnlich unter den Fluoriden und Oxiden zu finden, in denen die B -Kationen Oktaeder-Koordination energetisch bevorzugen. Dagegen erfordern Chloride und Sulfide, die größere Anionen haben, nicht nur die größten A -Kationen, sondern sie bilden, weil sie anionische d -Elektronenbahnen mit der richtigen Energie für eine Bahn-Hybridisierung haben, auch Schichtstrukturen, bei denen die A -Kationen ganz fehlen.

Es gibt viele dem Perowskit verwandte Strukturen, die in diese Tabellen aufgenommen wurden. Zum Beispiel können gemischte Systeme wie $\text{A}_{1-x}\text{A}'_x\text{BX}_3$ und $\text{AB}_{1-x}\text{B}'_x\text{X}_3$ mit dieser Struktur auftreten, weiter A-Kationenlücken \square wie in $\square_{1-x}\text{A}'_x\text{BX}_3$ und geordnete Kationen wie in $\text{A}_2\text{BB}'\text{X}_6$. Über Perowskite mit Anionenlücken ist schon häufig berichtet worden, vermutlich sind die Anionenleerstellen \oplus nicht willkürlich verteilt. In Verbindungen, die Fe^{3+} -Ionen enthalten, scheinen sie z. B. paarweise im Oktaeder eines einzelnen B -Platzes zusammenzutreffen und die

*) This work was sponsored by the U. S. Air Force.

compounds containing Ti^{4+} ions, on the other hand, it is more probable that local rearrangements of the anions form trigonal bipyramidal sites. Anion-deficient, ionic materials in which there are no A-cations, such as $\square WO_{3-x}$, have been shown to contain $\square BX_3$ blocks connected by "shear" planes across which the occupied octahedra share common edges (Fig. 22). On the other hand, anion deficiencies may occur randomly in the $M^e X_{1-x} M^f_x$ alloys. B-cation defects cannot occur, because the B-occupied octahedra form the basis of the ABX_3 -perovskite structure. Where there are apparent B-cation vacancies, as in $A_m B_{m-1} X_{3m}$, there is either an interleaving of perovskite layers with $A_2 X_2$ layers (Fig. 23) or an interleaving of cubic (perovskite) stacking of AO_3 layers with regularly spaced hexagonal stackings at which are located the B-ion vacancies (Fig. 24). Similarly, the series of compounds $(AX)_m(ABX_3)_n$ crystallize with an interleaving of rocksalt layers (Fig. 25). Interleaving of cubic-stacked AO_3 layers and hexagonal-stacked layers also occurs in ABX_3 compounds having too large an A cation to be accommodated by the perovskite structure (Fig. 3). Finally, there are a few alloys with interesting magnetic properties that can be classified as $A_2 BB' X_6$ compounds if the symbols B and B' are allowed to represent atomic clusters rather than single cations. These are illustrated, for example, by the alloy $Al_2(AlCo_{12})(Co_8)B_6$ (Fig. 18). Sections 3.1 and 3.2 are devoted to descriptions of the perovskite and perovskite-related structures.

The ABX_3 perovskites exhibit several interesting physical properties such as ferroelectricity (as in $BaTiO_3$), ferromagnetism (as in $SrRuO_3$), weak ferromagnetism (as in $LaFeO_3$ or $HoFeO_3$), superconductivity (as in $SrTiO_{3-x}$), a large thermal conductivity due to exciton transport ($LaCoO_3$), insulator-to-metallic transitions of interest for thermistor applications (as in $LaCoO_3$), fluorescence compatible with laser action (as in $LaAlO_3:Nd$), and transport properties of interest for high-temperature thermoelectric power (as in La_2CuO_4). A few ABX_3 perovskites have been found that are simultaneously antiferromagnetic and ferroelectric [Sm16, Mi7, Sm9]. The simultaneous occurrence of ferroelectricity and ferromagnetism has been reported for systems like $Sr_{0.25}La_{0.75}MnO_3-ATiO_3$ ($A = Ba, Pb, Bi_{0.5}K_{0.5}$) [To3, To6]. Many of the $M^e XM^f_3$ perovskite alloys are ferromagnetic or ferrimagnetic, and a few exhibit first-order ferrimagnetic-to-ferromagnetic transitions. Nevertheless, the significance of the entire perovskite family for the field of magnetism*) lies not yet in their technological applications, but in their provision of an isostructural series of compounds having outer d electrons that are localized and spontaneously magnetic in

dortige Anionenlücke von einem Oktaeder in einen Tetraeder umzuwandeln. Bei Verbindungen, die Ti^{4+} -Ionen enthalten, ist es dagegen wahrscheinlicher, daß die lokale Anordnung der Anionen trigonale Doppelpyramiden-Plätze bildet. Für Ionoverbindungen mit Anionenlücken, die keine A-Kationen haben, wie $\square WO_{3-x}$, ist gezeigt worden, daß sie $\square BX_3$ -Blöcke enthalten, die durch „Gleit“-ebenen verbunden sind, in denen die besetzten Oktaeder gemeinsame Kanten innehaben (Fig. 22). In $M^e X_{1-x} M^f_x$ -Legierungen können jedoch Anionenlücken auch beliebig auftreten. B-Kationenlücken können nicht vorkommen, weil die von B besetzten Oktaeder die Basis der ABX_3 -Perowskitstruktur bilden. Wo scheinbare B-Kationenleerstellen auftreten, wie in $A_m B_{m-1} X_{3m}$, sind entweder $A_2 X_2$ -Schichten zwischen Perowskischichten eingeschoben (Fig. 23), oder kubische (Perowskit-) Anordnungen von AO_3 -Schichten wechseln mit regelmäßig verteilten hexagonalen Anordnungen, in denen die B-Ionenlücken auftreten, ab (Fig. 24). Ähnlich kristallisieren die Verbindungen der Reihe $(AX)_m(ABX_3)_n$ mit einer Einschiebung von Steinsalzschichten (Fig. 25). Einschiebungen von kubisch gepackten AO_3 -Schichten und hexagonal gepackten Schichten treten auch in solchen ABX_3 -Verbindungen auf, deren A-Kation für die Perowskit-Struktur zu groß ist (Fig. 3). Schließlich gibt es einige wenige Legierungen mit interessanten magnetischen Eigenschaften, die als $A_2 BB' X_6$ -Verbindungen eingeordnet werden können, wenn man unter den Symbolen B und B' Atomgruppen statt einzelner Kationen versteht. Dies gilt z. B. für die Legierung $Al_2(AlCo_{12})(Co_8)B_6$ (Fig. 18). Die Abschnitte 3.1 und 3.2 sind der Beschreibung der Perowskit- und verwandter Strukturen gewidmet.

Die ABX_3 -Perovskite weisen einige interessante physikalische Eigenschaften auf, wie Ferroelektrizität (in $BaTiO_3$), Ferromagnetismus (in $SrRuO_3$), schwachen Ferromagnetismus (in $LaFeO_3$ oder $HoFeO_3$), Supraleitfähigkeit (in $SrTiO_{3-x}$), große Wärmeleitfähigkeit durch Excitonentransport (in $LaCoO_3$), für Thermistoren interessante Übergänge zwischen Nichtleiter und metallischem Leiter (in $LaCoO_3$), für Laser-Anwendungen geeignete Fluoreszenz (in $LaAlO_3:Nd$), und Transporteigenschaften, die für Thermospannungen bei hohen Temperaturen von Interesse sind (in La_2CuO_4). Einige wenige ABX_3 -Perovskite wurden gefunden, die sowohl ferromagnetisch als auch ferroelektrisch sind [Sm16, Mi7, Sm9]. Das gleichzeitige Auftreten von Ferroelektrizität und Ferromagnetismus wurde bei Systemen wie $Sr_{0.25}La_{0.75}MnO_3-ATiO_3$ ($A = Ba, Pb, Bi_{0.5}K_{0.5}$) [To3, To6] beschrieben. Viele $M^e XM^f_3$ -Perowskitlegierungen sind ferromagnetisch oder ferrimagnetisch, und einige zeigen Übergänge erster Ordnung von Ferri- zu Ferromagnetismus. Trotzdem liegt die Bedeutung der gesamten Perowskit-Familie für den Magnetismus*) noch nicht in der technologischen Anwendung, sondern im Vorhandensein einer isostrukturellen Reihe von Verbin-

*) The technologically important dielectric properties are outside the scope of this summary. See Vol. III/3 of the New Series of Landolt-Börnstein.

*) Die technologisch wichtigen dielektrischen Eigenschaften liegen nicht im Rahmen dieser Zusammenstellung. Siehe Band III/3 der Neuen Serie des Landolt-Börnstein.

one member, collective and spontaneously magnetic in another, and collective and Pauli paramagnetic in yet another. This permits a systematic experimental investigation of the properties of the d electrons on passing through the transition from a localized character, where crystal-field plus superexchange and/or double-exchange theories apply, to an uncorrelated (except below a superconducting transition temperature) collective-electron character, where the conventional band theory applies. In addition, the simplicity of the perovskite ABX_3 structure minimizes competitive magnetic interactions between neighboring magnetic cations. Therefore from a study of magnetic order, as revealed by neutron diffraction, together with detailed structural information, as revealed by x-ray diffraction, it has been possible to test the semi-empirical rules for 180° cation-anion-cation isotropic superexchange interactions between localized electrons, the double-exchange hypothesis, anti-symmetric exchange, and predictions of magnetic order and spontaneous atomic moments due to collective electrons.

Section 3.3 presents the general phenomenological exchange Hamiltonian for localized electrons and summarizes the microscopic models for isotropic superexchange, double exchange, and anti-symmetric exchange. From these models, general rules for the interactions responsible for magnetic order are developed for comparison with the tabulated magnetic data.

Section 3.4 presents the fundamental physical concepts needed to construct a qualitative phase diagram for the outer d electrons as a function of the number n_l of electrons per relevant orbital, the magnitude of a nearest-neighbor transfer energy b , and the temperature T . It also summarizes the various characters of several physical properties imparted by outer electrons to show how they can be used to distinguish the electronic phases in different perovskites. Information from the tabulated data is used to show the influence of covalence and intra-atomic exchange, which help determine the parameter b , on the character of the electrons. Spontaneous collective-electron magnetism is seen to occur only in a narrow transitional interval of b between localized-electron magnetism and collective-electron Pauli paramagnetism.

Section 3.5 provides schematic energy diagrams for the alloys $M^eX M_f^f$. These are shown to be useful guides to predictions of the magnitudes of the atomic moments and the magnetic order.

dungen mit äußeren d -Elektronen, die lokalisiert und spontan magnetisch in der einen Verbindung, kollektiv und spontan magnetisch in einer anderen, und kollektiv und Pauli-paramagnetisch in noch einer weiteren sind. Dies erlaubt systematische experimentelle Untersuchungen der Eigenschaften der d -Elektronen, indem man von einem lokalisierten Zustand, in dem Kristallfeld plus Superaustausch- und/oder Doppelaustausch-Theorien gelten, zu einem Zustand unkorrelierter Kollektivelektronen (außer bei Temperaturen unterhalb des Übergangs zur Supraleitung) übergeht, in dem die konventionelle Bändertheorie anzuwenden ist. Weiterhin führt die Einfachheit der Perowskit- ABX_3 -Struktur zu minimalen konkurrierenden Wechselwirkungen zwischen benachbarten magnetischen Kationen. Aufgrund der Untersuchung der magnetischen Ordnung, die man durch die Neutronenbeugung kennt, und einer genauen Kenntnis der Struktur, wie man sie durch Röntgenbeugung gewonnen hat, war es deshalb möglich, die halb-empirischen Gesetze über die isotrope 180° -Kation-Anion-Kation-Superaustausch-Wechselwirkung zwischen lokalisierten Elektronen, die Doppelaustausch-Hypothese, den antisymmetrischen Austausch und Voraussagen für magnetische Ordnung und spontane Atom-Momente, die von Kollektivelektronen herrühren, zu prüfen.

Der Abschnitt 3.3 enthält den allgemeinen phänomenologischen Hamilton-Austausch-Operator für lokalisierte Elektronen und faßt die mikroskopischen Modelle für den isotropen Superaustausch, den Doppelaustausch und den antisymmetrischen Austausch zusammen. Aus diesen Modellen werden allgemeine Regeln für die Wechselwirkungen, die für die magnetische Ordnung verantwortlich sind, zum Vergleich mit den tabellierten Daten entwickelt.

Der Abschnitt 3.4 enthält die grundlegenden physikalischen Ideen, die für die Herstellung eines qualitativen Phasendiagramms für die äußeren d -Elektronen als Funktion der Elektronenzahl n_l pro betreffenden Bahnzustand, der Größe einer Übertragungsenergie b zwischen nächsten Nachbarn und der Temperatur T notwendig sind. Außerdem werden hier verschiedene Charakteristika einiger durch die äußeren Elektronen gegebenen physikalischen Eigenschaften zusammengestellt, um zu zeigen, wie man mit ihrer Hilfe die elektronischen Phasen verschiedener Perowskite unterscheiden kann. Auf Grund der tabellierten Werte wird der Einfluß von Kovalenz und intra-atomarem Austausch, die den Parameter b mitbestimmen, auf den Charakter der Elektronen gezeigt. Spontane Magnetisierung der Kollektivelektronen tritt, wie man sieht, nur in einem schmalen Übergangsintervall von b zwischen dem Magnetismus lokalizierter Elektronen und dem Pauli-Paramagnetismus der Kollektivelektronen auf.

Der Abschnitt 3.5 enthält schematische Energiediagramme für die Legierungen $M^eX M_f^f$. Es wird gezeigt, daß sie zu brauchbaren Voraussagen über die Größe der Atom-Momente und die magnetische Ordnung führen können.

In the introductions to the sections 3.2 ··· 3.5 we have referenced the principle theoretical contribution discussed, but no attempt was made to do this systematically for the experimental contributions, which are thoroughly referenced in the tables. — In the crystallographic tables, the crystal parameters quoted either represent the most complete analysis, in our judgment, or belong to the most complete set of parameters for a series of similar compounds. They do not necessarily represent the historical reference that established the unit-cell dimensions.

Literature was considered up to 1969.

Finally, we would like to thank DAVID MAHONEY for his willing assistance, the library and publications personnel of Lincoln Laboratory for their efficient support, and Mrs. G. E. BOYD for her help with all the foreign references.

In den Einleitungen zu den Abschnitten 3.2 ··· 3.5 haben wir die grundlegenden theoretischen Beiträge, die diskutiert werden, mit Literaturhinweisen versehen; für die experimentellen Beiträge haben wir dies nicht systematisch durchzuführen versucht, da die entsprechenden Tabellen vollständig mit Literaturhinweisen versehen sind. — In den kristallographischen Tabellen stellen die angeführten Kristallparameter entweder die nach unserer Beurteilung vollständigste Analyse dar, oder sie gehören zum vollständigsten Satz von Parametern für eine Reihe ähnlicher Verbindungen. Sie geben nicht notwendigerweise den historischen Literaturhinweis, der die Dimensionen der Einheitszelle festlegte.

Die Literatur wurde bis 1969 berücksichtigt.

Schließlich möchten wir DAVID MAHONEY für seine bereitwillige Hilfe, den Angestellten der Bibliothek und der Veröffentlichungsabteilung des Lincoln-Laboratoriums für ihre wirksame Unterstützung und Mrs. G. E. BOYD für ihre Hilfe bei der ausländischen Literatur danken.

3.0.2 Symbols and units used in tables and figures

Crystallographic structure

symmetry	symmetry classification for perovskite structures: C = cubic, H = hexagonal, R = rhombohedral, O = orthorhombic ($a < c/\sqrt{2}$), O' = orthorhombic ($c/\sqrt{2} < a$), T = tetragonal, M = monoclinic, Tr = triclinic
lattice parameters	angle between crystallographic axes
$a, b, c [\text{\AA}]$	crystallographic transition and ordering temperatures
$\alpha, \beta, \gamma [\text{deg}]$	Debye temperature
$\Theta_{\text{trans}}, \Theta_{\text{ord}} [\text{^\circ K}]$	melting temperature
$\Theta_D [\text{^\circ K}]$	elastic constants
$T_{\text{melt}} [\text{^\circ K}]$	crystalline strains
c_{ij}	radius of A, B, B' cation
ϵ_i	
$r_{A,B,B'} [\text{\AA}]$	

Magnetic properties (static measurements)

magnetic order	see magnetic structure type from Fig. 26
n_A, n_B^A	atomic moment and component of atomic moment parallel to net ferromagnetic moment in numbers of Bohr magnetons: $p_A = n_A \mu_B$
\bar{n}_m	net magnetization per molecule in numbers of Bohr magneton: $p_m = \bar{n}_m \mu_B$
n_{eff}	$n_{\text{eff}} = \sqrt{8C_m}$ is the effective paramagnetic moment: $p_{\text{eff}} = n_{\text{eff}} \mu_B$
$\Theta_C [\text{^\circ K}]$	Curie temperature
$\Theta_N [\text{^\circ K}]$	Néel temperature; extrapolated Néel temperature
$\Theta_r [\text{^\circ K}]$	temperature for spin reorientation
$\Theta_p [\text{^\circ K}]$	paramagnetic Curie temperature ($\Theta_p < 0$ if antiferromagnetic coupling)
$\Theta' [\text{^\circ K}]$	temperature below which parasitic n_B^A deviates appreciably from 0.05
$C_m [\text{emu} \cdot \text{^\circ K} \cdot \text{mole}^{-1}]$	molar Curie constant determined from Curie-Weiss law $\chi_m = C_m/(T - \Theta_p)$
$\chi_g [\text{emu/g}, [\text{cm}^3/\text{g}]]$	specific paramagnetic susceptibility
$\chi_m [\text{emu/mole}]$	molar paramagnetic susceptibility
$p_A, p^A [\mu_B]$	atomic moment, atomic moment of element A
$p_m, p^{(xy)}$	molecular moment (of molecule xy)
p^*	effective paramagnetic moment: $p^* = \sqrt{\chi_m T}$
$J_{nn}/k [\text{^\circ K}]$	isotropic exchange constant of Eq. (16) for near-neighbor interactions
d	Ln-Fe interaction parameter defined by
$\sigma_w [\text{erg/cm}^2]$	$M(t) = \sigma_0(0) B(t) [1 + (d/t)]$, where $t = T/\Theta_C$ and B(t) is the Brillouin function
W_{nn}	domain wall energy density
	net near-neighbor Weiss molecular field constant: $H_{\text{wl}} = \sum_{j=1}^z W_{ij} M_j$

σ	{ [Gauss cm ³ /g] { [emu/g]	magnetic moment per gram = specific magnetization
σ_0	[emu/g]	specific parasitic (weak) magnetization as obtained from $\sigma = \sigma_0 + \chi_e H_a$
σ_{sp}		spontaneous specific magnetization
H_a	[Oe]	externally applied field
H_{crit}	[Oe]	critical applied field for antiferromagnetic-ferromagnetic transition or for spin-flop transition
H_c		coercivity
α		cant angle
b_1, b_2	[dyn/cm ²]	magnetoelectric coefficients
λ_{100}		magnetostriction constant for [100] direction: $\lambda_{100} = -4b_1/3(c_{11} - c_{12})$
C_{ijk}		components of the tensor describing the quadratic dependence of magnetization on applied field: Eq. (36)
μ_B		the Bohr magneton = 5585 cmu/g
T	[erg/g]	torque: $T = \sigma \times H_a$

Magnetic properties (resonance measurements)

H_A	effective crystalline-anisotropy field
H_{ex}	exchange field
H_D	spin-canting field (Dzialoshinskii field)
H_{int}	internal magnetic field at the nucleus
H_n	axial hyperfine field arising from nuclear polarization
H_{hyp}	hyperfine field $\mathbf{I} \cdot \mathbf{A} \cdot \mathbf{S}$, where \mathbf{I} = nuclear spin, \mathbf{S} = net atomic spin, and the components of the interaction tensor are $A_s, A_{ns}, A_\sigma, A_\pi, A_{2p}$.
$f_s^A, f_\sigma^A, f_\pi^A$	fraction of unpaired s, p_σ or p_π electron spins involved in covalent bonding: $f_s^A = 2SA_s/A_{ns} = \frac{1}{3}N_e^2\lambda_s^2, f_\sigma^A = 2SA_\sigma/A_{2p} = \frac{1}{3}N_e^2\lambda_\sigma^2, f_\pi^A = 2SA_\pi/A_{2p} = \frac{1}{4}N_t^2\lambda_\pi^2$. See Eq. (4) for $N_e, N_t, \lambda_s, \lambda_\sigma, \lambda_\pi$.
$\epsilon, \Delta E$	nuclear quadrupole coupling constant and quadrupole splitting
F_{ij}, G_{ij}	dipolar and quadrupolar magnetoelastic coefficients: $\delta g_i = \sum_{j=1}^6 F_{ij}\epsilon_j$ and $d_i = \sum_{j=1}^6 G_{ij}\epsilon_j$, where $\mathcal{H}_{\text{spin-lattice}} = \mu_B \mathbf{H}_a \cdot \delta \mathbf{g} \cdot \mathbf{S} + \mathbf{S} \cdot \mathbf{d} \cdot \mathbf{S}$
ν_R [Hz]	resonance frequency for NMR
$\Delta\nu$ [Hz]	half-line width
T_1 [sec]	nuclear spin-lattice relaxation time
T_2 [sec]	nuclear spin-spin relaxation time
T_{1e} [sec]	nuclear spin-lattice relaxation time during a locking pulse

Optical measurements

n	index of refraction
ϵ_0	low-frequency dielectric constant
ϱ [$^{\circ}/\text{cm}$]	Faraday rotation
ν_{TO}, ν_{LO} [Hz]	frequency of transverse and longitudinal optical modes

Transport measurements

Θ_{cs}	superconducting critical temperature
E_F	Fermi energy
E_a	activation energy for a small-polaron hop
ρ [Ωcm]	electrical resistivity
S [$\mu\text{V}/^\circ\text{K}$]	Seebeck coefficient
e [esu]	magnitude of the electronic charge
c, n_i, n_\pm [cm^{-3}]	charge-carrier density
μ [cm^2/Vsec]	charge-carrier mobility
τ [sec]	charge-carrier collision time
m^* [g]	charge-carrier effective mass
D_0 [cm^2/sec]	charge-carrier diffusion coefficient at $E_a = 0$
N_\pm	density of unoccupied states: $2(2\pi m_\pm^* k T/h^2)^{3/2}$

General properties

T [$^\circ\text{K}$]	temperature
p	pressure
c_p	specific heat at constant pressure

Abbreviations for text and indices

AFMR	antiferromagnetic resonance
APR	acoustic paramagnetic resonance
BPW	Bethe-Peierls-Weiss method
C, cub	cubic
DS	Danielson-Stevens method
DTA	differential thermal analysis
ESR	electron spin resonance = paramagnetic resonance
f.c.	face-centered permutation
FMR	ferromagnetic resonance
F _R	ferromagnetic with reduced n_A
H, hex, hex (nL)	hexagonal, hexagonal n-layer structure
I.R.	infrared
Ln	Lanthanon = any of the rare-earth elements
MF	molecular field approximation
M, mon	monoclinic
NAR	nuclear acoustic resonance
NMR	nuclear magnetic resonance
ncub	noncubic
O, O', orth	orthorhombic (O: $a < c/\sqrt{2}$; O': $c/\sqrt{2} < a$)
P&S	reference to preparation and structural information
Prep.	reference to material preparation
Prop.	reference to material properties
pscub	pseudocubic
psmon	pseudomonoclinic
R, rh	rhombohedral
RW	Rushbrooke-Wood method
S. G.	space group
S.S.	solid solution
T, tetr	tetragonal
Tr, tr	triclinic

3.1 Descriptions of stoichiometric ABX_3 and $\text{M}^{\text{c}}\text{XM}^{\text{f}}_3$ structures

3.1.1 The ideal perovskite structure

The ideal perovskite structure has the cubic unit cell of Fig. 1 with space group Pm3m. Fig. 1(a) shows the corner-sharing octahedral units (BX_3 array in ABX_3 and XM^{f}_3 array in $\text{M}^{\text{c}}\text{XM}^{\text{f}}_3$), which form the stable skeleton of the structure. The A cation (or M^{c} atom) occupies the body-center position. Fig. 1(b) shows the unit cell with the A cation (or M^{c} atom) at the origin, or corner position. This shows the face-centered-cubic character (with Cu_3Au -type order) of the AX_3 or $\text{M}^{\text{c}}\text{M}^{\text{f}}_3$ subarrays. Fig. 1(c) shows the cubic perovskite on an hexagonal basis, with the c axis along the cubic [111] direction. The alternate AX_3 and B ionic layers each have cubic stacking. Also indicated is the ordering of B and B' layers in the ordered $\text{A}(\text{B}_{2/3}\text{B}_{1/3})\text{X}_3$ structures.

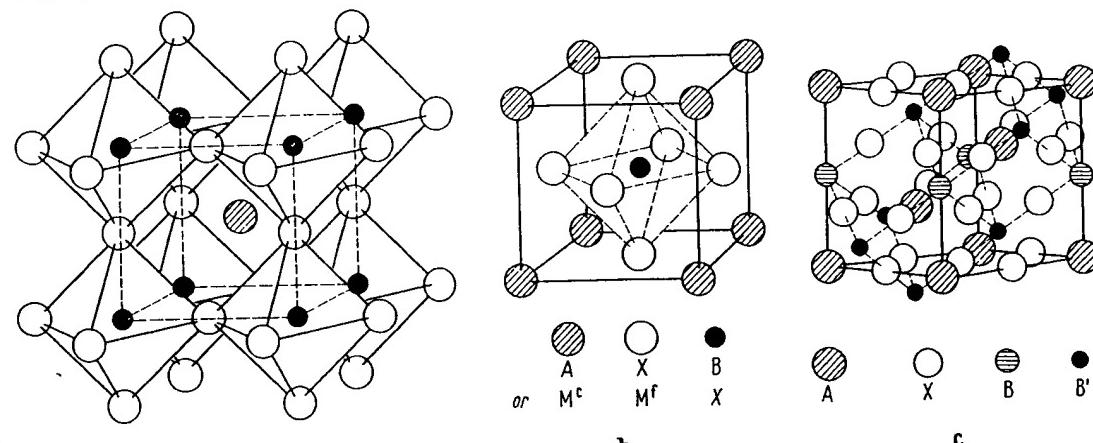


Fig. 1. ABX_3 , $\text{M}^{\text{c}}\text{XM}^{\text{f}}_3$. Ideal perovskite structure: a) B cation (or X atom) at origin. b) M^{c} atom (or A cation) at origin. c) A cation at origin in hexagonal basis [Ga10].

The alloys M^cXMF₃ are stabilized by covalent M-X bonding and by metallic M-M bonding, so that they are generally cubic. Only in phases exhibiting complex magnetic order are there distortions to lower symmetry. On the other hand, the ABX₃, perovskites, which are primarily stabilized by the Madelung energy, are rarely cubic at normal temperatures. Madelung energy calculations are available [Ro15a, Sa2b, Mi1].

Although cubic at high temperatures, most ABX₃ compounds exhibit distortions to lower symmetry below some temperature Θ_{trans} as a result of atomic displacements. Such displacive transitions can be described by a finite set of normal vibrational modes that become soft, their vibrational frequency increasing with $T > \Theta_{\text{trans}}$. From LANDAU's [La2] theory of phase transitions, it may be argued [Ha1, Co2] that at a second-order displacive transition, the frequency of one normal mode becomes zero. Thus the occurrence of ferroelectricity in perovskite-type crystals such as BaTiO₃ has been correlated both theoretically and experimentally [An2, Co1, Ba17, Co28, Ne8, Sh26] with the existence of a transverse optic mode of lattice vibration having wave number $k \approx 0$ and a temperature-dependent frequency $\omega \sim (T - \Theta_{\text{trans}})^{1/2}$.

Similarly, in the case of LaAlO₃, softening of a single normal mode can produce the R̄3c-to-cubic transition, and this transition is probably second-order. Investigation [Ha1] of the atomic displacements involved in other distortions from cubic symmetry, on the other hand, has shown that several normal modes are involved, and these displacive transitions are first-order.

SrTiO₃ exhibits a tetragonal (D_{4h}¹⁸ with $c/a = 1.00056$) to cubic transition at $\Theta_{\text{trans}} = 110$ °K [Ly2, Ri5] that appears to illustrate the softening of a triply degenerate phonon at the R point of the Brillouin zone in the cubic phase. For $T < \Theta_{\text{trans}}$, it splits into two zone-center phonons having a frequency dependence $\omega \sim (\Theta_{\text{trans}} - T)^{0.31}$ [Fl2]. In the presence of an external electric field E_a , the symmetry is further reduced to C_{4v} if $E_a \parallel c$ -axis, or C_{2v} if $E_a \perp c$ -axis, and the critical modes have the same symmetry as the ferroelectric TO modes. "Anticrossing" of the modes occurs for $E_a = 1.5$ kV/cm and 15 kV/cm [Ne7, Wo19]. Thus the observed [He5] maximum in the electric susceptibility of SrTiO₃ at very low temperatures does not appear to be associated with a ferroelectric transition.

Theoretical interest in the analytic description of these phase transitions continues [Go1a, Mu4a, Ta14a, Th3].

The physical origins of the various crystallographic distortions may be separated into three parts: relative ionic sizes, electron ordering among localized electrons, and electron ordering among collective electrons.

3.1.2 The influence of relative ionic sizes

3.1.2.1 Tolerance factor

The first prerequisite for a stable perovskite structure is the existence of a stable BX₃ skeletal subarray. If the B-cation radius is $r_B < 0.51$ Å in oxides, for example, the B cation does not achieve its optimum B-O separation in an octahedral site and therefore stabilizes a structure with a smaller anion coordination. The Al³⁺ ion is borderline, being stable in four, five or six coordination. However, Ga³⁺, Ge⁴⁺ and V⁵⁺ ions are definitely more stable in tetrahedral sites at ambient pressures.

Given the BX₃ skeletal subarray, additional stabilization is achieved by accommodating a large A cation within this skeleton. Because there is an optimum A-X bond length, the presence of an A atom generally distorts the BX₃ array so as to optimize the A-X bonding. However, if this distortion is too large, then other space groups become competitive. GOLDSCHMIDT [Go2] defined the tolerable limits on the size of the A cation via a tolerance factor

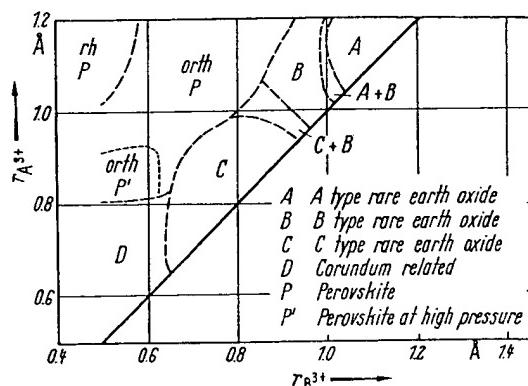
$$t = (r_A + r_X)/\sqrt{2}(r_B + r_X) \quad (1)$$

where r_A , r_B , r_X are empirical radii of the respective ions. By geometry, the ideal cubic structure should have $t = 1$. The perovskite structure occurs only within the range $0.75 < t < 1.00$. However, this is not a sufficient condition, since the A and B cations must, in themselves, be stable in twelvefold (12 or 8 + 4 or 6 + 6) and sixfold coordinations. This sets lower bounds for the cationic radii. In oxides these bounds are $r_A > 0.90$ Å and $r_B > 0.51$ Å. In addition, MEGAW [Me5] noted that, if $0.75 < t < 0.9$, a cooperative buckling of the corner-shared octahedra to optimize the A-X bond lengths enlarges the unit cell; on the other hand, if $0.9 < t < 1$, such buckling may not be found, although small distortions to rhombohedral symmetry occur. These structures are to be distinguished from perovskites that exhibit additional distortions as a result of electron ordering. The cubic phase is found at high temperatures or where the A-X bond is more ionic (especially if $t \approx 1$).

Where the A cation is too small ($r_A < 0.9$ Å) to accommodate twelve nearest neighbors, a structure in which the A and B cations are both six-coordinated becomes competitive. From the phase diagram of Fig. 2 for the oxides A³⁺B³⁺O₃, which has been adapted from SCHNEIDER, ROTH, and WARING [Sc13], the initial competition is the C-M₂O₃ structure, which contains two unusual types of corner-shared, six-coordinated sites. The C-M₂O₃ structure consists of a face-centered-cubic array of cations with anions occupying $\frac{1}{4}$ of the tetrahedral interstices in an ordered manner. Thus each cation has six out of eight near-neighbor anions at the corners of a circumscribing cube: $\frac{1}{4}$ of the cations have two anions missing at the ends of a body diagonal and $\frac{1}{4}$ of the cations have two anions missing at the end of a face diagonal of the circumscribing cube. This arrangement minimizes the electrostatic repulsive forces between the cations.

3.1 ABX₃ perovskite structure

Fig. 2. General $r_A - r_B$ phase diagram for $A^{3+}B^{3+}O_3$ compounds based on ionic-size considerations. Exceptions may occur where considerations other than ionic radii r_A, r_B become important, as in the case $A = Bi$. A similar plot for $A^{2+}B^{4+}O_3$ perovskites is not useful because secondary considerations are amplified by ferroelectric distortions and the possibility of different layer sequences where larger A cations are present. [Adapted from Sc13].



Given smaller A cations, however, electrostatic screening between face-shared octahedra can be achieved by displacements of the cations away from the shared face, and the structure competitive with perovskite is generally built from an hexagonal-close-packed anion array, which has octahedral holes sharing common faces along the *c*-axis. With one octahedral hole per anion and a cation/anion ratio 2/3, the cations are ordered among these holes so as to minimize the electrostatic energy. If the A and B cations carry the same charge, as in $A^{3+}B^{3+}O_3$, only pairs of cations share common octahedral-site faces and there is no ordering of A and B within the cationic array. This allows the electrostatic force between two cations sharing a common octahedral face to be reduced by displacements of the cations away from each other, thus distorting the octahedra. The result is the corundum structure of Al_2O_3 . If the cations A and B carry different charges, as in $A^{2+}B^{4+}O_3$, then the A and the B cations order into alternate puckered cationic (111) planes of the rhombohedral corundum structure to form the ilmenite structure. However, where there is a large difference in the cationic charges, as in $Li^+Sb^{5+}O_3$ and $Li^+Nb^{5+}O_3$, two other alternatives become competitive: (1) The A^+ ions order in strings of face-shared octahedra so as to permit the B^{5+} -ion octahedra to share only edges with near-neighbor occupied octahedra. This structure is illustrated by $LiSbO_3$ [Ed1]. (2) After ordering B^{5+} and Li^+ ions whithin each cationic (111) plane of the corundum structure in such a way that B^{5+} and Li^+ ions share common octahedral-site faces, each A^+ cation is then displaced into the far face of its octahedron, where it is equally spaced from B^{5+} cations above and below so long as the B^{5+} cations remain in the centers of their octahedra. This is the structure of paraelectric $LiNbO_3$ and $LiTaO_3$ [Ab3].

Where the A cation is too large ($t > 1.0$), the close-packed AX_3 layers of Fig. 1(c) tend to change their stacking sequence from cubic to hexagonal. However, the change from the all-cubic stacking of the rhombohedral perovskite structure to the all-hexagonal stacking of the hexagonal (hex. 2L) $CsNiCl_3$ structure goes via the three intermediate steps shown in Fig. 3 [Lo1]. The first step is the hexagonal $BaTiO_3$ structure of Fig. 3(c). It is a six-layer structure with stacking sequence *a-b-c-a-c-b-a*, corresponding to one hexagonal stacking out of three. In this structure (hex. 6L), two-out-of-three B cations form pairs sharing a common octahedral-site face, and one-out-of-three B cation shares only common octahedral-site corners as in the perovskite structure. Many ordered compounds $A_xB_2B'_{3-x}O_9$ are known to have this structure. The second step, illustrated by the hexagonal $BaMnO_3$ structure of Fig. 3(d), alternates hexagonal and cubic stackings with the sequence *a-b-c-b-a*. This four-layer structure (hex. 4L), contains only B-cation pairs sharing common octahedral-site faces. The electrostatic forces between paired B-cations in Figs. 3(c), (d) displace the paired cations from one another along the *c* axis, exactly as in the corundum

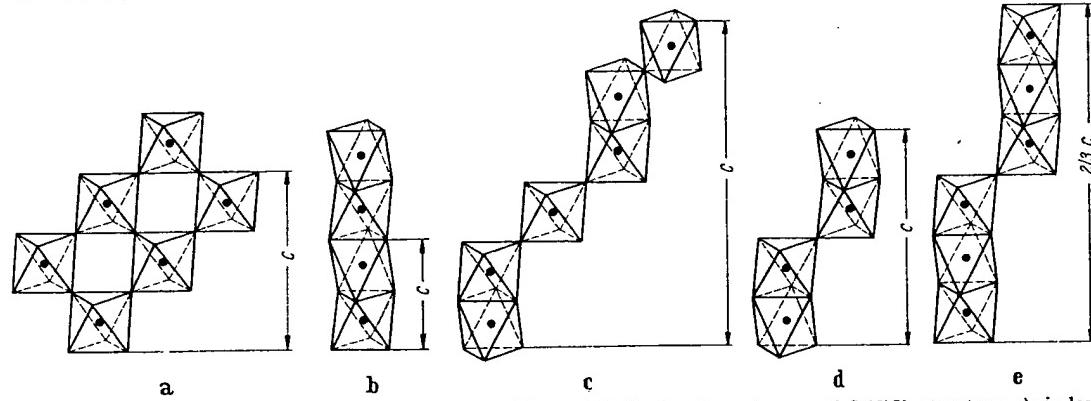


Fig. 3. Stable structures intermediate to a) cubic perovskite and b) the two-layer hexagonal $CsNiCl_3$ structure, c) six-layer hexagonal $BaTiO_3$ structure, d) four-layer hexagonal $BaMnO_3$ structure, e) nine-layer hexagonal $BaRuO_3$ structure. [Adapted from Ca2].

structure. The third step is the nine-layer (hex. 9L) structure of BaRuO_3 , which has two hexagonal stackings out of three in the sequence $a-b-c-b-c-a-c-a-b-a$. Here the B cations form strings of three sharing common octahedral-site faces along the c -axis. Electrostatic forces displace the two end-member B cations away from the center B cation of each string, as shown in Fig. 3(e). Because cubic stacking is stabilized by hydrostatic pressure, it is possible to convert under pressure and high temperature the hexagonal structures to the perovskite structure through the successive sequence of steps. This is well illustrated by the $\text{Ba}_{1-x}\text{Sr}_x\text{RuO}_3$ system as shown in Fig. 4(a). These particular intermediate structures appear to be stabilized by the cation displacements, but at the cost of alternating the stacking sequence. The (hex. 4L) structure, which has the maximum alternation of stacking, is not always found, and the intermediate structures tend to be stabilized by smaller B cations, as illustrated in Fig. 4(b).

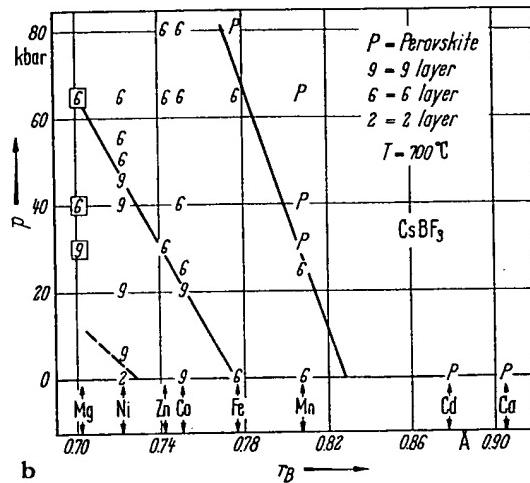
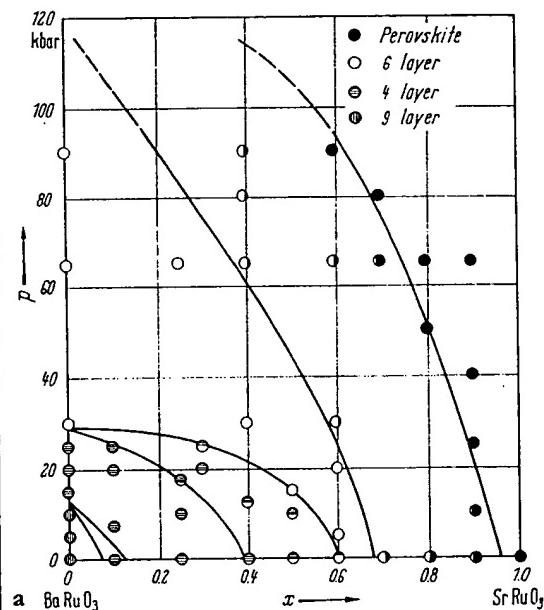


Fig. 4. a) $\text{Ba}_{1-x}\text{Sr}_x\text{RuO}_3$. $P - x$ phase diagram where P is hydrostatic pressure [Lo1], b) structural phase diagram of CsBF_3 compounds [Lo1b].

3.1.2.2 O-orthorhombic structure

Cooperative buckling of corner-shared octahedra, although indexed on a monoclinic pseudocell in earlier work, may produce the orthorhombic primitive cell of Fig. 5 containing four formula units. It was first identified in single crystals of GdFeO_3 [Ge1] and later confirmed [Co21]. Powder photographs taken with CrK_α radiation could be indexed on the monoclinic pseudocell containing a single GdFeO_3 molecule, which is the origin of the earlier classification. The pseudocell dimensions of GdFeO_3 are $a = c = 3.87 \text{ \AA}$, $b = 3.83 \text{ \AA}$, $\beta = 92.8^\circ$, where $2b_{\text{pseudocell}} = c_{\text{true cell}}$. The true orthorhombic cell is referred to in the tables as O-orthorhombic and is distinguished from the O'-orthorhombic structure by a lattice-parameter ratio

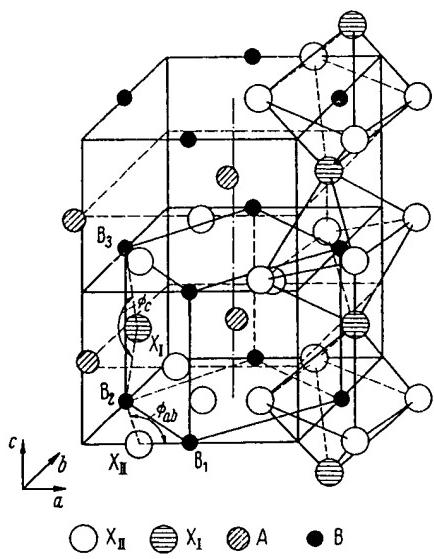


Fig. 5. GdFeO_3 . O-orthorhombic structure.
 $\phi_{ab} = \angle B_1X_{II}B_3$, $\phi_c = \angle B_2X_1B_3$.
 Fig. from [Ve12], structure [Ge1], coordinates [Co21].

ion	position	coordinates		
		x	y	z
Gd^{3+}	4(c)	-0.018	0.060	$\frac{1}{2}$
Fe^{3+}	4(b)	$\frac{1}{4}$	0	0
O_1^{2-}	4(c)	0.05	0.470	$\frac{1}{2}$
O_{II}^{2-}	8(d)	-0.29	0.275	0.05

$c/a > \sqrt{2}$, where $a < b$. The O'-orthorhombic structure, which has $c/a < \sqrt{2}$, is the result of a superposed Jahn-Teller (with or without spin-orbit coupling) distortion. It is also to be distinguished from ferroelectric O_B⁺-orthorhombic and O_B⁺-orthorhombic distortions in which each B cation is removed from the center of symmetry of its interstice. Other orthorhombic distortions have been reported for NdGaO₃ [Br26] and NaCoF₃ [Ok5].

The O-orthorhombic unit cell has the probable space group Pbnm with A cations in positions 4(c): $\pm(x, y, \frac{1}{4}; \frac{1}{2} - x, \frac{1}{2} + y, \frac{1}{4})$, the B cations in 4(b): $(\frac{1}{2}, 0, 0; \frac{1}{2}, 0, \frac{1}{2}; 0, \frac{1}{2}, 0; 0, \frac{1}{2}, \frac{1}{2})$, eight anions X_{II} in 8(d): $\pm(x, y, z; \frac{1}{2} - x, \frac{1}{2} + y, \frac{1}{2} - z; \bar{x}, \bar{y}, \frac{1}{2} + z; \frac{1}{2} + x, \frac{1}{2} - y, \bar{z})$, and the remaining four anions X_I in 4(c). Coordinates for the ions in GdFeO₃ are also given in Fig. 5.

The buckling of the corner-shared octahedra decreases the cation-anion-cation angle Φ from 180°. If the B cations and the anions are distinguished as B₁($\frac{1}{2}, 0, 0$), B₂($0, \frac{1}{2}, 0$), B₃($\frac{1}{2}, 0, \frac{1}{2}$), X_{II}($\frac{1}{2} + x, \frac{1}{2} - y, \bar{z}$), and X_I($\frac{1}{2} - x, \frac{1}{2} + y, \frac{1}{2}$), then the two representative angles are $\Phi_{ab} = (B_1 - X_{II} - B_2)$ and $\Phi_c = (B_2 - X_I - B_3)$. GILLEO [Gi4] has estimated that in La(Co_{0.2}Mn_{0.8})O₃ these angles are $\Phi_{ab} = 150^\circ \pm 3^\circ$ and $\Phi_c = 177^\circ \pm 3^\circ$ with B₁ - O_{II} = 1.95 Å, B₂ - O_{II} = 2.10 Å, B₁ - O_I = B₃ - O_I = 1.96 Å. The angles in GdFeO₃ are similar.

3.1.2.3 Rhombohedral structures

Where there is no buckling of the octahedra, the perovskites ABX₃ may have a small deformation from cubic to rhombohedral symmetry. Where this deformation does not enlarge the unit cell, it is possible to index it either on a unit cell containing two formula units, as shown in Fig. 6, or on a unit cell containing one formula unit. The corresponding rhombohedral angles are $\alpha \approx 60^\circ$ or $\alpha \approx 90^\circ$. In the early literature, detailed anion positions were not known, and it was common to use the smaller cell with $\alpha \approx 90^\circ$. However, the anions are generally displaced so as to require the larger unit cell of Fig. 6, which has $\alpha \approx 60^\circ$.

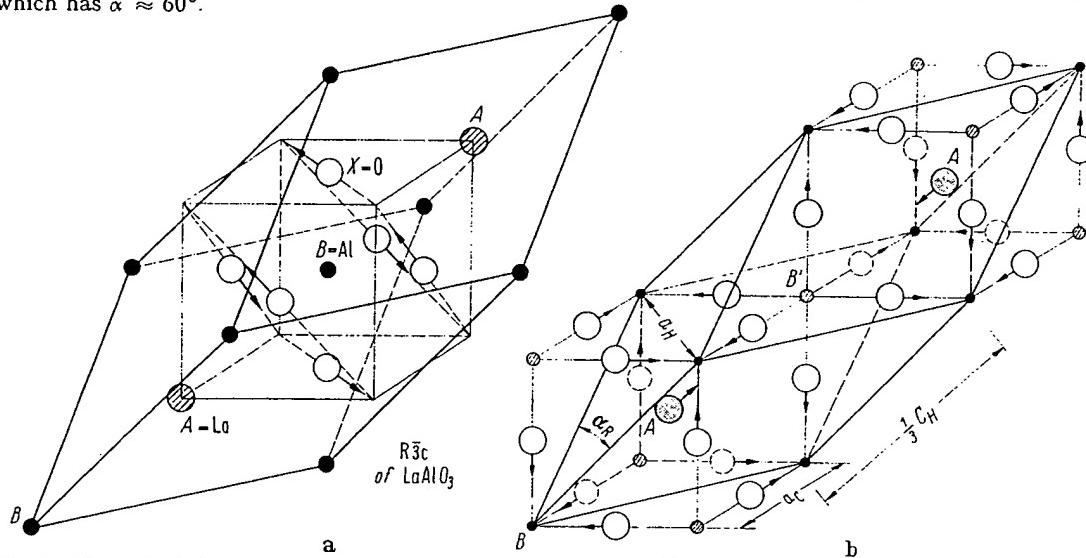


Fig. 6. Rhombohedral ABX₃ structures: a) anion shifts for symmetry R₃c; b) the simplest ionic displacements, corresponding to symmetry R₃m for ordered A,BB'X₃ structures having $r_{B'} > r_B$ [Ra3].

Anion displacements from their ideal positions may be of three different types: (1) AX₃(111) planes remain equidistant from neighboring B-cation (111) planes, leaving all the B-cations equivalent. Within these planes, three A-X distances are reduced and three are enlarged via cooperative rotations of the B-cation octahedra, as shown in Fig. 6(a). (2) The anions may move within pseudocubic {110} planes including the B-B axes so as to create two distinguishable B positions: B positions having a shorter B-X separation and B' positions having a larger B'-X separation. This gives the symmetry R₃m, which allows the A cations to be displaced along the [111] axis so as to make the separations B-A \neq B'-A. (3) In the most general case, the anion displacements may be decomposed into R₃c and R₃m components. The resulting symmetry R₃ also gives distinguishable B and B' positions via its R₃m component.

Although the distinction between these possibilities has been determined in only a few cases, it appears that R₃c can be anticipated unless there is a physical reason for creating two distinguishable positions B and B'. This conclusion is based on the fact that LaAlO₃ has been shown to have the symmetry R₃c by neutron diffraction, [De14] nuclear quadrupole resonance [Mu5], electron-spin resonance, [Ki3] and x-ray techniques [Ge4b, De17]. It is strongly supported by the observation [Ra3] that LaCoO₃ has the symmetry R₃c at low temperatures, where all of the trivalent cobalt are in their low-spin state, but has the symmetry R₃ at higher temperatures where thermal activation creates a nearly equal population of high-spin and low-spin cobalt ions. These are crystallographically distinguishable, via different ionic radii, as B and B'.

3.1.3 The influence of localized-electron ordering

3.1.3.1 Crystal-field theory

Crystal-field theory rests on the assumption that the outer electrons to be described are localized at discrete atomic positions. This assumption is valid for outer *f* electrons; it is valid for *d* electrons in fluorides and in many oxides. Given this assumption, the Schrödinger equation $\mathcal{H}\psi = E\psi$ that describes the localized orbitals and their energies contains the Hamiltonian

$$\mathcal{H} = \mathcal{H}_0 + V_{el} + V_{cub} + (V_{LS} + V_{ncub} + V_\lambda + \sum_j V_{ij}) \quad (2)$$

where \mathcal{H}_0 is the Hamiltonian for a hydrogen-like, spherical potential, V_{el} is the atomic correction for spherical symmetry that enters if there is more than one outer *d* electron, and V_{cub} is the energy correction due to the cubic component of the crystalline fields. For outer *d* electrons, V_{el} and V_{cub} are generally ≈ 1 eV, and the ion is in a high-spin or a low-spin state depending upon the relative magnitudes of these two terms. In the case of *3d* electrons, the perturbations listed within the parentheses are all < 0.1 eV, and they must be considered simultaneously. $V_{LS} = \lambda \mathbf{L} \cdot \mathbf{S}$ is the spin-orbit coupling energy, and covalent mixing reduces slightly the parameter λ from its free-atom value. V_{ncub} is the noncubic component of the mixing reduces slightly the parameter λ from its free-atom value. V_{ncub} is the noncubic component of the crystalline field, V_λ is the elastic coupling energy associated with cooperative local distortions, and V_{ij} is the magnetic exchange energy coupling localized atomic moments on neighboring cations.

Solution of the zero-order equation $\mathcal{H}_0\psi = E\psi$ gives hydrogenic wave functions $f_{l,m} = R_l(r) Y_l^m(\theta, \phi)$. From the spherical harmonics $Y_l^m(\theta, \phi)$, the *d* electrons ($l = 2$) have the following angular dependence and azimuthal-angular-momentum quantum number *m* derived from $L_z f = -i\hbar \partial f / \partial \phi = m\hbar f$:

$$\begin{aligned} f_A &\sim (3z^2 - r^2)/r^2 &= (3 \cos^2 \theta - 1); & m = 0 \\ (f_D \pm if_E) &\sim 2(zx \pm iy)/r^2 &= \sin 2\theta \exp(\pm i\phi); & m = \pm 1 \\ (f_B \pm if_C) &\sim (x^2 - y^2 \pm izy)/r^2 &= \sin^2 \theta \exp(\pm i2\phi); & m = \pm 2 \end{aligned} \quad (3)$$

where θ, ϕ are conventional spherical coordinates. The perturbation V_{el} reflects the fact that outer electrons of parallel spin are excluded from one another and therefore screen each other less from the positive atomic nucleus than do those of antiparallel spin. This correction is responsible for Hund's highest-multiplicity rule for the free atoms. It influences the radial part of the wave function, and hence the relative energies of states of different spin, but not the angular part.

Given the cartesian axes at a B cation formed by the principal axes of its octahedral interstice, the five *d* orbitals of Eq. (3) are separated into two symmetry groups; f_A and f_B , which are directed along the cartesian axes toward near-neighbor anions, have E_g symmetry and are referred to as e_g orbitals; f_C, f_D , and f_E , which are more stable because they are directed away from the near-neighbor anions, have T_{2g} symmetry and are referred to as t_{2g} orbitals. The principal contribution to the cubic-field splitting $10Dq$ of T_{2g} and E_g energies is due to covalent mixing, not to electrostatic energies as calculated on a point-charge model. If covalent mixing with the near-neighbor anionic and A-cationic orbitals is introduced, then the crystalline localized orbitals of t_{2g} and e_g symmetry become

$$\begin{aligned} \psi_i &= N_i(f_i - \lambda_n \phi_n + \lambda_A \phi_A) \\ \psi_e &= N_e(f_e - \lambda_s \phi_s - \lambda_\sigma \phi_\sigma) \end{aligned} \quad (4)$$

where f_i and f_e are linear combinations of the atomic f_C, f_D, f_E and f_A, f_B orbitals. The symmetrized anionic p_n, s and p_σ orbitals are ϕ_n, ϕ_s and ϕ_σ ; the symmetrized A-cationic s, p orbitals are ϕ_A . The covalent-mixing parameters $\lambda_\sigma, \lambda_n, \lambda_A, \lambda_s$ are roughly proportional to the overlap integral for atomic orbitals on neighboring ions and inversely proportional to their energy separation. Initially, the energy separations of cationic *d* and ϕ_σ or ϕ_n are given by $E_M - E_1$, the difference between the Madelung energy and ionization potentials for the "effective" ionic charges, so that by symmetry

$$10Dq = \Delta_M + (\lambda_\sigma^2 - \lambda_n^2)(E_M - E_1), \lambda_n < \lambda_\sigma \quad (5)$$

where Δ_M is any electrostatic contribution to $10Dq$. The one-electron crystal-field splitting of the *d*-state manifold is shown in Fig. 7(a). The relationship $\lambda_n < \lambda_\sigma$ has been confirmed by nuclear magnetic resonance studies of KMnF₃, KNiF₃, and K₂NiCrF₆ [Sh30, Hu4]. In these experiments the fractional occupancies by unpaired spins of the $2s, 2p_\sigma$, and $2p_n$ orbitals are:

$$fx_s = 2SA_s/A_{2s} \sim N_e^2 \lambda_s^2, \quad fx_\sigma = 2SA_\sigma/A_{2p} \sim N_e^2 \lambda_\sigma^2, \quad fx_n = 2SA_n/A_{2p} \sim N_t^2 \lambda_n^2$$

where A_s is the isotropic component and A_σ, A_n the anisotropic components of the hyperfine interaction tensor A_{ij} entering the nuclear spin-electron spin coupling energy $\sum_i I_i \cdot A_{ij} \cdot S_j$. Interpretation of the phenomenological parameters $\lambda_n, \lambda_\sigma$ and $10Dq$ has been discussed extensively [Hu4].

With more than one outer *d* electron or *d* hole, it is necessary to introduce V_{el} , which is responsible for Hund's highest multiplicity rule (highest net *S* and *L*) for the free atoms. For four outer electrons, the atomic ground term is therefore ⁵D. In a crystal, this rule may break down as a result of the crystalline

fields. Schematically, the Hund splitting Δ_{ex} for states of different spin and the one-electron splitting 10 Dq may be represented on the same energy diagram, as shown in Fig. 7(b). It follows from this figure that with four to eight outer d electrons, the magnitude of the net ground-state spin depends upon whether ($\Delta_{\text{ex}} - 10 \text{ Dq}$) is positive or negative. If $\Delta_{\text{ex}} > 10 \text{ Dq}$, the ion is in a high-spin state; if $\Delta_{\text{ex}} < 10 \text{ Dq}$,

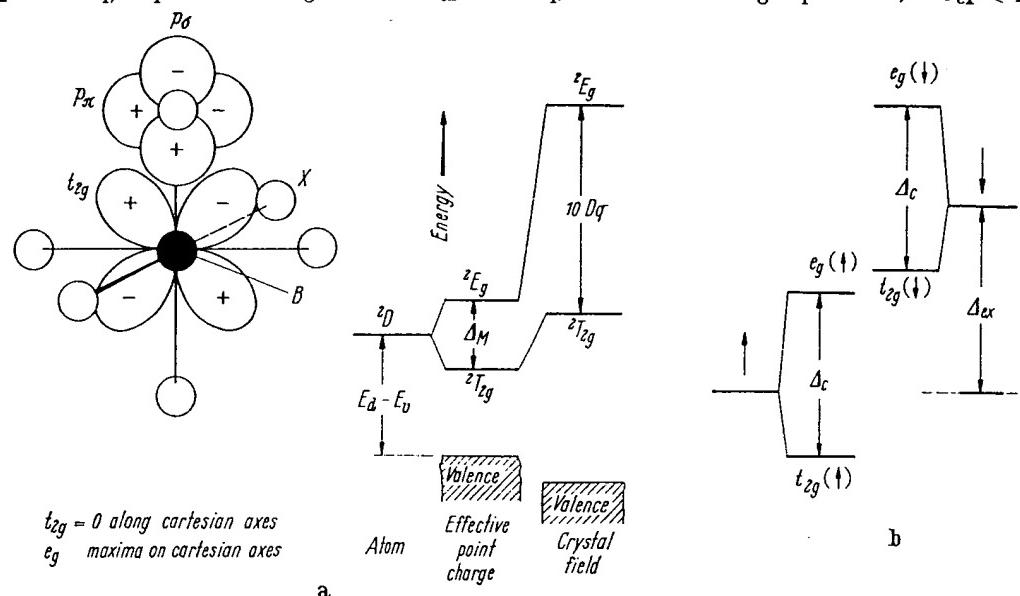


Fig. 7. One-electron crystal-field splitting of the d-state manifold of a transition-metal B cation in a cubic perovskite: a) $\Delta_{\text{ex}} = 0$ and b) schematically for $\Delta_{\text{ex}} \neq 0$, corresponding to more than one outer d electron.

Hund's rule breaks down and the ion is in a low-spin state. Since Δ_{ex} decreases with larger radial extension of the crystalline wave functions, it decreases with increasing covalent-mixing parameters λ_o , λ_n . Simultaneously, from Eq. (5) it follows that 10 Dq increases with increasing covalency. Therefore there is a critical amount of covalent bonding beyond which Hund's rule breaks down. Covalency with a particular anionic sublattice increases with cationic charge and on going to the right through any long period of the periodic table. In oxides with the perovskite structure, only divalent and trivalent ions of the first long period are high-spin. Of these, trivalent nickel is low-spin and trivalent cobalt exhibits a variable high-spin to low-spin population as a function of temperature.

In general, it is necessary to use a multi-electron notation for the outer d electrons. Whereas atomic D states are split by the crystalline fields as shown in Fig. 7, atomic F states are split as shown in Fig. 8.

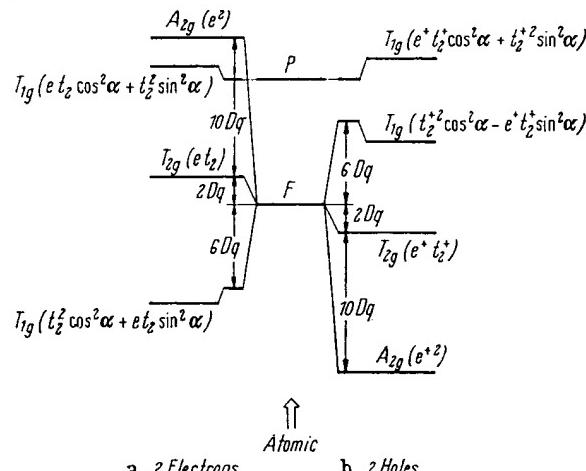


Fig. 8. Octahedral-site splitting of atomic F states: a) two-electron 3F states and b) two-hole 3F states.

Because the operator $L_z = -i\hbar\partial/\partial\phi$ is imaginary, the crystal-field splitting of f_B and f_C quenches the orbital angular momentum associated with these orbitals, so that the e_g orbitals have $m = 0, 0$ and the t_{2g} orbitals have $m = 0, \pm 1$. An isomorphism between f_C , f_D , f_E and atomic P orbitals simplifies calculation of V_{LS} . It is possible to treat the t_{2g} orbitals as atomic P orbitals if the sign of the spin-orbit-coupling

parameter λ is reversed [Gr9]. Therefore ground states having an orbital degeneracy and $m \neq 0$ are split by V_{LS} into $(2J + 1)$ multiplet states corresponding to states of different $J = L + S$. However, the order of the levels is inverted (largest J lowest for less than five d electrons, smallest J lowest for more than five d electrons) because of the change in sign of λ . According to the Landé interval rule, the separation between states J and $J + 1$ is $|\lambda| (J + 1)$. The first-order multiplet splittings, which do not include mixing of higher states of similar symmetry, are shown in Fig. 9 for Fe²⁺ and Co²⁺ ions. Note that the term is now identified by its symmetry character T_{2g} or T_{1g} rather than by its atomic orbital-momentum character D or F . Tab. 1 summarizes the various symmetry notations for different spin states.

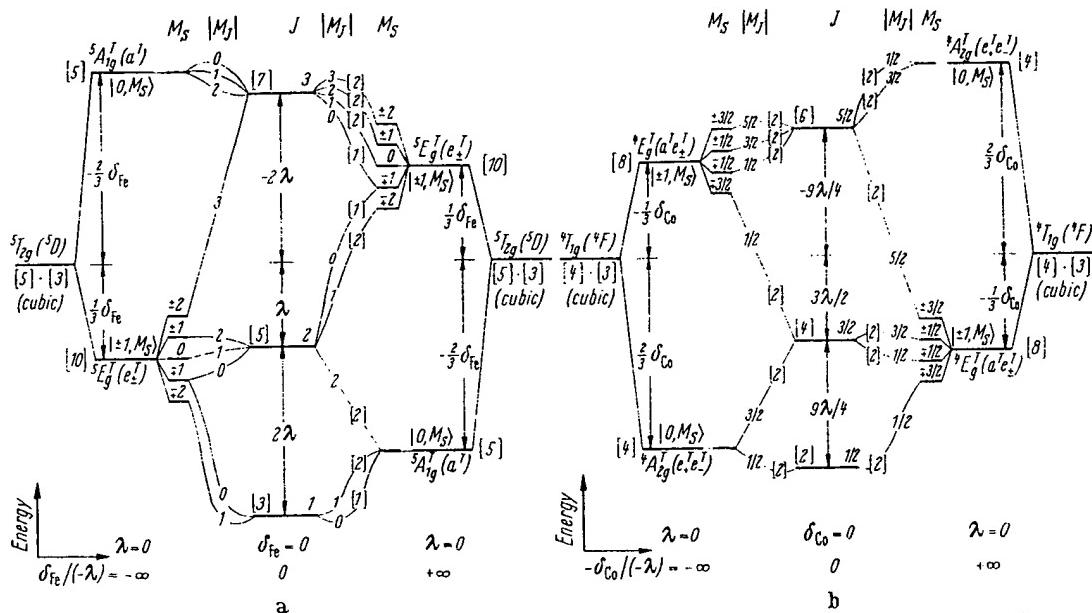


Fig. 9. Schematic spin-orbit plus trigonal-field, or tetragonal-field, splittings of cubic-field levels as a function of the ratio $\delta/(-\lambda)$ for a) $^5T_{2g}$ level of Fe²⁺ and b) $^4T_{1g}$ level of Co²⁺.

Spin-orbit coupling introduces an axial symmetry to the charge distribution, where the spin (or atomic-moment) defines the axis. Therefore, if there is a noncubic component to the crystalline field ($V_{n\text{cub}} \neq 0$), then there is a spin-lattice interaction via the orbital-lattice interaction that introduces a magnetic anisotropy. For localized electrons, this is a local, one-ion anisotropy. Conversely, if the spins are ordered below some transition temperature, then the local interstices have time to relax about the noncubic charge distribution, thereby distorting the octahedral site. Therefore there is an intimate connection between the noncubic symmetry and the magnitude of the multiplet splitting. The noncubic component is usually parametrized as

$$V_{n\text{cub}} = \delta(L_z^2 - \frac{1}{3}) \quad (6)$$

and Fig. 9 includes the total perturbation $V_{LS} + V_{n\text{cub}}$ of the one-electron and two-electron ground states.

With one or two holes in a half-shell, the one-electron and two-electron energy diagrams are inverted. In these cases $M_L = \sum_i m_i = 0$, so that $V_{LS} = 0$, and there is no multiplet splitting.

Tab. 1 also displays the general ground-state wave functions for a magnetically ordered phase having collinear spins. The coefficients a_1, a_2, a_3 of the Kramers' doublets and b_1, b_2 of the singlets all depend upon the relative magnitudes of the five perturbation terms $V_{LS} + V_{n\text{cub}} + V_\lambda + \mathcal{H}_Z$ where \mathcal{H}_Z is the Zeeman energy due to the internal molecular field resulting from magnetic order. The molecular-field approximation is used for the first-order, isotropic magnetic-coupling energy \mathcal{H}_{ex} , which is the dominant term in $\sum_j V_{jj}$ [see discussion of Eq. (13)]. This gives

$$\mathcal{H}_Z \approx 2 J_p \langle S \rangle S_z \quad (7)$$

where J_p , the sum of all near-neighbor exchange parameters, can be determined from the temperature dependence of the magnetic susceptibility and z is along the axis of the average spin $\langle S \rangle$ on the neighboring cations. This term contributes to the spectroscopic-splitting factor g , and hence to the net atomic moment, if $V_{LS} \neq 0$. In Tab. 1, the components of the wave functions are designated by the notation $|M_L, M_S\rangle$, where M_L, M_S are the azimuthal quantum numbers for the net orbital and spin momenta.

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Tab. 1. Lowest terms and ground state wave function for octahedral-site cations having n localized outer d electrons

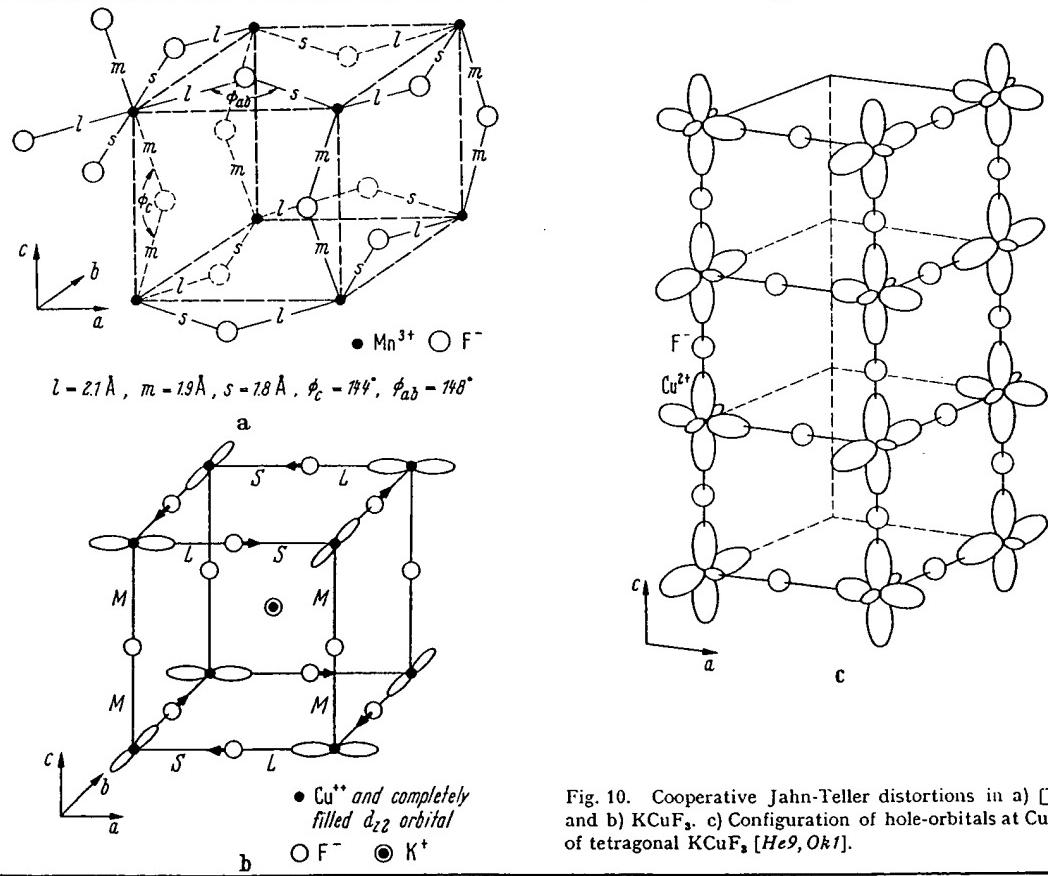
n	Ion	$t^6 e^7$	V_{el}	V_{cub}	V_{LS}	$V_{LS} + V_{\text{cub}}(\delta < 0) + \mathcal{H}_Z$	$V_{LS} + V_{\text{cub}}(\delta > 0) + \mathcal{H}_Z$
1	Ti ³⁺ , V ⁴⁺ , W ⁵⁺ , Re ³⁺	$t^1 e^0$	2D	$2T_{2g}$	$J = \frac{3}{2}$	$ +1, +\frac{1}{2}\rangle$	$a_1 0, +\frac{1}{2}\rangle > +a_2 +1, -\frac{1}{2}\rangle$
2	V ³⁺ , Cr ⁴⁺ , Mo ⁶⁺	$t^2 e^0$	3F	$3T_{1g}$	$J = 2$	$ +1, +1\rangle$	$b_1 +1, -1\rangle > +b_2 0, 0\rangle > +b_3 -1, +1\rangle$
3	V ²⁺ , Cr ³⁺ , Mn ⁴⁺ , Mo ³⁺	$t^3 e^0$	4F	$4A_{2g}$	$J = \frac{3}{2}$	$ 0, +\frac{3}{2}\rangle$	$ 0, +\frac{3}{2}\rangle$
4	Cr ²⁺ , Mn ³⁺	$t^3 e^1$	5D	$5E_g$	$J = 2$	$ 5B_{1g} 0, +2\rangle$	${}^5A_{1g} 0, +2\rangle$
5	Fe ^V , Ru ^{IV} , Os ^{IV}	$t^4 e^0$	3T _{1g}	$J = 0$	$b_1 +1, -1\rangle > +b_2 0, 0\rangle > +b_1 -1, +1\rangle$	$b'_1 +1, -1\rangle > +b'_2 0, 0\rangle > +b'_1 -1, +1\rangle$	
5	Mn ²⁺ , Fe ³⁺	$t^3 e^2$	6S	$6A_{1g}$	$J = \frac{3}{2}$	$ 0, +\frac{3}{2}\rangle$	$ 0, +\frac{3}{2}\rangle$
5	Ir ^{IV}	$t^5 e^0$	2T _{2g}	$J = \frac{1}{2}$	$a_1 0, +\frac{1}{2}\rangle > +a_2 +1, -\frac{1}{2}\rangle$	$a'_1 0, +\frac{1}{2}\rangle > +a'_2 +1, -\frac{1}{2}\rangle$	
6	Fe ²⁺ , Co ³⁺	$t^4 e^2$	5D	$5T_{2g}$	$J = 1$	$a_1 -1, +2\rangle > +a_2 0, +1\rangle > +a_3 +1, 0\rangle$	$b_1 +1, -1\rangle > +b_2 0, 0\rangle > +b_1 -1, +1\rangle$
6	Co ^{III} , Rh ^{III} , Pt ^{IV}	$t^6 e^0$	1A _{1g}	$J = 0$	$ 0, 0\rangle$	$ 0, 0\rangle$	
7	Co ²⁺	$t^5 e^2$	4F	$4T_{1g}$	$J = \frac{1}{2}$	$a_1 -1, +\frac{3}{2}\rangle > +a_2 0, +\frac{1}{2}\rangle > +a_3 +1, -\frac{1}{2}\rangle$	$a'_1 -1, +\frac{3}{2}\rangle + a'_2 0, +\frac{1}{2}\rangle > +a'_3 +1, -\frac{1}{2}\rangle$
7	Ni ^{III}	$t^6 e^1$	2E _g	$J = \frac{1}{2}$	$ 2B_{1g} 0, +\frac{1}{2}\rangle$	${}^2A_{1g} 0, +\frac{1}{2}\rangle$	
8	Ni ²⁺ , Pd ²⁻	$t^6 e^2$	3F	$3A_{2g}$	$J = 1$	$ 0, +1\rangle$	$ 0, +1\rangle$
9	Cu ²⁺	$t^6 e^3$	2D	$2E_g$	$J = \frac{1}{2}$	$ 2B_{1g} 0, +\frac{1}{2}\rangle$	${}^2A_{1g} 0, +\frac{1}{2}\rangle$

3.1.3.2 Jahn-Teller distortions

If the cubic-field ground state of the B cation is an orbitally two-fold-degenerate E_g state, then the t_{2g} orbitals are either full or half-filled, so that $M_L = 0$, and there is no spin-orbit coupling ($V_{LS} = 0$). JAHN and TELLER [Ja6] have shown that, if there is no perturbation available to remove a ground-state orbital degeneracy, then there will be a spontaneous distortion to lower local symmetry below some transition temperature $\Theta_{\text{trans}} < T_{\text{melt}}$ where T_{melt} is the melting point. Since the energy gained by a local distortion is reduced by the work done against the elastic restoring forces of the crystal, transition temperatures Θ_{trans} are small for isolated ions. However, if all of the B cations are similar, then cooperative distortions are possible, and the net energy gained per ion is much greater because of the elastic-coupling energy V_A of Eq. (2). Such a cooperative phenomenon is characterized by thermal hysteresis and a definite (usually first-order) transition temperature. Since they are due to electronic ordering, such transitions are martensitic.

VAN VLECK [Va15] pointed out that the normal vibrational modes that split an E_g electronic state are themselves twofold-degenerate with symmetry E_g . One mode gives the interstice a tetragonal distortion, the other an orthorhombic distortion. It follows that, from first-order theory, there is no static distortion of the interstice, only a dynamic coupling between the electronic charge density and the vibrational modes. Moreover, this dynamic coupling greatly enhances the two E_g vibrational modes and gives a dynamic splitting of the electronic E_g state. This mechanism has important consequences for the acoustic properties and, as discussed in 3.3, for the sign of the magnetic superexchange coupling.

Inclusion in the theory of higher-order coupling terms and anharmonic elastic terms shows that a static, tetragonal ($c/a > 1$) distortion of the interstice is stable below some Θ_{trans} [Ka10]. This sign for the static distortion was first established experimentally through the interpretation [Go15] and further study of cooperative tetragonal-to-cubic transitions in spinel systems. However, application to the perovskites requires a solution of the lowest-energy cooperative distortion via inclusion of the elastic-coupling energy V_A . GOODENOUGH [Go6] proposed that individual tetragonal ($c/a > 1$) octahedra order their long axes alternately along [100] and [010] axes of the pseudocubic cell. KANAMORI [Ka10] generalized this solution to include an orthorhombic component to the local-octahedron distortions. This gives B-B separations within (001) planes having a long (l) and a short (s) B-X separation and along the [001] axis two intermediate (m) B-X separations where $s < m < (l + s)/2$. This prediction was later verified by HEPWORTH and JACK [He9] for $\square \text{MnF}_3$ and by OKAZAKI [Ok1] for KCuF_3 (see Fig. 10). Superposition of this distortion on an O-orthorhombic cell stabilizes the unique axis along the orthorhombic c -axis, and



3.1 ABX₃ perovskite structure

the axial ratios of the O-orthorhombic cell are transformed from $a < c/\sqrt{2}$ to $c/\sqrt{2} < a$. To signal the fact that a Jahn-Teller distortion (with or without spin-orbit coupling) has been superposed on a distortion due to relative ionic sizes, the notation O'-orthorhombic is used in Tab. 2 wherever $c/\sqrt{2} < a$.

The important B cations that exhibit dynamic and static JAHN-TELLER stabilizations in the absence of spin-orbit coupling are: Cu²⁺ $^2E_g(t_{2g}^6e_g^3)$, Cr²⁺ and Mn³⁺ $^5E_g(t_{2g}^3e_g^1)$, Ni^{III} $^2E_g(t_{2g}^6e_g^1)$, where Roman numerals are used for the valence state of a low-spin cation. Tab. 2 shows that O'-orthorhombic symmetry above a magnetic-ordering temperature is associated with these ions, provided the d electrons are localized, and only with these ions, with the exception of LaVO₃ and CeVO₃, where sharply enhanced distortions appear abruptly below Θ_N [Ro3; Go10]. The cubic $^3T_{1g}$ state of V³⁺ is orbitally threefold-degenerate, so that it may induce small distortions above Θ_N , larger distortions below Θ_N (see discussion Go14). LaNiO₃ remains R₃c because the e_g electrons are collective. In La₂Li_{0.5}Ni_{0.5}O₄ crystals, on the other hand, the ordered Ni^{III} ions have localized e_g electrons, and there is a tetragonal ($c/a > 1$) distortion. The sign of this distortion is manifest by the large c/a ratio. Strictly speaking, this is not a Jahn-Teller distortion, since the K₂NiF₄ structure is tetragonal, but ordering of the localized electron of unpaired spin in the tetragonal field distorts the Ni^{III} octahedra to tetragonal symmetry with axes parallel to the unique axis. Pure Jahn-Teller distortions can be distinguished from distortions associated with spin-orbit coupling because they are independent of magnetic order and generally occur at a Θ_{trans} above the magnetic-ordering temperature.

3.1.3.3 Spin-orbit coupling

B cations having cubic-field ground-state terms T_{2g} or T_{1g} are orbitally threefold-degenerate with $M_L = 0, \pm 1$, so that $V_{LS} \neq 0$. The combined perturbations $V_{LS} + V_{ncub}$ separate into secular equations for different M_J , as shown in Fig. 9. With a single outer electron, the $^2T_{2g}$ cubic-field term is split in two, the energies for different M_J shifting by

$$\begin{aligned} E_{3/2} &= \frac{1}{2}\delta - \frac{1}{2}\lambda \\ E_{1/2}^\pm &= -\frac{1}{2}\delta + \frac{1}{2}\lambda \pm \frac{1}{2}\{\delta^2 + \lambda\delta + (\frac{3}{2}\lambda)^2\}^{1/2} \end{aligned} \quad (8)$$

where $\lambda > 0$. In a cubic field

$$E_{3/2} = E_{1/2}^- = E_{1/2}^+ - \frac{3}{2}\lambda, \quad (9)$$

and spin-orbit coupling leaves an orbitally twofold-degenerate ground state. Therefore it is necessary to consider an additional Jahn-Teller stabilization via $V_{ncub} + V_\lambda + \mathcal{H}_Z$. GOODENOUGH [Go14] has shown that it is necessary to consider two temperature regions: $T > \Theta_N$ and $T < \Theta_N$, where Θ_N is the temperature below which the spins order collinearly. In the paramagnetic domain $T > \Theta_N$, the molecular fields vanish ($\langle S \rangle = 0$) and, from Eq. (7), $\mathcal{H}_Z = 0$. In this case, the ground-state energy varies as (δ^2/λ) . Since the work done against elastic restoring forces is $q_2\delta^2$, there is a spontaneous Jahn-Teller distortion, corresponding to $\delta > 0$, at a $\Theta_{trans} > \Theta_N$ only if the product λq_2 is relatively small. In the magnetically ordered state ($T < \Theta_N$), on the other hand, there is an internal molecular field H_{int} at each atom, which produces a Zeeman splitting of the orbitals of different spin. The magnitude of this splitting depends upon the spectroscopic splitting factor, which has the components

$$g_z = 2 - 2g_1(\delta/\lambda) \text{ and } g_\perp = 2 + g_1(\delta/\lambda) \quad (10)$$

where $g_1 > 0$. Therefore the Zeeman splitting in the molecular fields is maximized by making $\delta < 0$ and having the spins parallel to the unique axis defined by δ . Further, this energy is linear in δ , so that a spontaneous distortion should occur at some $\Theta_{trans} < \Theta_N$. A similar argument holds for the orbitally twofold-degenerate $J = 1$ and $J = \frac{1}{2}$ states of octahedral-site Fe²⁺ $^5T_{2g}$ and Co²⁺ $^4T_{1g}$.

In summary, if multiplet splitting leaves a ground state with a twofold, accidental orbital degeneracy, then there is a spontaneous Jahn-Teller distortion at some Θ_{trans} that removes this degeneracy. If $\Theta_{trans} > \Theta_N$, then $\delta > 0$. However, this alternative requires special crystallographic conditions that do not appear to be met in perovskites. On the other hand, a $\Theta_{trans} \leq \Theta_N$ and $\delta < 0$ can be generally anticipated wherever the spins order collinearly and the d electrons are localized. Further, from Eqs. (3) and (6), it follows that T_{2g} states (one outer t_{2g} electron) have $\delta < 0$ if the site symmetry is tetragonal ($c/a > 1$), whereas T_{1g} states (two outer t_{2g} electrons) have $\delta < 0$ if it is tetragonal ($c/a < 1$). Alternatively, distortions of the site symmetry may be to trigonal symmetry. A $\delta < 0$ corresponds to $\alpha < 60^\circ$ for T_{2g} states, to $\alpha > 60^\circ$ for T_{1g} states. These relationships are also summarized in Tab. 1. Experimentally, Fe²⁺ $^5T_{2g}$ octahedra become trigonal ($\alpha < 60^\circ$) below Θ_N , as exhibited by KFeF₃, whereas Co²⁺ $^4T_{1g}$ octahedra become tetragonal ($c/a < 1$) below Θ_N , as exhibited by KCoF₃. Where $\Theta_{trans} = \Theta_N$, the magnetic-ordering temperature may be first-order. In addition, the spontaneous distortions introduce large magnetostriction and magnetic anisotropy.

The cubic-field ground state of V³⁺ $^3T_{1g}$ is orbitally threefold-degenerate. As a result, any spontaneous distortion must correspond to $\delta < 0$, i.e., tetragonal ($c/a < 1$) or trigonal ($\alpha > 60^\circ$). However, as in the other cases a $\Theta_{trans} \lesssim \Theta_N$ is to be expected in the perovskite structure. The V³⁺ ion generally occurs in an O-orthorhombic perovskite, and superposition of a tetragonal ($c/a < 1$) distortion with coincident unique axes again results in O'-orthorhombic symmetry. The perovskite LaVO₃ exhibits an abrupt contraction of the c-axis on cooling through Θ_N .

3.1.4 The influence of collective-electron ordering

3.1.4.1 Band theory

Conventional band theory rests on three principal assumptions: (1) A description of the outer electrons may be built up from solutions of a single electron moving in a periodic potential. (2) Multiplet structure on individual atoms may be disregarded. (3) Electron-phonon interactions may be treated as a small perturbation. For an infinite crystal, the unperturbed solution of running waves in a periodic potential gives the Bloch functions and energies

$$\psi_{k\mathbf{m}} = \exp(i\mathbf{k} \cdot \mathbf{r}) u_{k\mathbf{m}}(\mathbf{r}); E_{\mathbf{k}} = E_0 + \hbar^2 k^2 / 2m^* \quad (11)$$

where $\hbar\mathbf{k}$ is the momentum of an electron of effective mass m^* and $u_{\mathbf{k}}(\mathbf{r})$ is a periodic function. In the tight-binding approximation appropriate for narrow bands, the Bloch functions are

$$\psi_{\mathbf{k}}(\mathbf{r}) = 1/\sqrt{N} \sum_{n=1}^N \exp(i\mathbf{k} \cdot \mathbf{R}_n) w(\mathbf{r} - \mathbf{R}_n)$$

where $w(\mathbf{r} - \mathbf{R}_n)$ is a localized wave function for the atom at \mathbf{R}_n defined by

$$w(\mathbf{r} - \mathbf{R}_n) = 1/\sqrt{N} \sum_n \exp[i\mathbf{k} \cdot (\mathbf{r} - \mathbf{R}_n)] u_{\mathbf{k}}(\mathbf{r})$$

and $u_{\mathbf{k}}(\mathbf{r})$ is a localized crystalline orbital. At the Brilloin-zone boundaries defined by

$$2\mathbf{k} \cdot \mathbf{K} + |\mathbf{K}|^2 = 0, \quad (12)$$

where \mathbf{K} is a reciprocal lattice vector, there are energy discontinuities in energy-momentum space. In polar insulators, this introduces an energy gap E_g between occupied, primarily anionic states and empty, primarily cationic states. Cooperative displacements δ of the cationic sublattice relative to the anionic sublattice may increase this gap, thereby stabilizing the total energy of the occupied states by $\epsilon_2 \delta^2$. Since the resulting elastic-strain energy is $q_2 \delta^2$, there can be a spontaneous displacement only for the exceptional case $q_2 < \epsilon_2$ and a ground state corresponding to a small distortion parameter δ . In this case vibrational entropy may stabilize the higher symmetry at the higher temperatures. This differs from the usual criterion for spontaneous distortions, where a term linear in δ is identified. There appear to be two situations occurring in perovskites where the requirement $q_2 < \epsilon_2$ is met: (1) Where B-cations have empty d orbitals, there is a critical range of covalent-mixing parameters through which the site preference changes from octahedral to tetrahedral. In this range q_2 is very small for B-cation displacements within an octahedron that reduce the coordination number from six towards four. The origin of the small q_2 is a balance of the electrostatic energy lost and covalent-bond energy gained on going to smaller anion coordination. (2) The high polarizability of the outer core electrons of Pb²⁺ and Bi³⁺ ions makes q_2 relatively small, so that displacements that permit a relatively large ϵ_2 can occur spontaneously.

What distinguishes these spontaneous distortions from those due to an ordering of localized electrons is the displacement of the cations from the centers of symmetry of their interstices. (The Jahn-Teller distortions, with or without spin-orbit coupling, leave the cations in the centers of symmetry of their interstices.) Unlike the structures, such as corundum, where pairs of octahedra share a common face, these cationic displacements from the centers of symmetry of their interstices do not follow from point-charge electrostatic arguments. In polar insulators, these displacements lead to ferroelectricity or antiferroelectricity, and they often induce displacements of neighboring cations. Further, where the requirement $q_2 \approx \epsilon_2$ occurs just above Θ_{trans} , there must be a strong interaction of the bonding (mostly anionic) electrons with those vibrational modes that anticipate the cooperative ionic displacements below Θ_{trans} . These "soft" vibrational modes impart several anomalous physical properties, including a high electric susceptibility.

3.1.4.2 Distortions due to B-X bonding

Transition-metal cations having no outer d electrons have the following site preferences:

Sc ³⁺	Ti ⁴⁺	V ⁵⁺	Cr ⁶⁺	Mn ⁷⁺
Y ³⁺	Zr ⁴⁺	Nb ⁵⁺	Mo ⁶⁺	Tc ⁷⁺
Hf ⁴⁺	Ta ⁵⁺	W ⁶⁺	Re ⁷⁺	

where cations at the left of each row have definite octahedral-site (or larger anion coordination) preference and those to the right have definite tetrahedral-site preference. Those underlined by a solid line may be stabilized in the octahedral sites of a perovskite-type structure, but they tend to induce spontaneous ferroelectric or antiferroelectric distortions, the ions moving cooperatively out of the centers of symmetry of their interstices. The ions underlined by dashed lines only occur in ordered perovskites $A_2BB'_2O_6$ and $A_3BB'_2O_9$. In general, they are found in tetrahedral sites or in strongly distorted octahedral sites. However, in the ordered perovskites they are able to strongly polarize the anion near neighbors so as to stabilize the octahedral symmetry.

3.1 ABX₃ perovskite structure

It is significant that spontaneous ferroelectric distortions are only induced by B cations if these are transition-metal cations having empty *d* orbitals. It is also significant that the change from octahedral-site to tetrahedral-site preference is associated with a relative stabilization of the *d* orbitals (larger atomic number in any long period) as well as with a decrease in ionic size. (The ionic radii decrease in the order Y³⁺, Sc³⁺, Hf⁴⁺, Zr⁴⁺, Ta⁵⁺, Nb⁵⁺, Ti⁴⁺, W⁶⁺, Mo⁶⁺, Re⁷⁺, V⁵⁺, Tc⁷⁺, Cr⁶⁺, Mn⁷⁺). The greater the relative stability of the *d* orbitals, the larger are the parameters λ_s and λ_n of Eq. (4), and these are enhanced by any displacement that decreases a B-X separation. Such an enhancement stabilizes the occupied states at the expense of the *d* states, and a net stabilization can occur if the *d* states are empty. Also the smaller the cationic size, the smaller the elastic resistance to displacements within an octahedral interstice. (Phenomenological ionic models for the ferroelectric distortions have also been given [Me7, Ha33].)

There are three B-cation displacements relative to their octahedral interstices that would simultaneously stabilize the occupied anionic p_n orbitals relative to the unoccupied t_{2g} orbitals: (1) *Tetragonal symmetry*. Displacements along an [001] axis that create alternate long and short B-X distances along this axis would stabilize s , p_σ and the two p_n orbitals per anion on this axis and strongly polarize the charge density toward the short B-X separation. (2) *Orthorhombic symmetry*. Displacement along a [110] axis that created two shortest and two longest B-X distances would stabilize the s , p_σ and the two p_n orbitals per anion on two out of the three cartesian axes. (3) *Rhombohedral symmetry*. Displacement along a [111] axis would stabilize the s , p_σ and the two p_n orbitals per anion on all the anions. These three possibilities are illustrated in Fig. 11.

Such distortions also induce changes in the A-X separations, and the particular cooperative distortion that is stabilized depends upon the character of the A-X bonding. The covalency contribution to the A-X bond increases with formal A cationic charge; for a fixed charge it decreases with increasing atomic number of the A cation down any column of the periodic table. If A-X covalent bonding is relatively strong and the perovskite is distorted to O-orthorhombic symmetry, all ferroelectric distortions may be quenched because the p_n orbitals are stabilized by σ -bonding with the A cations. This appears to be illustrated by CaTiO₃, and almost so by SrTiO₃. On the other hand, if the A atom is stabilized by a polarization of its outer core electrons (Pb²⁺ and Bi³⁺ as discussed in 3.1.4.3), then a tetragonal, ferroelectric distortion is stabilized so as to allow a cooperative displacement of the A and B cations, the A cation moving along the [001] axis to stabilize two p_n orbitals per anion not on [001] axes. This is illustrated by the PbTiO₃ structure of Fig. 12. If the covalency contribution to the A-X bonding is relatively weak, then the B-X covalency contribution should dominate. For large A cations ($t > 0.9$), this would stabilize a ferroelectric, rhombohedral distortion at lowest temperatures, as illustrated by BaTiO₃. As the temperature increases, successive distorted structures (R_B^F → O_B^F → T_B^F → C) introduce incremental additions to the entropy. However, a small A cation and weak A-X covalency contribution may lead to a ferroelectric distortion superposed on the O-orthorhombic structure to give the O_B^{*}-orthorhombic structure of CdTiO₃ or NaTaO₃ shown in Fig. 13. Even more complex distortions are found in NaNbO₃ [Vo6]. The room-tem-

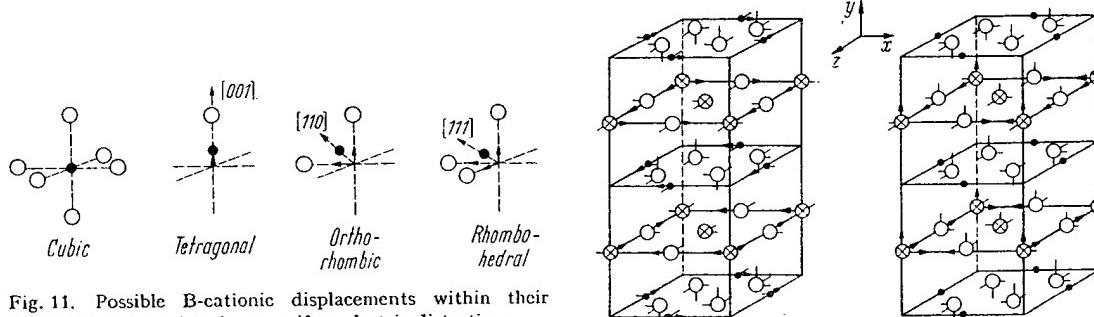


Fig. 11. Possible B-cationic displacements within their octahedra in ferroelectric or antiferroelectric distortions.

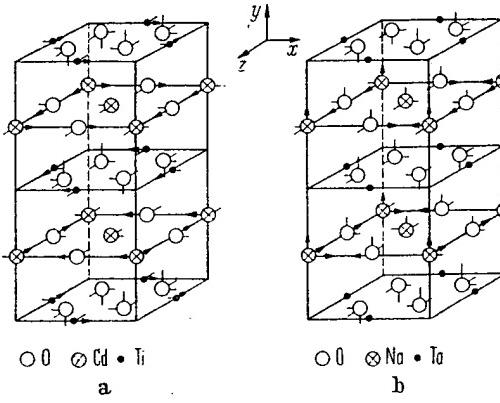


Fig. 13. Ionic displacements in a) CdTiO₃ and b) NaTaO₃ [Ka22].

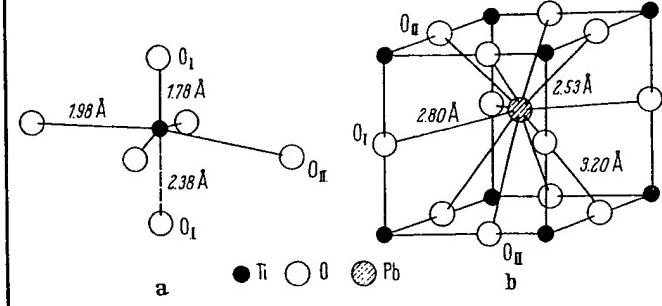


Fig. 12. Tetragonal PbTiO₃: a) environment of Ti and b) environment of Pb [Sh21].

perature form has parallel pairs of (001) NbO_2 planes coupled antiparallel to give an antiferroelectric phase, as shown in Fig. 14. The Na atoms are also displaced antiparallel to one another.

3.1.4.3 Distortions due to core polarization: Pb^{2+} and Bi^{3+}

Lead and bismuth are heavy ions, and the 6s orbitals are sufficiently more stable than the 6p orbitals that Pb^{2+} and Bi^{3+} ions are commonly stable. However, the outer 6s² core electrons have a relatively large radial extension, making the ionic radius large, and this reduces the overlap of the 6p orbitals with the orbitals on near-neighbor anions. This reduction in overlap reduces the strength of the A-X bond. However, hybridization of 6s and 6p orbitals, which costs the energy separation of 6s and 6p orbitals, produces a polarization of the outer-core electrons, so that the effective ionic radius is much smaller on one side of the cation than on the other. This permits the formation of a much more stable bond on one side of the cation, and the energy gained in this bonding may be greater than the hybridization energy required to polarize the core. It is for this reason that Pb^{2+} and Bi^{3+} ions are stabilized in many crystals with an asymmetric anion coordination.

There are three possible displacements of the A cations that would stabilize the anion p_z orbitals (which σ-bond with the A cations): (1) *Tetragonal symmetry*. Displacement of the A cations along [001] axes to stabilize the two p_z orbitals per anion not on [001] axes, as found for PbTiO_3 (see Fig. 12). (2) *Orthorhombic symmetry*. Displacement of the A cations along [110] axes to stabilize strongly one p_z orbital per anion on [001] axes and less strongly one p_z orbital per anion not on [001] axes. The smallest induced distortion of the B-cation octahedra occurs for an antiferroelectric displacement of the type illustrated by PbZrO_3 , Fig. 15. (3) *Rhombohedral symmetry*. Displacement of the A cations along [111] axes to stabilize strongly one p_z orbital per anion. To be cooperative, such a distortion must be ferroelectric, as in BiFeO_3 , Fig. 16. Further, since the A cation is moved toward a B cation, there is an electrostatic repulsion between them that displaces the B cation from the center of symmetry of its interstice.

Given spontaneous distortions due to A-cation displacements, there remains the possibility that electron ordering among localized d electrons on B cations can superpose an additional distortion. Whether this is the origin of the triclinic symmetry reported for ferromagnetic BiMnO_3 , where Mn^{3+} is a Jahn-Teller ion, is not known.

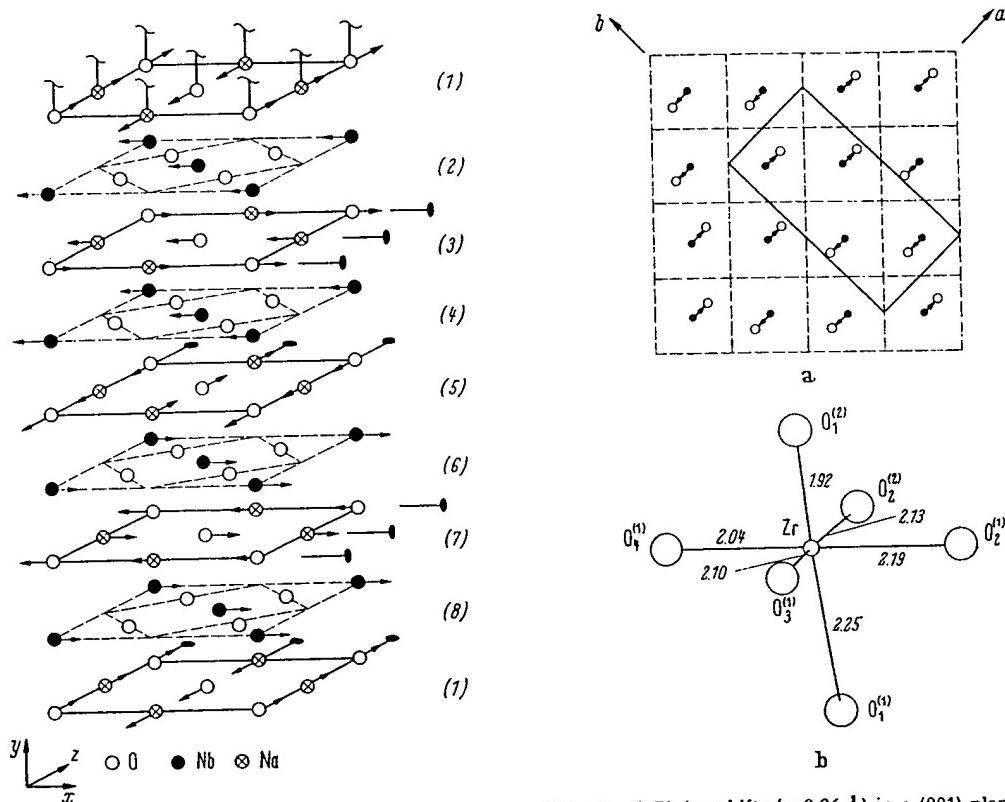


Fig. 14. Ionic displacements in orthorhombic NaNbO_3 . The shifts of the anions in NbO_2 planes and the small x shifts of the Nb ions have been omitted for clarity [Vogel].

Fig. 15. a) Pb-ion shifts ($\approx 0.26 \text{ \AA}$) in a (001) plane of anti-ferroelectric PbZrO_3 . b) Distorted Zr octahedra as a result of simultaneous anion displacements. Zr-O distances are given in [Å] [Sa8, Jo5].

3.1.4.4 Competitive phases

A few compounds have atomic radii compatible with the formation of a perovskite phase and yet are stabilized in other structures at ordinary temperature and pressure. Two important competitive structures of this type are represented by YAlO₃ and PbRuO₃. Both of these compounds convert to the perovskite structure under hydrostatic pressure.

The hexagonal YAlO₃ structure of Fig. 17(a) consists of close-packed layers having the sequence *b-a-b'-a-b-c-b'-c-b*, where *b* is an A-cation layer, *b'* is a B-X layer with anions stacked beneath A cations (*b* stacking) and B cations in the trigonal bipyramids formed by face-shared tetrahedra in the hexagonal *a-b-a* or *c-b-c* anion-stacking sequence. The structure apparently forms because both the A cations and the B cations simultaneously approach the lower limit for cationic size: $r_B = 0.51 \text{ \AA}$, $r_A = 0.90 \text{ \AA}$. The small Al³⁺ ion is relatively stable in the five-fold coordination of the trigonal-bipyramidal sites, and the small Y³⁺ ion is more stable in an eightfold (or 6 + 2) coordination instead of a twelvefold (or 9 + 3) coordination. These site preferences reflect an increased stabilization of the bonding, anionic orbitals as a result of closer cation-anion distances.

The antiferromagnetic, ferroelectric compound YMnO₃ has a similar structure, but with an *a*-axis $\sqrt{3}$ larger than that of YAlO₃ to give six molecules per unit cell. The Mn³⁺ ion can be stabilized in a trigonal-bipyramidal site because it has four outer *d* electrons with configuration $e_g^2 e_g^2 a_1^0$, where the empty *a*₁ orbital is directed along the *c*-axis to bond covalently with the two collinear oxygen ions. The larger unit cell and the ferroelectricity are reflected in the complex magnetic order shown in Fig. 17(b). Below T_N , exchange striction favors antiferromagnetic Mn-O-O-Mn interactions. The ferroelectric transition that occurs above 600 °C is apparently due to the relatively large size of the Mn³⁺ ion, which creates a large enough interstice for the Y³⁺ ion that it is stabilized by a displacement from the center of symmetry of its interstice so as to lower its near-neighbor anion coordination from eight toward seven.

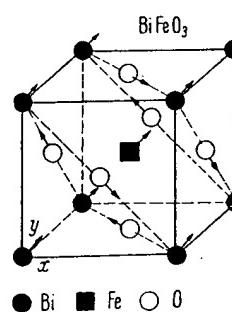


Fig. 16. Structure of BiFeO₃ showing displacements in perovskite subcell [M10].

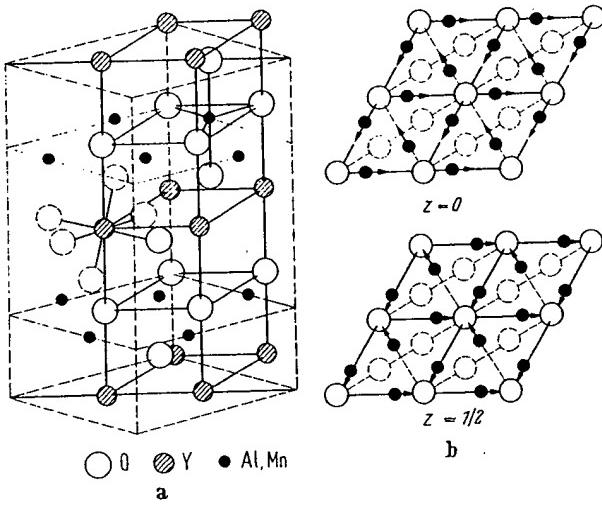


Fig. 17. a) Comparison of the unit cells of YAlO₃ (solid lines) and YMnO₃ (dashed lines). b) Magnetic structure of YMnO₃ [Be36, Be39].

$a = 3.67 \text{ \AA}$, $c = 10.52 \text{ \AA}$ for YAlO₃.

Cubic PbRuO₃ gives an x-ray pattern of the pyrochlore structure, corresponding to chemical formula A₂B₂O₇, and therefore may be written as Pb₂Ru₂O₆⊕. This structure is competitive with the perovskite structure in several Pb²⁺-O₃ compounds. It has been shown [Lo4] that the anion vacancies ⊕ are located at the centers of Pb²⁺-ion tetrahedra sharing common corners and that the electrostatic repulsion between the Pb ions may be counteracted by a transfer of the two outer-core electrons per Pb ion to the ⊕ sites, which act as traps for four electrons per vacancy. Thus the outer core electrons at the Pb²⁺ ions induce a completely new structure rather than a ferroelectric-type displacement of the A-cations within the perovskite structure. This new structure contains B cations in corner-shared octahedra, as in perovskite, but the B-X-B angle is reduced to about 135°. This structure is also stabilized in AgSbO₃ [Sc22] presumably because there is a small effective charge on the Ag⁺ ions. The pyrochlore A₂B₂O₇ structure itself is competitive if attempts are made to force a low valence state on one of the cations.

3.1.5 Structures encountered with ordered B, B' cations

3.1.5.1 Same B atom

There are three ways of creating two different cations from the same atom:

(1) Two A cations of different valence can create two different valence states of the same B atom, and these may order at lower temperature as a result of different cationic charge. The ordering temperature may be quite low, since only electron transfers are required for cationic ordering. This is illustrated by $(La_{0.5}Ca_{0.5})(Mn^{3+}_{0.5}Mn^{4+}_{0.5})O_3$, which has the Mn³⁺, Mn⁴⁺ ordering in a rocksalt-type array. Because Mn³⁺($t_{2g}^2 e_g^1$) is a Jahn-Teller ion having localized outer d electrons, there is also a cooperative distortion to tetragonal ($c/a > 1$) symmetry of the Mn³⁺-occupied octahedra, and the ordering of these distortions gives a macroscopic distortion to tetragonal ($c/a < 1$) symmetry (see Fig. 26).

(2) Where the energy difference between the high-spin and low-spin states of the B cation are nearly equal, the populations of the two energy states approach each other at higher temperatures. In LaCoO₃, high-spin Co³⁺ and low-spin Co^{III} are separated by only $E_{3+} - E_{III} \approx 0.08$ eV, and the populations of the two spin states are nearly equal at 400 °K. This temperature is sufficiently low that ordering of the two different spin states occurs above this temperature, and the symmetry changes from R̄3c to R̄3 [Ra3]. In this case, it is the difference in ionic size and covalent bonding, which results in a difference in the effective ionic charge—not the formal ionic charge—that is the driving force for the ionic ordering.

(3) Disproportionation of B^{m+} cations into B^{(m-1)+} and B^{(m+1)+} cations may create ions of different size and charge that become ordered. This is illustrated by $\square PdF_3$, which has been shown by magnetic susceptibility measurements to be Pd²⁺Pd^{IV}F₆ [Ba19]. (The A cation is missing.) Such a disproportionation permits the formation of (PdF₆)²⁻ clusters in which the anionic orbitals are stabilized by strong covalent mixing with the σ-bonding 4d orbitals of e_g symmetry. This is accomplished by a shifting of the F⁻ ions toward the Pd²⁺ ions and away from the Pd^{IV} ions. Simultaneously, the anionic shift reduces covalent mixing in the occupied, antibonding 4d orbitals of e_g symmetry at the Pd²⁺ ions. These orbitals are therefore localized and further stabilized by intra-atomic exchange (Hund splitting), so that each Pd²⁺ ion carries an atomic moment of $2\mu_B$. Were there no disproportionation, the single electron per-low-spin Pd^{IV} ion would occupy antibonding e_g orbitals that were more unstable than the occupied, localized e_g orbitals at the Pd²⁺ ions. However, the transformation $2 Pd^{IV} \rightarrow Pd^{2+} + Pd^{IV}$ costs ionization energy, and this is usually too large (as in LaNiO₃) for disproportionation to occur.

3.1.5.2 Different B atoms

There are many examples of ordered B, B' structures in compounds having different B atoms: A₂B+B'³⁺F₆; A₂²⁺B³⁺+B'¹⁵⁺O₆, A₂²⁺B²⁺+B'¹⁶⁺O₆, A₂²⁺B+B'¹⁷⁺O₆; A₂³⁺B²⁺+B'¹⁴⁺O₆, A₂³⁺B+B'¹⁵⁺O₆, and A₂³⁺B₂²⁺+B'¹⁶⁺O₉. In the A₂BB'X₆ group, ordering is on alternate (111) planes of B cations, in the A₃B₂B'X₉ group the B' cations occupy every third B-cation (111) layer, Fig. 1(c). The probability for an ordered arrangement of the B, B' cations is determined by the differences between their ionic charges and their ionic radii [Fe22, Fe23, Ga1, Ga10]. To first approximation, the order-disorder transition temperature Θ_{ord} induced by the charge difference Δq = (q' - q) at cations B' and B is $\Theta_{ord} \sim (\Delta q)^2$. Thus superstructure has been observed in all the known compounds having $(\Delta q)^2 = 36$ and 16, whereas those having $(\Delta q)^2 = 4$ are disordered unless there is a relatively large difference in ionic sizes. The minimum difference in ionic size that results in ordered A₂²⁺B³⁺+B'¹⁵⁺O₆ compounds is $|r_B - r_{B'}|/r_B \approx 0.09$, and this has been achieved where B' = Nb or Ta, having empty d orbitals for the formation of stable (B'O₆)⁷⁻ clusters, while the B cation has no relatively stable, empty d orbitals.

Given the formation of (B'X₆) octahedra, a confusion arises as to where the structure corresponds to an ordered A₂BB'O₆ perovskite built up of corner-shared octahedra plus A cations and where it corresponds to the isostructural (NH₄)₃FeF₆ structure, which consists of discrete (B'X₆) octahedra separated by A and B cations. (The cubic K₂NaAlF₆ structure with space group T_b⁶(Pa3) is similar to (NH₄)₃FeF₆, but has a lower symmetry because there are very small rotations of the (B'X₆) octahedra.) Some authors [Fe22] select as a criterion for the perovskite structure the cationic radius ratio $r_B/r_A < 0.8$ where $r_B > r_{B'}$. This decision is based on the observation that a plot of the cubic lattice parameter a_0 vs. B-cation radius r_B is a straight line for $r_B/r_A < 0.8$, but bends over for $r_B/r_A > 0.8$. However, this probably reflects the ratio at which electrostatic forces inhibit (or reverse) any A-cation displacements rather than the ratio at which discrete (B'X₆) octahedra are formed. For most physical properties this criterion is probably arbitrary.

Without electron-ordering distortions superposed on the size effects, ordered A₂BB'X₆ perovskites can be described by either the O-orthorhombic cell of Fig. 5 or by the rhombohedral R̄3 (or R̄3m) cell of Fig. 6. Where $\alpha = 60^\circ$, a tetramolecular cubic cell may be chosen provided the A cations are not displaced from their ideal positions. Like cubic (NH₄)₃FeF₆, the cubic cell has the space group O_b⁶(Fm3m) with B cations in 4(b) $(\frac{1}{2}, \frac{1}{2}, \frac{1}{2})$; f.c., A cations in 8(c) $\pm (\frac{1}{4}, \frac{1}{4}, \frac{1}{4})$; f.c., B' cations in 4(a) $(0, 0, 0)$; f.c., and X-anions in 24(e) $\pm (u, 0, 0; 0, u, 0; 0, 0, u)$; f.c. with $0.2 < u < 0.25$. However, even where $\alpha = 60^\circ$, motions of the A cations along the [111] axes may occur, thereby destroying the cubic symmetry.

If an electron-ordering transition superposes a distortion at every other octahedron of Fig. 5, either the B or the B' octahedra remaining cubic, cooperative elastic interactions between the distorted octahedra give a further reduction in symmetry. The resulting monoclinic cell [Fi9, Bl8], which is pseudotriclinic, is not to be confused with the pseudomonoclinic symmetry reported in early work for the O-orthorhombic structures. The origin of the superposed electron-ordering transition could be either a Jahn-Teller ordering of localized electrons or a ferroelectric-type displacement of the anions about a (B'X₆) octahedron.

Several Ca₂B³⁺Ta⁵⁺O₆ and Sr₂B³⁺Nb⁵⁺O₆ perovskites having B = rare-earth atom exhibit the monoclinic symmetry of a distorted O-orthorhombic cell [Fi8]. Since the 4f electrons at the rare-earth ions are localized, it is tempting to attribute this to a Jahn-Teller distortion with spin-orbit coupling. Although Fig. 9 shows that the octahedral site splitting of one-electron 4f orbitals gives orbitally threefold-degenerate levels having an accidental degeneracy that is not removed by spin-orbit coupling, nevertheless there are two reasons why this explanation cannot be correct: (1) There is no magnetic ordering of the 4f electrons at room temperature and (2) Sr₂GdNbO₆ shows the distortion even though Gd³⁺ has a half-filled 4f⁷ shell, which has no orbital degeneracy associated with the ground state. It is therefore concluded that the additional distortions are due to the potentially ferroelectric cations Nb⁵⁺ and Ta⁵⁺.

3.1.5.3 Complex alloys A₂BB'X₆, where B = M₁₃, B' = M₈

Several complex interstitial alloys have a formal structural relationship to the ordered perovskite A₂BB'X₆ as well as interesting magnetic properties. In this group, having space group Fm3m, the B position is occupied by a thirteen-atom cluster consisting of a metal atom at position 4(a) at the center of a cubo-octahedral, twelve-atom cluster of M atoms at positions 48(h); the B' position is occupied by a simple cube of eight M' atoms at 32(f). The three principal axes of each cluster are along the cubic axes of the perovskite cell, as shown schematically in Fig. 18, so that each X atom at positions 24(e) has eight near neighbors. The eight A atoms of the tetra-molecular cell are at the 8(c) positions. The 4(b) position at the center of the M'₈ clusters is empty. Alloys with this structure include the ferromagnetic borides Al₂[(AlM₁₂)(M'₈)]B₆, where M = Fe, Co, Ni, as well as Cr₂₃C₆.

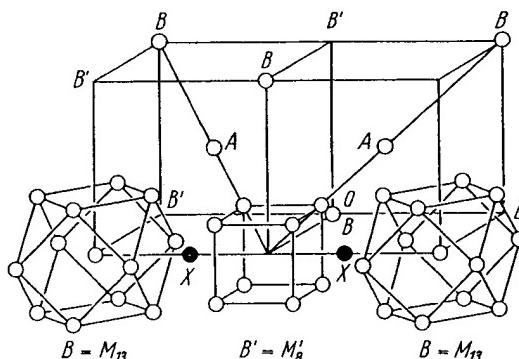


Fig. 18. One quadrant of the A₂BB'X₆ structure showing the atomic positions of the B = M₁₃ and B' = M'₈ clusters [We19].

3.1.6 First-order magnetic transition in M^cX M^f perovskites

Many perovskites M^cX M^f exhibit first-order phase changes at magnetic-ordering transitions. Most of these are reported to be cubic-to-cubic transitions, but in ZnCMn₃ it is a tetragonal (ferrimagnetic)-to-cubic (ferromagnetic) transition. These crystallographic changes are induced by a complex interplay of collective electrons in overlapping bands. Because of the intimate connection with the magnetic properties and because of the necessarily speculative character of any model at this time, discussion of these compounds is deferred to 3.5.

3.1.7 Data: Crystallographic properties of ABX₃, A₂BB'X₆, A₃B₂'BX₉ and A(B_xB'_yB''_z)X₃ compounds with perovskite or perovskite-related structure (Tab. 2)

Tab. 2.

Within any section, the compounds are in general first ordered according to the atomic number of the B cation and then by the basicity of the A cation. For the ordered perovskites of Tab. 2b, c, d, the compounds are further ordered by the atomic number of the other B cation. The order of the sections is as follows:

Tab. 2a — ABX₃

A²⁺LiH₃
A(H₂O) (Li_{1/3})₃; A = I⁻¹, Br⁻¹
A⁺B²⁺X₃; X = F⁻¹, Cl⁻¹, Br⁻¹
A⁺B⁵⁺O₃; B = V, Nb, Sb, Ta, I, Pa, U
A²⁺B⁴⁺O₃; B = Ti, V, Cr, Mn, Fe, Co, Ni, Ge, Zr, Mo, Tc, Ru, Sn, Ce, Pr, Hf, Re, Ir, Pb, Th, U,
Np, Pu
A²⁺B⁴⁺X₃ or A³⁺B³⁺X₃; X = S or Se, B = Ti, Zr, Ta, In, Ga
A³⁺B³⁺O₃; B = Al, Sc, Ti, V, Cr, Mn, Fe, Co, Ni, Ga, Y, Nb, Rh, In, Ho, Er, Tm, Yb, Lu

Tab. 2b — A₂BB'X₆

A₂BB³⁺X₆; X = F⁻¹, Cl⁻¹, B³⁺ = Al, Sc, Ti, V, Cr, Mn, Fe, Co, Ni, Cu, Ga, Ag, In, Ce, Pr, Au, Tl
A²⁺A³⁺B³⁺B⁴⁺O₆; B⁴⁺ = Ti, Ir
A₂BBⁿ⁺O₆; B⁴⁺ = Ti, Mn, Ge, Zr, Ru, Ir
B⁵⁺ = V, Nb, Sb, Ta, Bi, Pa, Pu
B⁶⁺ = Mo, Te, W, Re^{6+,5+}, Os^{6+,5+}, U^{6+,5+}, Np⁶⁺, Pu⁶⁺
B⁷⁺ = Tc, Re, Os, I

Tab. 2c — A₃BB'₂O₉

A₃BB'₂O₉; B⁵⁺ = Nb, Ru, Sb, Ta
La₃Co₂B⁵⁺O₉; B⁵⁺ = Nb, Sb
A₃B₂B⁶⁺O₉; B⁶⁺ = Mo, W, Re, U

Tab. 2d — A²⁺(B_xB'_yB''_z)O₃

3.1 ABX₃ perovskite structure

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Abbreviations in Tab. 2:

Symmetry: C = cubic, H = hexagonal, M = monoclinic, O = orthorhombic ($a < c/\sqrt{2}$), O' = orthorhombic ($c/\sqrt{2} < a$), R = rhombohedral, T = tetragonal, Tr = triclinic.

Remarks: for abbreviations, see p. 131.

Tab. 2a. ABX_3 compounds

Goodenough/Longo

3.1 ABX₃ Perowskit-Struktur

[Lit. S. 275]

Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Remarks	Magnetic Data
A ⁺ B ²⁺ X ₃ ; X = F ⁻¹ , Cl ⁻¹ , Br ⁻¹ (continued)								
CsVCl ₃	H	7.23		6.03		Se1b	Hex (2L), P & S [Yd1]	
RbVCl ₃	H	7.04		6.0		Gr8a	Hex (2L), optical and magnetic properties	
KVCl ₃	H	6.90		5.98		Se1b	Hex (2L), P & S [Yd1]	
RbCrF ₃	T	6.149		8.088		Vo1	P & S [Co27]	
KCrF ₃	T	6.04		8.01		Co27	T = 500 °C, P & S [Ed2, Vo1, Kn3, Yo1, Pe2a]	6
	C	4.158				Sc1	Neutron diffraction	
	T	8.544				Vo1	a and b axis said to double	
NaCrF ₃	M	5.695		7.968		Vo1	Hex (2L), P & S [Se2]	
(NH ₄)CrF ₃	T	6.232		7.639		Yd1	Hex (2L) pseudohexagonal	
TiCrF ₃	T	6.194		7.954		Se2		
CsCrCl ₃	H	7.249		8.064				
RbCrCl ₃	H	7.03		6.228				
CsMnF ₃	H	6.213		6.08				
				15.074		Za1	Hex (6L), $\Theta_N = 54^\circ\text{K}$, P & S [Si14, Be19], neutron diffraction [Pi1], optical properties [Si28, Si30], NMR [Mi4, We11], AFMR [Wi14], magnetic properties [Le3, Le4, Se1], S.S. with K and Na [Be19a]	
RbMnF ₃	C	4.328				Lo1b	High pressure phase, P & S [Sy1]	
	C	4.2396				Wa8	P & S [St14, Be19, Co25, Ho17], cubic to $T = 20^\circ\text{K}$ [Te4], dielectric properties [Hg1, Ch4a], compressibility [Si29], I.R. spectra [Ax2, Fe5], bibliography [Fr10a]	6
KMnF ₃	C	4.186				Be3	P & S [Be14, Si14, Cr4, Be2, Be4, Kn3, Ok2, Ok3, Ok4, Be53, Ok6, Ho17, Gu12], S.S. with Co + Ni [Ha28], I.R. spectra [Ax2, Pe5, Yo2], bibliography [Fr10a]	6
	O	5.885		5.885		Be3	$T = 95^\circ\text{K}, (c/a > \sqrt{2})$ $184 > T > 84^\circ\text{K}$ [Be3, De3, Ok6]	
	O	5.900		5.900		Be3	$T = 65^\circ\text{K}, (c/a < \sqrt{2})$ $T < 84^\circ\text{K}$ [Be3, De3, Ok6]	
	O	5.568		5.760		Si14	Prep. [Ho17, Be19b], a and b axis doubled [Si14], P & S [Mag]	6
NaMnF ₃	C	4.238				P & S [Cr4, Ho17, Co25], neutron diffraction [Pi1]		
(NH ₄)MnF ₃	C	4.250				Si14	Hex (9L), $\Theta_N = 69^\circ\text{K}$, AFMR [Ke1, Sh5]	6
TlMnF ₃	H	7.288		27.44		Ki7	Hex (6L), $\Theta_N = 86^\circ\text{K}$, AFMR & ESR [Ke1, Sh5]	6
CsMnCl ₃	H	7.164		17.798		Ke7		
RbMnCl ₃	T	10.024				Cr6	Cubic $T > 458^\circ\text{C}$, AFMR & ESR [Ke1, Sh5]	6
KMnCl ₃								

3.1 ABX₃ perovskite structure

Compound	Sym	α Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
$A^{+}B^{2+}X_3$; X = F ⁻¹ , Cl ⁻¹ , Br ⁻¹ (continued)								
CsFeF ₃	H	6.158		14.855			Ke19 Lo1b Wa12	Hex (6L), structure [Ba ₂], $\Theta_c = 60$ °K [Po9a, Po9b] High pressure phase P & S [Ke19], neutron diffraction [Wa14], cubic $T > 97$ °K, tetr. 97 $> T > 86$ °K, orth. 86 $> T > 45$ °K, mon. $T < 45$ °K [Te11]
RbFeF ₃	C	4.283					P & S [Kn3, Ma29, Ok2, Ok3, Ok4], neutron diffraction [Sc1]	6
C	C	4.173						
KFeF ₃	C	4.122				Ok6	$T = 78$ °K, rhombohedral $T < 121$ °K P & S [Vo1, Ma9, Po9u]	6
NaFeF ₃	R	4.108		7.890	$\alpha = 89^{\circ} 51'$	Ok6 Tr2		
NH ₄ FeF ₃	O	5.495				P & S [Po9a]		6
NH ₄ FeF ₃	C	4.177				Vo1		6
TlFeF ₃	C	4.188				Yd1	Hex (2L), P & S [Se2a]	6
CsFeCl ₃	H	7.237				Se2a		
RbFeCl ₃	H	7.060				Ba5	Hex (9L), magnetic properties [Ru6], P & S [Ba4]	6
CsCoF ₃	H	6.194				Lo1b	Hex (6L), high pressure phase P & S [Ru8, Cr4], S.S. with Mg [Sh1a]	6
RbCoF ₃	H	6.09				Ru6	P & S [Kn3, Ma29, Ok2, Ok3, Ok4, Ru8, Cr4]	6
KCoF ₃	C	4.116				Ok6	I.R. spectra [Ax1, Ax2, Pe5, Y02, Pe2a]	6
	C	4.069				Ok6	$T = 78$ °K	
NaCoF ₃	T	4.057				Ru6	P & S [Ru8, Og2, Tu5, Ma10]	6
	O	5.420				Ru6	P & S [Cr4, Ru8]	6
NH ₄ CoF ₃	C	4.127				Ru6	P & S [Ru8]	6
TlCoF ₃	C	4.138				Yd1	Hex (2L), complete structure and magnetic properties [So1]	6
CsCoCl ₃	H	7.202				Yd1		
RbCoCl ₃	H	6.996				En1	Hex (2L)	
CsNiF ₃	H	6.236				Ba2		
	H	6.15				Lo1b	Hex (9L), high pressure phase	
RbNiF ₃	H	6.05				Lo1b	Hex (6L) high pressure form: $\Theta_c = 111$ °K	
	H	5.843				He5	Hex (6L), P & S [Si14], $\Theta_c = 139$ °K, magnetic properties [Sr19b, Mc1a, Sm32, Sm31, Sh1, Go3, Ku2, Go3a], S.S. with Co [Bo13, Su11, Pi16], optical properties [Sm32, Sm31, Sm21, Sm22, Sh1, Ty1, Pi8, Pi14, Pi15, Za1a, Be19c, Pi16], Raman scattering [Ch4a] NMR [Sm32a]	
KNiF ₃	C	4.074				Ka4	High pressure phase, P & S [Sy1]	6
	C	4.015				Ok6	P & S [Ok3, Ok4, Kn3, Ma10, Ru5, Ok2], I.R. spectra [Pe5, Ba17a]	6
	C	4.002				Ok6	$T = 78$ °K	

Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Remarks	Magnetic Data
A ⁺ B ²⁺ X ₃ ; X = F ⁻¹ , Cl ⁻¹ , Br ⁻¹ (continued)								
NaNiF ₃	O	5.360	5.524	7.688		Ru8 Ru5 Ko4 Ko4 Yd1	P & S [Og2, Ru5, Ok5] P & S [Ru8] Hex (6L) High pressure phase, P & S [Sy1] Hex (2L), P & S [As4], structure determination [Ti4]	6 6
NH ₄ NiF ₃	C	8.145		14.37		Ko4 Yd1	Hex (6L)	
TINiF ₃	H	5.87						
TiNiCl ₃	C	4.10		5.940				
CsNiCl ₃	H	7.169						
(CH ₃) ₄ NNiCl ₃	H	9.019		6.109		Si44 As4	Hex (2L)	
CsNiBr ₃	H	7.488		12.480			Related to Hex (2L)	
CsCuF ₃	H	12.55		11.56		Ba2	Related to Hex (2L), optical properties [Sc10a]	
RbCuF ₃	T	6.001		7.894		Ru6 Ru6	Optical properties [Sc10a]	
KCuF ₃	T	5.855		7.846		P & S [Ed2, Kn3, Ok1, Ok2, Ok6]	P & S [Ed2, Kn3, Ok1, Ok2, Ok6], neutron diffraction [Sc7], optical properties [Pe2a, Oe1, Sc10a]	6 6
NaCuF ₃	T	4.121	11.37	3.913	$\beta = 86^\circ 54'$	Ok6 Ru6 Cr4	$T = 78^\circ \text{K}$	
NH ₄ CuF ₃	M	11.01		7.521		P & S [Ru3]	P & S [Ru3]	
TiCuF ₃	T	6.09		7.78		Yd1	Related to Hex (2L), P & S [Sc7, We9] magnetic properties $\Theta_p = -3.5^\circ \text{K}$, $\mu_{\text{eff}} (300^\circ \text{K}) = 1.95 \mu_B$ [Ri8c, Fi2]	
CsCuCl ₃	H	6.083		7.866			Not perovskite, magnetic properties $\Theta_N = 17.5^\circ \text{K}$ [Ma1, Sh5]	
KCuCl ₃	M	4.029	13.785	8.736	$\beta = 97^\circ 20'$	Ki10	Not perovskite, magnetic properties [In3]	
NH ₄ CuCl ₃	M	4.066	14.189	9.003	$\beta = 97^\circ 30'$	Ki10		
KCuBr ₃	M	4.05	14.43	9.30	$\beta = 96^\circ 5'$	Ki10		
CsZnF ₃	T	9.90		9.05		Lu1	Hex (6L), high pressure phase	
RbZnF ₃	H	6.09		14.67		Ba1	P & S [Cr4, Lu1]	
KZnF ₃	C	4.110				Ba1	Hex (6L), high temperature form	
	H	5.896		14.44		Rn3	P & S [Lu1, Ma29], thermal conductivity [Su8], optical properties: Ni, Mn [Fe11, Fe15], I.R. spectra [Yo2, Pe2a]	
	C	4.055					P & S [Lu1, Ru8, Ba1]	
NaZnF ₃	O	5.404	5.569	7.743		Tu5 Cr4 De22		
NH ₄ ZnF ₃	C	4.115				V01		
AgZnF ₃	C	3.98						
TiZnF ₃	H	5.934		14.52				
CsGeCl ₃	R	5.444			$\alpha = 89^\circ 38'$	Ch15	Nuclear quadrupole resonance [V00]	
	C	5.475				Ch15	Cubic T > 155 °C, ferroelectric transition at 155°C	

3.1 ABX_3 perovskite struct.Ch15 Cubic $T > 155^\circ\text{C}$, ferroelectric transition at 155°C

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
$A^{+}B^{2+}X_3$; $X = F^{-1}, Cl^{-1}, Br^{-1}$ (continued)								
CsSrF ₃	C	5.589				Yd1	[Be22a, Bu3a] no cell dimensions	in 3.3.4, Tab.
CsSrCl ₃								
CsPdF ₃								
CsCdF ₃	C	4.47				K11	Prep. + Prop. [Ba20, Fi3]	
RbCdF ₃	C	4.395				V01	P & S [Co27a]	
KCdF ₃	T	6.101				Ba5b	Mn emission [K11], P & S [Co27a]	
(NH ₄)CdF ₃	T			8.652			P & S [Ma29, Br9, K11, Co27a, Co26, V01], Mn emission [K11]	
TlCdF ₃	C	4.368						
CsCdCl ₃	C	4.400						
CsCdBr ₃	C	5.20						
CsSnCl ₃	C	7.418						
CsSnBr ₃	C	H						
CsEuF ₃	C	10.70						
CsHgCl ₃	C	5.58						
CsHgBr ₃	C	5.94						
CsPbF ₃	C	4.77						
CsPbCl ₃	C	10.88						
CsPbBr ₃	C	5.77						
Cs ⁺ B ⁵⁺ O ₃		4.81						
CsPbCl ₃	T	5.590						
CsPbBr ₃	C	5.599						
A ⁺ B ⁵⁺ O ₃	C	5.874						
AVO ₃								
RbNbO ₃	O	5.720	5.739	3.984		Fe7	Not perovskite, A = Na, K, Rb, Cs and Ag	
KNbO ₃						W015	Not perovskite	
	T	4.00					Structure [Ka19, Vo4, Vo5], crystal growth [Bu2, Sh25], optical properties [Ka8, Ch1]; S.S. with: BaTiO ₃ [Br2], NaNbO ₃ [Dn3, Te8c], Li [Ni2a]	
	C	4.024					T = 260 °C, Tetr. 435 > T > 225 °C, S.S. with KTaO ₃ (see KTaO ₃)	
	R	4.016					T = 500 °C, cubic T > 435 °C	
Nano _{2.5}	C	4.2					T = 140 °C, neutron diffraction 2Na + Nb ₂ O ₆	

3.1 ABX₃ Perowskit-Struktur

[Lit. S. 275]

Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Remarks	Magnetic Data
A ⁺ B ⁵⁺ O ₃ (continued)								
NaNbO ₃	O	5.505	5.568	15.518		V ₀₆	Structure determined, P & S [V ₀₄ , V ₀₅ , W ₁₀ , Ba ₁₈ , Fe ₇ , Wo ₁₅]; S.S. with: KNbO ₃ [Du ₃ , Te ₈ c], NaTaO ₃ [Ju ₄ , Is ₇ , Is ₁₄], SrNb ₂ O ₆ [Is ₁₆ , Te ₇], CdTiO ₃ [Le ₂], AgNbO ₃ , [Br ₂₄], Cd and Sr [Te ₈ b]	in 3.3.4, Tab.
NaNbO ₃	O	5.51	5.57	7.77		W ₀₇	50 kV/cm applied to crystal; other phase transformations [Te ₆ , So _{1b} , Le ₅ , Fr ₁ , Si _{20a} , Cr _{6a} , So _{1a} , Is _{5a}]; heat of transformations [Te _{8a}]	
Na _{0.95} K _{0.05} NbO ₃	O	5.528	5.582	7.782		W ₁₀	Structure determined	
LiNbO ₃	H	5.1483		13.8631		Ab ₄	Not perovskite, see text	
AgNbO ₃	M	7.888	7.888	15.660	$\beta = 90^\circ 34'$	F _{r2}	S.S. with KNbO ₃ [W ₀₅]	
AgNbO ₃	C	3.595				F _{r2}	$T = 550^\circ \text{C}$, cubic $T > 550^\circ \text{C}$	
AgNbO ₃	C	10.32				Sc ₂₂	Defect pyrochlore	
RbTaO ₃	T	3.92						
KTaO ₃	C	3.9885						
NaTaO ₃	O	5.494	5.513	7.751		Sm ₁₁	[Fe ₇] says not perovskite	
NaTaO ₃	C	3.929				V ₀₄	P & S [V ₀₅], crystal growth [Sh ₂₅ , Wi ₄ , We ₁₃], optical properties [Fr ₂₀ , Pr ₂ , Di ₇ , Di ₈ , Be ₂₇ , Ax ₁ , Pe ₄ , Jo ₁₅ , Sh ₂₀ , Ka ₇ , Sc ₅ , St ₂₀ , La _{7a}]; Faraday rotation [Ba ₇], electrooptic properties [Fr ₂₀ , Fa ₇ , Fa ₈ , Fr ₂₁ , Fr ₂₂ , Ge ₁₃ , Zo ₂], S.S. with: KNbO ₃ [Fu ₃ , Ha ₂ , Ch ₁₃ , Ge ₉ , We ₁₂ , We ₁₄ , Di ₆ , Hi _{2a} , La _{7a}], Ca, [Se ₄]; Raman spectrum [Fr _{1a} , Pe ₆ , Fr _{1b}]; ESR: Eu, Gd, [Un ₁], Fe, Ni [Ha _{9a} , We _{18b}]; ultrasonic attenuation [Ba _{17b}]; Nuclear spin resonance [Gr _{7a}]	
LiTaO ₃	H	5.154				Cr ₂₂	Crystal structure, P & S [V ₀₄ , V ₀₅], S.S. with: NaNbO ₃ [Is ₄ , Is ₇]	
CuTaO ₃	M					I _{s5}	630 °C, cubic $T \geq 630^\circ \text{C}$, tetr. 630 > $T > 550^\circ \text{C}$	
AgTaO ₃	M	7.862	7.862	13.783		A _{b2}	Not perovskite, neutron diffraction [Ab ₃] (see text)	
CsIO ₃	C	3.949				Sh ₁₂	Actually Cu _{0.5} TaO ₃ , see "Bronze" section	
RbIO ₃	R	4.674				F _{r2}	P & S [B ₂₂₇]	
KIO ₃	M	4.541				F _{r2}	485 °C; cubic $T > 485^\circ$	
TlIO ₃	R	8.94				Bo ₃₀	P & S [Na ₁₅]	
NH ₄ IO ₃	C	4.410				Bo ₂₀	P & S [Na ₁₅]	
CsPaO ₃	C	4.510				Na ₁₆	Perovskite (?), P & S [Na ₁₅]	
		9.18				Sm ₃	P & S [Ri ₉]	
		4.368				Sm ₃		
						Na ₁₅		
						Ke ₅		

3.1 ABX₃ perovskite structure

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
A+B³⁺O₃ (continued)								
KPaO ₃	C	4.341				Ke5		
NaPaO ₃	O	5.82	5.97	8.36		Ke5	P & S [Ru3a, I ^p 1], Prop. [Ke13]	6
RbUO ₃	C	4.323				Ke12	P & S [Ru3a, Ch1b], Prop. [Ke13]	6
KUO ₃	C	4.290				Ke12	P & S [Ru3a], Prop. [Ke13]	6
NaUO ₃	O	5.775	5.905	8.25		Ke12	P & S [Ru3a], Prop. [Ke13]	
A²⁺+B⁴⁺O₃								
BaTiO ₃	C	4.012				Me1	$T = 200$ °C, cubic 120 < T < 1372 °C [E45], cubic $T > 133$ °C [We1a], high temperature phase [Me4, Me6, Me2, Ka22]	
	T	3.994				Me1	$T = 20$ °C, tetragonal 5 < T < 120 °C; structure determination: by x-rays [Ev2, Ev3, Ev4, Ch2], by neutrons [Sh18, Fr4], by electron microscope [Pi2]; P & S [De1, Sa5], further remarks: *)	
						Me1	$T = -10$ °C, orthorhombic -90 < T < 5 °C [Ka24]	
						Vo5	$T = -100$ °C, rhombohedral $T < -90$ °C Hex (6L); structure determination [Bu4, Ev1]. Further remarks: **)	
						Me4	$T = 293$ °K; cubic $T > 110$ °K, thermal expansion $\alpha = 9.4 \cdot 10^{-6}$ Å/deg., may be tetr. with $c/a = 1.00008$ [Ly2]	
						Ly2	$T = 100$ °K, Tetr. 65 < T < 110 °K, $c/a = 1.00056$, on single crystal [Ly2]. Further remarks: *** See page 156	
						Ly2	$a : b : c 0.9998 : 1 : 1.0002$, orthorhombic $35 < T < 65$ °K [Ly2]	
						Ly2	Possibly rhombohedral at 10 °K	

Goodenough/Longo

*) Complete bibliography to 1961 [Ha7]; Raman scattering [D48, Dv2, Pa6, Pi3, Ri8, Di8, Ro19a]; study of structural changes [Ca4, Co15a, Fo6, Me6, Sc8, Ka24, We1a]; pressure dependence of dielectric properties [Go27, Ka1, Le9, M623, Mo7, Po3, Po4, Po5, Po6, Sa3]; radiation damage [Sc6, We2]; refractive index [Sa3], H_03 , H_03a ; thermal conductivity [D19, Ma22, Su7, In2b], surface layers [O⁺1, L⁺2, H⁺12, H⁺12, C²⁺, Ca1, Br⁻]. Optical properties [Mu11, Mu12, Mu13, V⁺8, V⁺6, Ha15, J⁺1, Co30, Sh24, Re4, Po7, Na8, Kh3, Ba9, W⁺16]; ultrasonic propagation [Gr10]; ESR: Ti [Da4, Ta4, Ta6], Mn [Ik1, Ik2, Ik3, V⁺10], Pt [Si²⁺1, Ta3, Ta5, Ta³⁺, R²⁺]; dielectric properties [D⁺9, Hu11, Si¹⁺7, Fr¹⁺, We1a]. Transport properties [U²⁺1, U²⁺2, Ta²⁺, Sc²⁺, Ry¹, Ma32, Ma3, Ko9, Ka21, Ik5, Be28, An4], electronic observation [Mo12]. Lattice vibration [Ax1, Ha14, Ka3, Dr3], shock-wave compression [D⁺4], elastic properties [Fr⁺5], relaxation time [Wi5, Bo4]. Properties with additives: Mg [I¹⁺3], Mn [B²⁺1, As²⁺2], Fe [Se25], Co, Ni [K^u1, Co23a], Zn [Si²⁺6], Nb + Ta [Gu1, Ku1], Ln [Go⁴⁻, As²⁺, Bo⁴⁻, Jo¹⁺], Sr [He⁴⁺, Al¹⁺, He⁰], Bi [Bo³, Jo¹⁺], Sb [He⁴⁺, Al¹⁺, He⁰]. Defect study [Co24, Ma9, No8], neutron scattering [Y^{24a}].

**) P & S [W⁺16, Ma4, Ma36, Si¹⁺9c, Ra5, Bi¹⁺4a, Di⁺4]; effect of additives on occurrence [Ra5, Ro20a, Di⁺4], magnetic properties with Ti₁, Cr, V, Mn, Re, Fe, Co, Ru, Ir, Pt substitution [D⁺4].

3.1 ABX₃ Perowskit-Struktur

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Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Remarks	Magnetic Data
A ²⁺ B ⁴⁺ O ₃ (continued)								
CaTiO ₃	O	5.381	5.443	7.645		P _{e3}	P & S [Ba18, Ze1, Ze2, Le10, Na13, Na15, Me4, Ku3], optical properties [St21, Pe8, Mu13], detailed structure [Ka21a]	in 3.3.4, Tab.
CdTiO ₃	O	5.348	5.417	7.615		Gr3a Ka22	Structure determined Pbn ₂ [Ka22], structure questioned [Ge3a], P & S [Me4], S.S. with NaNbO ₃ [Le2], electrical properties [Sh24a], perovskite-ilmenite transformation [Li0]	
PbTiO ₃	T	3.904		4.152		Sh21	Complete structure [Sh21], P & S [Me4, Sh19, Co13, Sh15, Sh24b], optical properties [Pe8, Fu5], piezoelectric properties [Ue3, Fe2, Fe1, Is14a], slow neutron scattering [So2], S.S. with (Ba, Sr, Ca, Pb) (Ti, Zr, Sn)O ₃ [Sh19, Ta14, Ha20, Ba12, No7, Ou1, Ou2, Th2, Ok7, Ta6, Kl7, Ou1a, Pe9, Is1, Uc2, St34, Fe1, Bu10, Fe3, Fe9, Fu5, He14, Iw3, St35, Di1a], radiation damage [Ha20], S.S. with PbGeO ₃ [Di5b]	6
(CaA)TiO ₃	C	3.960				Sh21 De18	$T = 535^\circ\text{C}$, cubic $T > 490^\circ\text{C}$ $A = \text{Ca} (25\%) a = 7.393 \text{ \AA}$; Cd (25%) $a = 7.399 \text{ \AA}$	
EuTiO ₃	C	≈ 7.4				H012 Ro20	P & S [B _r 20, Mc1b], Prop. [Mc2, Mc3, Mc4, Si4] Dielectric properties [Sm8, Ag1]	6
La _{0.5} K _{0.5} TiO ₃	C	7.810				Ag1 Ro20	Dielectric properties [Sm8]	
La _{0.5} Na _{0.5} TiO ₃	C	3.914				Ro20	S.S. with La _x	
Ce _{0.5} K _{0.5} TiO ₃	C	3.86				Re2	Dielectric properties [Ag1, Bu3, Sm8, Sm26]	
Nd _{0.5} K _{0.5} TiO ₃	C	3.90				Iv2	Dielectric properties [Ag1, Bu3, Sm8, Sm26]	
Y _{0.5} K _{0.5} TiO ₃	C	3.874				Ke18	S.S. with SrTiO ₃ [T _i f, Ve9, We16]	
Y _{0.5} Na _{0.5} TiO ₃	O	5.326				Ke18 Wo14	P & S [Re8]	
Bi _{0.5} K _{0.5} TiO ₃	T	3.913						
Bi _{0.5} Na _{0.5} TiO ₃	R	3.891						
La _{2/3} TiO ₃	C	3.887						
SrVO _{2.5}	C	3.848						
SrVO _{3.0}	C	3.838						
$\alpha = 89^\circ 36'$								

*** Superconductivity [Am2, Ap2, Ez2, Fr10, Ko7, Sc19, Sc20, Sc21]; Raman scattering [Sc4, Sc3, Ri6, Os1, Ni1a, Fl1b]; NMR [We1]; Mössbauer: Co³⁺ [Bh3]. Optical properties [Ba6, Ba15, Ba16, Ca6, Ca9, Du1, Ea1, Gr1, Ra9, Mu12, Mu13, Si12, Va6, Z02, Am3, Fa4a, Fe1/2a, Pn5, Tu1]; Hall mobility [Fr7, Fr9, Pa5, Tu1]; ESR: Cr³⁺ [Ri7], Fe³⁺ [K22, Ba8, Ri7, Un2], Ni²⁺ [Ho1]. Gd³⁺ [Ri7, R15, Sa2, Si1]; magnetoresistance [Fr7, Tu3, Ya2b]; piezoelectric properties [Tu2]; Shubnikov-deHaas effect [Fr8]; thermal conductivity ($33 < T < 110^\circ\text{K}$) [Su7]; diffusion and formation of oxygen defects [Pa3, Pa4, Wa9, Wa10]; radiation damage [Sc6, Ro4]; band structure [Ra6]; dielectric properties: doped with Fe and Cr [Ma33] with Nb [T12]; elastic constants from sound wave attenuation [B16, Jo5a]; electromechanical behavior [Ru12]; pressure dependence of dielectric properties [He6a, Sa2]; photoconductivity [Yd4, Ya5, Ya3a, Ya3b]; magnetic properties [Fr5]; vibrational modes [Ja8, Jo14]; thermal expansion [De19b], inelastic neutron scattering [Sh16a], electrooptic effect [So2].

$\text{Y}_{2\text{Z}b}$; magnetic properties [75]; vibrational modes [18, J014]; thermal expansion [De196], inelastic neutron scattering [Sh164], electrooptic effect [So3].

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3.1 ABX_3 perovskite structures

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab. 6
$\text{A}^{2+}\text{B}^{4+}\text{O}_3$ (continued)								
$\text{CaVO}_{3.0}$	C O C H	3.767 5.326 3.780 5.62	5.352	7.547 22.95 9.359		W_{014} R_{016} W_{014} $Ch1a$	P & S [Re_7, De_2, Re_8, Re_9]	
$\text{CaVO}_{2.85}$	H	5.659				$Ch1a$	Hex (9L), high pressure phase, semiconducting, $\Delta E = 0.09 \text{ eV}$	
BaCrO_3	H					$Ch1a$	Hex (4L), high pressure phase, semiconducting, $\Delta E = 0.11 \text{ eV}$	
						$Ch1a$	Hex (6L), high pressure phase	
						$Ch1a$	Hex (12L), high pressure phase	
						$Ch1a$	Hex (14L), high pressure phase	
						$Ch1a$	Hex (27L), high pressure phase	
SrCrO_3	O C PbCrO_3 BaMnO_3	3.818 5.287 4.00 5.672 5.667 5.669 5.645 5.449 5.431 5.270	5.316 5.287 4.00 5.672 5.667 5.669 5.645 5.449 5.431 5.270	7.486 4.71 20.948 9.375 9.264 9.085 13.396 7.464		G_{017} R_{019} $Ha7$ $Sy1$ $Ha7$ $Sy1$ $Sy1$ $Sy1$ $Ma6$	P & S [De_2] P & S [Ha_{16}, Sy_1] Hex (2L), P & S [Ha_{16}, Sy_1] Hex (9L), high pressure phase Hex (4L), high pressure phase, P & S [Ha_{16}] Hex (4L), high temperature phase Hex (4L), with (Bi, Ba, La) MnO_3 [IV_1] Hex (6L), high pressure phase 96% Mn^{4+} P & S [$V_{012}, T_{013}, Yu_1, Yu_8$], S. S. with Bi [$B_{016}, B_{012}, St_{19}$]	6 6 6 6 6 6 6 6 6
Goodenough/Longo						$Ma6$		
$\text{Ca}_{0.78}\text{Sr}_{0.22}\text{MnO}_3$	O R C T H	5.302 4.099 3.997 7.956 5.672	5.304 4.099 3.997 7.956 5.672	7.488 4.71 8.006 13.90 5.54		M_{010} M_{010} M_{010} M_{010} M_{010}	$\alpha = 88^\circ 47'$ $x = 0.36$ P & S [$De_{15}, Er_1, Mo_{11}, Ma_{22}, Va_8$] $x = 0.25$; K_β X-ray spectra [K_{06a}] $x = 0.19$	6 6 6 6 6
$\text{BaFeO}_{2.5}$	O C C	5.83 4.15 3.850	16.98 5.83 4.15	8.006 13.90 5.54		G_{a18} M_{011} M_{011}	Brownmillerite structure, see Fig. 21 $T = 1000^\circ \text{C}$, $T = 20^\circ \text{C}$ (triclinic) P & S [$Wa_{17}, Ya_1, Ga_{17}, Sh_{17}$], S. S. with La [$Ga_{16}, Wa_{17}, Wa_{20}$], Bi [Ma_8], Ti [Cl_{12}, Br_{18}]	6
$\text{SrFeO}_{3.0}$	T O C	3.851 5.671 5.64	15.59 14.68 14.50	3.867 5.528 5.39		$Ma4$ $Ma4$ Be_{40}	P & S [Ba_{22}], S. S. with Al [Ba_{24}, Ba_{25}], Brownmillerite structure, see Fig. 21 P & S [Be_{39}, Sm_4], neutron diffraction [$Ta_{10}, Fr_{16}, Co_{22}, Moessbauer$ [$Go_4, Gr_6, Ge_7, Ge_8, Wi_{16}, Ta_{10}, Gr_4$] Prop. [$Gr_5, Po_1, Wi_4, Be_{40}, Sm_4$] P & S [Mo_{15}]	6 6 6
$\text{SrFeO}_{2.84}$	T	3.851	15.59	3.867		Ha_{10}		
$\text{SrFeO}_{2.50}$	O	5.671		5.528		Be_{26}		
$\text{CaFeO}_{2.60}$	O	5.64	14.68	5.39				
$\text{CaFe}_{0.5}\text{Al}_{0.5}\text{O}_{2.5}$	O	5.58	14.50	5.34				
$\text{PbFeO}_{2.6}$	T	7.79	15.85	15.85				

3.1 ABX₃ perovskite structureIR, NI [L'vov]
Hex (4L), high pressure phase9.50
Lo1H
5.73IR, NI [L'vov]
Hex (4L), high pressure phase

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle °	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
A²⁺B⁴⁺O₃ (continued)								
BaRuO ₃	H	5.71	5.57	14.00		<i>L</i> o1	Hex (6L), high pressure phase	
SrRuO ₃	O	5.53	5.53	7.85		<i>R</i> a6	P & S [Kh1], Prop. [Ca2, Lo3]	6
CaRuO ₃	O	5.36	5.53	7.67		<i>R</i> a6	Prop. [Ca2, Lo3]	6
SrRu _{0.5} Ir _{0.5} O ₃	O	5.55	5.58	7.84		<i>R</i> a6	P & S [Ra6], Defect pyrochlore structure	
PbRuO ₃	C	10.25	5.61	7.86		<i>L</i> o4	P & S [Wa2, Co8, Sm3], S.S. with Sr [Sm3], (Ba, Sr, Pb)TiO ₃ , [Na9, Du4, My2], optical properties [Du5, Ya7], Mössbauer in S.S. with Ti [Be7, Bo9, K7δ]; S.S. with Ti, tetragonal at 91% Ti [D01]	
BaSnO ₃	C	4.117				<i>S</i> m3	P & S [Ho2, Me4, Co8], optical properties [Du5]	
SrSnO ₃	C	8.070	5.668	7.885		<i>S</i> m2	P & S [Ro12, Co8, Me4], optical properties [Du5]; S.S. with BaTiO ₃ cubic at 13% CaSnO ₃ [D01]	
CaSnO ₃	O	5.519				<i>S</i> m2	P & S [Na13, Co8]	
CdSnO ₃	O	5.457	5.577	7.867		<i>S</i> u9	High pressure preparation	
PbSnO ₃	M	4.076	4.076	4.043	β = 89° 45'	<i>S</i> u9	T = 125 °C, cubic T > 125 °C	
BaCeO ₃	C	4.07				<i>S</i> m3	P & S [Ho2], optical properties [Du5], S.S. with Sr [Sm3], dielectric properties [Sm7a], P & S [Ho2], optical properties [Du5], dielectric properties [Sm7a]	
SrCeO ₃	O	4.397				<i>S</i> m3	Pseudocubic	
CaCeO ₃	C	6.011	6.156	8.588		<i>Na</i> 14	Pseudocubic	
CdCeO ₃	C	7.70				<i>Na</i> 14	Pseudocubic	
PbCeO ₃	C	7.65				<i>Na</i> 15	P & S [Ho2]	
BaPrO ₃	C	7.62				<i>Sh</i> 16	S.S. with CaZrO ₃ [Be24], P & S [Sc18a]	
BaHfO ₃	C	8.708				<i>Ho</i> 2	P & S [Na15], S.S. with SrZrO ₃ [Be24a]	
SrHfO ₃	C	4.172				<i>D</i> e7	Prep. [Ru14]	
CaHfO ₃	O	4.069				<i>A</i> v1	Cubic T > 215 °C, S.S. with PbZrO ₃ [Go37]	
CdHfO ₃	M	5.568	5.732	7.984		<i>Sh</i> 16	T = 250 °C, cubic T > 215 °C	
PbHfO ₃	I	3.942	3.982	3.942		<i>L</i> o4	Defect pyrochlore type	
PbReO ₃	C	4.136	4.134	4.099		<i>D</i> o3	S.S. with Sr [D03], distorted Hex. (9L); structure [Ro2b]	
BaIrO ₃	H	10.425	10.425	44.4		<i>Prep. [Ro2a], distorted Hex (6L)</i>		
Sr-IrO ₃	M	5.60	9.62	14.17	β = 93° 16'	<i>L</i> o1a	High pressure phase (Perovskite)	
PbIrO ₃	O	5.58	5.60	7.89		<i>L</i> o4	P & S [Ra6], defect pyrochlore type	
CaIrO ₃	C	10.271	9.855	7.293		<i>Ro</i> 2b	Not perovskite	
BaPbO ₃	O	3.145				<i>Wa</i> 2	P & S [We7, Ni7], electrical properties [Ik4]	
SrPbO ₃	O	4.265	5.949	8.336		<i>We</i> 7		

3.1 ABX₃ Perowskit-Struktur

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Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Remarks	Magnetic Data
$A^{2+}B^{3+}O_3$ (continued)								
BaThO ₃	C	8.985						Sm30
SrThO ₃	C	8.84						Na15
CaThO ₃	C	8.74						Na15
CdThO ₃	C	8.74						Pseudocubic
PbThO ₃	C	8.960						Pseudocubic
BaUO ₃	C	4.387						P&S [Sc16, Ru4, Tr9], S.S. with BaTiO ₃ [Va9]
BaNpO ₃	C	4.384						
BaPuO ₃	C	4.357						
SrPuO ₃	C	4.28						
$A^{2+}B^{3+}X_3$ or $A^{3+}B^{3+}X_3$; X = S, Se								
BaTiS ₃	H	6.77			5.74			Cl1
BaTiSe ₃	H	7.054			6.033			As3a
SrTiS ₃	H	6.730			5.829			Ha6
PbTiS ₃	T	4.16			11.752			Hex (2L), P&S [No9]
BaZrS ₃	O	7.037			7.050			Hex (2L), P&S [No9], orthorhombic and tetragonal modifications [Ha6]
BaZrSe ₃	H	7.188			6.025			"Layer structure" P&S [No9]
SrZrS ₃	O	13.49			14.23			Distorted perovskite, P&S [Ha6, No9, As3b]
CaZrS ₃	O	13.07			14.05			Cl3
BaTaS ₃	H	6.847			5.742			Distorted perovskite, P&S [No9]
BaTaSe ₃	H	7.134			5.987			Cl1
ATaSe ₃	O	11.0			11.9			Distorted perovskite, P&S [No9]
LnInS ₃	O	\approx 3.95			20.98			Cl1
LnGaSe ₃	H	\approx 10.3			\approx 6.2			As3b
$A^{3+}B^{3+}O_3$								
LaAlO ₃	R	5.357						As3a
								Luminescence: Eu [Y ₂ Al ₅ , Bl13, Bl14], Pr [Ma30, De8], Cr [Bl15, Bo14] twinning + detwinning [Fa9, Fa10]; nuclear quadrupole resonance [De17]; S.S. with BaTiO ₃ [Sm15, Is2b]; space group: R3c [Ra3, Ge4b], Review [Ge4b]
								T = 650 °C; cubic T > 522 °C [W ₀ 15a, Ge4b,
								As3], inelastic neutron scattering [As3]
CeAlO ₃	C	3.818						P&S [Be34, Ro16, Sc13, Ke2]
PrAlO ₃	R	5.327						P&S [Be24, Ma27, Y ₂ Al ₅ , Zn1, Re5, Li2, Ru10, Sc13]
		5.307						6

3.1 ABX₃ perovskite structure

Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Remarks	Magnetic Data
$\text{A}^3+\text{B}^3+\text{O}_3$ (continued)								
PrAlO ₃	T	3.74		3.76	$\alpha = 60^\circ 25'$			
NdAlO ₃	R	5.286		7.473				
SmAlO ₃	O	5.285 7.46	5.290 7.46	7.43				
EuAlO ₃	R	5.316	5.292	7.458	$\alpha = 60^\circ 19'$			
GdAlO ₃	O	5.271 3.760	5.292 5.247	10.52 7.447				
TbAlO ₃	H	3.73		10.51				
	O	5.229	5.308	7.415				
DyAlO ₃	H	3.730		10.51				
	O	5.23	5.31	7.40				
HoAlO ₃	H	3.700		10.50				
	O	5.18	5.33	7.36				
ErAlO ₃	H	3.670		10.51				
	O	5.16	5.32	7.33				
TmAlO ₃	H	3.660		10.50				
	O	5.15	5.33	7.29				
YbAlO ₃	O	5.128	5.332	7.317				
LuAlO ₃	O	5.179	5.329	7.370				
YAlO ₃	O							
BiAlO ₃	H	3.68		10.52				
	T	7.61		7.94				
PuAlO ₃	R	3.78						
AmAlO ₃	R	3.75						
LaScO ₃	O	5.678	5.787					
CeScO ₃	O							
PrScO ₃	O	5.615	5.776	8.098	$\alpha = 90^\circ 24'$			
NdScO ₃	O	5.574	5.771	8.027	$\alpha = 90^\circ 28'$			
SmScO ₃	O	5.53	5.76	7.95				

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3.1 ABX₃ Perowskit-Struktur

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Compound	Sym	^a Å	^b Å	^c Å	angle °	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
A ³⁺ -B ³⁺ -O ₃ (continued)								
EuScO ₃	O	5.51	5.76	7.94			Sc13 Ge2	P & S [Sc13], Prop. [Bo36]
GdScO ₃	O	5.487	5.756	7.925			Sc13	
DyScO ₃	O	5.43	5.71	7.89			Sc13	
HoScO ₃	O	5.42	5.71	7.87			Ge2	P & S [Sc13, Ke2]
YScO ₃	O	5.431	5.712	7.894				High pressure preparation [To11a]
BiScO ₃	Tr	4.042	4.127	4.042	$\alpha = \gamma = 90^\circ 41'$ $\beta = 91^\circ 52'$	T011b		
LaTiO _{3-x}	C	3.934				W016 Ke18	W016 P & S [Si4, Be33, Ho12, Ke15, Ke16, Jo4] BaTiO ₃ [J^{04}]	
La _{0.67} TiO ₃	C	3.887				W016	P & S [Be33, Ho12, Si4]	
CeTiO ₃	T	5.513				W016	P & S [Be33, Ho12, Si4]	
PrTiO ₃	T	5.508				W016	P & S [Be33, Ho12, Si4]	
NdTiO ₃	O	5.482	5.521	7.728		W016	P & S [Be33, Si4, Mc1c]	
SmTiO ₃	O	5.398	5.568	7.651		W016	P & S [Bo36, Ho12, Si4, Mc1c]	
GdTIO ₃	O	5.353	5.655	7.616		W016 Ho12	P & S [Bo36, Ho12, Si4, Mc1c] Ti ⁴⁺ , P & S [Br20, Mc1b], Prop. [Mc3, Mc4, Si4], neutron diffraction [Mc2]	
EuTiO ₃	C	7.810						
TbTiO ₃	O	5.388	5.648	7.676			Mc1c	
DyTiO ₃	O	5.361	5.659	7.647			Mc1c	
HoTiO ₃	O	5.339	5.665	7.626			Mc1c	
ErTiO ₃	O	5.318	5.657	7.613			Mc1c	
TmTiO ₃	O	5.306	5.647	7.607			Mc1c	
YbTiO ₃	O	5.293	5.633	7.598			Mc1c	
LuTiO ₃	O	5.274	5.633	7.580			Mc1c	
YTiO ₃	O	5.340	5.665	7.624			Mc1c	
LaVO ₃	O	5.540	5.540	7.83		W014	P & S [Si5, Be33, Ke16, Re8, Wo4, Ke18, Ke15, Ya1, Ro3], S.S. with: SrVO _{2.5} [Wo14], S.S. with CaVO _{2.5} [Wo14]	
CeVO ₃	O	5.486	5.486	7.74		W014	P & S [Be33, Re8, Wo4]	
PrVO ₃	O	5.487	5.562	7.751		W014	P & S [Be33, Re8, Wo4, Vi2, Ge2]	
NdVO ₃	O	5.451	5.579	7.734		W014	P & S [Be33, Re8, Wo4, Vi2, Ge2]	
SmVO ₃	O	5.393	5.588	7.672		W014	P & S [Be33, Re8, Wo4]	
GdVO ₃	O	5.343	5.614	7.637		W014	P & S [Be33, Bo36, Re8, Ge2]	
DyVO ₃	O	5.302	5.602	7.601		W014	P & S [Re8]	
ErVO ₃	O	5.262	5.604	7.578		W014	P & S [Re8]	
YVO ₃	O	5.284	5.605	7.587		Ru13		
PuVO ₃	O	5.45	5.58	7.76				
AmVO ₃	O	5.48	5.61	7.78		Ke8		

3.1 ABX₃ perovskite structure

Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Remarks	Magnetic Data
$\text{A}^{3+}\text{B}^{3+}\text{O}_3$ (continued)								
LaCrO ₃	O	5.479	5.515	7.753		Qu1	Semiconducting 0.6 eV [Ru1], neutron diffraction [Ko1], optical properties [Ru1], dielectric properties [Ra8], P & S [Ge2, Ru11, Wo4, Ke2, Na14], S.S. with Ni, Mn [Be33, Be21]; $T_{\text{melt}} = 2500^\circ\text{C}$ [Fo2], EPR [We4]	in 3.3.4, Tab. 6
	R	5.47	5.50	7.75	$\alpha = 60^\circ 32'$	Ru11 Iw1	$T = 280^\circ\text{C}$, rhombohedral $280 < T < 1030^\circ\text{C}$	
La _{0.8} Bi _{0.1} CrO ₃	O	5.479	5.515	7.753		Yα1	P & S [Ru10, Be33, Wo4, Ke2]	
La _{0.5} Sr _{0.5} CrO _{3-x}	C	7.754	5.475	7.740		Qu1	P & S [Ge2, Ru10, Be33, Wo4], $T_{\text{melt}} = 2420^\circ\text{C}$	
CeCrO ₃	O	5.475	5.479	7.718		Qu1	P & S [Fo2], dielectric properties [Ra8]	
PrCrO ₃	O	5.448	5.479			Qu1	P & S [Ru10, Ge2, Be33, Wo4, Ke2], $T_{\text{melt}} = 2405^\circ\text{C}$	
NdCrO ₃	O	5.425	5.478	7.694		Qu1	P & S [Ru10, Ge2, Be33, Wo4, Ke2], $T_{\text{melt}} = 2385^\circ\text{C}$	
SmCrO ₃	O	5.367	5.508	7.643		Qu1	P & S [Ru10] [Fo2]	
EuCrO ₃	O	5.340	5.515	7.622		Qu1	P & S [Ru10, Ge2, Be33], $T_{\text{melt}} = 2370^\circ\text{C}$ [Fo2]	
GdCrO ₃	O	5.312	5.525	7.606		Qu1	P & S [Ru10, Ge2, Be33], $T_{\text{melt}} = 2370^\circ\text{C}$ [Fo2]	
TbCrO ₃	O	5.291	5.518	7.576		Qu1	Neutron diffraction [Be42, Ma24], specific heat [De1a]	
DyCrO ₃	O	5.265	5.520	7.552		Qu1	Neutron diffraction [Be38], $T_{\text{melt}} = 2345^\circ\text{C}$	
HoCrO ₃	O	5.243	5.519	7.538		Qu1	[Fo2]; dielectric hysteresis disappears at $\approx 540^\circ\text{C}$ indicating no center of symmetry [Ra8]	
						Qu1	Neutron diffraction [Be32, Be47, Be50], dielectric properties [Co6], $T_{\text{melt}} = 2330^\circ\text{C}$ [Fo2], dielectric hysteresis disappears at $\approx 460^\circ\text{C}$ indicating no center of symmetry [Ra8], S.S. with HoMnO ₃ [Ap1b]	
ErCrO ₃	O	5.223	5.516	7.519		Qu1	Dielectric properties [Co6], $T_{\text{melt}} = 2325^\circ\text{C}$ [Fo2]	
TmCrO ₃	O	5.209	5.508	7.500		Qu1	$T_{\text{melt}} = 2320^\circ\text{C}$ [Fo2], dielectric hysteresis disappears at $\approx 520^\circ\text{C}$ indicating no center of symmetry [Ra8]	
YbCrO ₃	O	5.195	5.510	7.490		Qu1	Dielectric hysteresis disappears at $\approx 480^\circ\text{C}$ indicating no center of symmetry [Ra8]	
LuCrO ₃	O	5.176	5.497	7.475		Qu1	P & S [Ge6, Ge2, Lo5, Ka18, Pa14, Yu5], dielectric properties [Ra8], $T_{\text{melt}} = 2340^\circ\text{C}$ [Fo2]	
YCrO ₃	O	5.241	5.521	7.532		Qu1	High pressure preparation	
InCrO ₃	O	5.170	5.355	7.543		Sh9		

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Compound	Sym	α Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
$A^3+ B^{3+} O_3$ (continued)								
TlCrO ₃	O	5.302	5.405	7.647	$\alpha = \gamma = 90^\circ 35'$	Sk9	High pressure preparation	
BiCrO ₃	T _r	3.90	3.87	3.90	$\beta = 89^\circ 10'$	Su10	High pressure preparation; S.S. with BiMnO ₃	6
[<i>T₀/1a</i>]						Ru13		
PuCrO ₃	O	5.46	5.51	7.76		W ₀ 2	P & S [Na14], neutron diffraction [<i>Ko1, Wo12, S.S.</i> with Ba, Sr, Ca [<i>Wo12, Ja4, Ja5, Jo8, Jo12, Ha22, J07, J09, Ya1, Ro11</i>], S.S. with Cr, Fe, Co, Ni [<i>B_e33, Be21, Gi4, J07, J08, J09, Wo2, Wo6, Fu2, Bl7</i>]], S.S. with (Ba, Sr, Ca, Pb)TiO ₃ [<i>Ha31, Ha32, T₀3, To6, To12</i>]], S.S. with GdCoO ₃ [<i>De23</i>]]	6
LaMnO ₃	O	5.533	5.722	7.694				
							24% Mn ⁴⁺	
R								
CeMnO ₃	O'	3.892	5.557	7.818	$\alpha = 90^\circ 36'$	W ₀ 2		
PrMnO ₃	O'	5.537	5.537	7.575		Ve12	P & S [<i>B_e33, Vi1, Sz1</i>], complete structure [<i>Qu2</i>]	6
NdMnO ₃	O'	5.445	5.787	7.557		Ve12	P & S [<i>B_e33, Ve1, Sz1</i>]	6
SmMnO ₃	O'	5.380	5.854	7.557		Ve12	P & S [<i>B_e33</i>]	6
EuMnO ₃	O'	5.359	5.843	7.482		Ve12	P & S [<i>Sz1</i>]	6
GdMnO ₃	O'	5.338	5.842	7.453		Ve12	P & S [<i>B_e33, Sz1</i>], S.S. with LaCoO ₃ [<i>De23</i>]]	6
TbMnO ₃	O'	5.313	5.853	7.432		Ve12	Complete structure determination [<i>Qu2</i>]	6
DyMnO ₃	O'	5.297	5.831	7.403		Ve12	P & S [<i>Sz1</i>]	6
HoMnO ₃	H	5.275	5.828	7.375		Ve12	Preparation temperature 1600 °C, see Fig. 17a	6
	H	6.177	11.43	11.43		Sz1	Magnetic properties [<i>Ve12, Be32</i>], dielectric properties [<i>Be35, Co7</i>], P & S [<i>Sz1</i>], see Fig. 17a	6
	H	6.136	11.42	11.42		Ya2	High pressure phase, P & S [<i>Wa5, Vi1, Sz1</i>]	6
	O'	5.26	5.84	7.35		Wa4	Magnetic properties [<i>Ve12, Be32</i>], dielectric properties [<i>Be35, Co7</i>], see Fig. 17a	6
ErMnO ₃	H	6.115	11.41	11.40		Ya2	High pressure phase	
	O'	5.24	5.82	7.335		Wa4	Magnetic properties [<i>Ve12, Be32</i>], dielectric properties [<i>Be35, Co7</i>], see Fig. 17a	6
TmMnO ₃	H	6.062	11.40	11.40		Wa4	High pressure phase	
	O'	5.23	5.81	7.32		Ya2	Magnetic properties [<i>Ve12, Be32, Ro8, Bo11, Co7, Is11</i>], dielectric properties [<i>Be35, Ro8, Bo11, Co7, Is11</i>], P & S [<i>Sz1</i>], see Fig. 17a	6
YbMnO ₃	H	6.062	11.40	11.40		Wa4	High pressure phase	
	O'	5.22	5.80	7.30		Ya2	Magnetic properties [<i>Ve12, Be32</i>], dielectric properties [<i>Be35, Co7</i>], see Fig. 17a	6
LuMnO ₃	H	6.042	11.37	11.37		Wa4	High pressure phase	
	O'	5.205	5.79	7.31		Ya2	Dielectric or magnetic properties [<i>Ta13, Ro8, Be35, Co5, Co7, Co3, Bo11, Is11, Pe17, Pe16, Be32, Be39, Be43, Be44, Be49, Ko3, Ki8</i>], see Fig. 17a	6
YMnO ₃	H	6.125		11.41				

Berichtigungen zu Band III/4a

- S. 177, letzte Zeile: statt $\text{Ba}_2\text{TdPaO}_6$ lies $\text{Ba}_2\text{TbPaO}_6$
S. 219, Zeile 16 von unten: statt $\text{KMg}_{1-x}\text{Ni}_x\text{Fe}_3$ lies $\text{KMg}_{1-x}\text{Ni}_x\text{F}_3$
S. 252, Zeile 26 von oben (Überschrift): statt $\text{Sr}_3\text{Fe}_3\text{UO}_9$ lies $\text{Sr}_3\text{Fe}_2\text{UO}_9$

Errata in Vol. III/4a

- p. 177, bottom line: instead of $\text{Ba}_2\text{TdPaO}_6$ **read** $\text{Ba}_2\text{TbPaO}_6$
p. 219, line 16 from the bottom: instead of $\text{KMg}_{1-x}\text{Ni}_x\text{Fe}_3$ **read** $\text{KMg}_{1-x}\text{Ni}_x\text{F}_3$
p. 252, line 26 from above (headline): instead of $\text{Sr}_3\text{Fe}_3\text{UO}_9$, **read** $\text{Sr}_3\text{Fe}_2\text{UO}_9$

3.1 ABX₃ perovskite structure

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle °	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
A³⁺B³⁺O₃ (continued)								
YMnO ₃	O'	5.26	5.84	7.35	$\beta = 92^\circ 24'$	Bo12	Wa3	High pressure phase; S.S. with: Fe, perovskite at 15% Fe [Ch6]
BiMnO ₃	M	10.93	11.31	7.98		P & S [Su10]	P & S [Su10], S.S. with Ca [Bo6, Bo12, Si19], PbTiO ₃ [Bo6, Bo7], Sr [Iv1], La [Iv1], BiCrO ₃ [T011a]; crystallographic transformation $T = 210^\circ \text{C}$ [T011a]	6
PuMnO ₃	C	3.86	5.565	7.862		Ru13 Ge6	Pseudocubic P & S [Be33, Fo5, Re5, Wo3, Ke2, Da2, Na14, Ya1], S.S. with Ni, Mn [Be33], S.S. with Al, Co, Cr, Sc [Ka17, Wo3], rhombohedral $T > 980^\circ \text{C}$ [Da1], S.S. with: PbNb ₂ O ₆ [Fr11], Pb [Re5a], Bi [Ri5b]	6
LaFeO ₃	O	5.556				P & S [Ke2, Be33] P & S [Be33, Fo5, Re5]	S.S. with Al, Co, Cr, Sc [Ka17]	6
CeFeO ₃	O	5.541	5.577	7.809		Ro1a Ge6	P & S [Be33, Fo5, Re5, Wo3], S.S. with Pb [Re5a], Bi [Re5b]	6
PrFeO ₃	O	5.495	5.578	7.810		Ge6	P & S [Be33, Fo5, Re5, Wo3], S.S. with Pb [Re5a], Bi [Re5b]	6
NdFeO ₃	O	5.441	5.573	7.753		Ge6	P & S [Be33, Fo5, Re5, Wo3], S.S. with Pb [Re5a], Bi [Re5b]	6
SmFeO ₃	O	5.394	5.592	7.711		Ge6	P & S [Re5], S.S. with Pb [Re5a], Bi [Re5b] with Pb [Re5a], Bi [Re5b]	6
EuFeO ₃	O	5.371	5.611	7.686		Ge6	P & S [Be33, Re5], crystal structure [Co27], S.S. with Pb [Re5a], Bi [Re5b]	6
GdFeO ₃	O	5.346	5.616	7.668		Ge6	P & S [Ko6], S.S. with: Pb [Re5a], Bi [Re5b] with Pb [Re5a], Bi [Re5b]	6
TbFeO ₃	O	5.326	5.602	7.635		Ei1	P & S [Da2], S.S. with: Pb [Re5a], Bi [Re5b]	6
DyFeO ₃	O	5.302	5.598	7.623		Ei1	P & S [Ko6], S.S. with: Pb [Re5a], Bi [Re5b], HoMnO ₃ [Ap1a]	6
HoFeO ₃	O	5.278	5.591	7.602		Ei1	P & S [F05], crystal structure [Wi7], S.S. with: Pb [Re5a], Bi [Re5b]	6
ErFeO ₃	O	5.263	5.582	7.591		Ei1	Crystal structure [Wi8], S.S. with: Pb [Re5a], Bi [Re5b]	6
TmFeO ₃	O	5.251	5.576	7.584		Ei1	P & S [Ko6, Be1, Ha2], S.S. with: Pb [Re5a], Bi [Re5b]	6
YbFeO ₃	O	5.233	5.557	7.570		Ei1	P & S [Sa6], S.S. with: Pb [Re5a], Bi [Re5b]	6
LuFeO ₃	O	5.213	5.547	7.565		Ei1	P & S [Fo5, Ru11, Ko6, Wo3, Ge4, Ma26, Va7, Sh12a], crystal structure [Co27], S.S. with: Pb [Re5a], Bi [Re5b]	6
YFeO ₃	O	5.283	5.592	7.603				
TlFeO ₃	O	5.319	5.448	7.796		Sh9		

Goodenough/Longo

3.1 ABX₃ Perowskit-Struktur

[Lit. S. 275]

Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Magnetic Data
A ³⁺ B ³⁺ O ₃ (continued)							
BiFeO ₃	R	5.62			$\alpha = 59^\circ 41'$	M10	P & S [F12, I10, K05, K14, T07, T09, T012, Y13, Y11, Z12, Sm34, T010, Ge10a, Ro22], neutron diffraction [P11, K14, K15, K16, Bh2]. S.S. with: LaAlO ₃ [Fe5], LnFeO ₃ [K15, Kh5, Ro7, Ro9, I10b, Ro10, Ki6], Pb(Ti, Zr)O ₃ [La6, Fe8, Ge10, Fe2, Sm7], BaTiO ₃ [Ve5, Ka15], SrTiO ₃ [Fe6], LaCrO ₃ [Ro5], SrSnO ₃ [Hi1], Bi ₄ Ti ₃ O ₁₂ [I12], SrFeO ₃ [Ma8], Pb ₂ FeNbO ₆ [Ro10, Yu1, Yu2, Sm12, Sm13, I13, I10a, Zh1, Is8, Kr3, Kr5], Sr(Sn _{1/3} Mn _{2/3})O ₃ [M16, Vi4], Sr ₆ La _{0.8} MnO ₃ [Ro10], PbNb ₂ O ₆ [Fr11], BiMnO ₃ [Ma31], Pb(Fe _{2/3} W _{1/3})O ₃ [Sm26], PrFeO ₃ [V44a], complete structure S.G. R3c [Mi10], R ₃ c, T < 375 °C, R ₃ , T > 375 °C [Ra3]; P & S [As3, Wo4, He7, Sc23]. Prop. [Me17, Ko1, Ra3, Ge12, Ra3, J09, Go16, Na1, Bl6, He7, Mu4, Me18], S.S. with Sr [Me18, Ra4, J013]. S.S. with Sr and Th [Sc23]
LaCoO ₃	R	5.436			$\alpha = 60^\circ 48'$	W09	T = 937 °C; atomic positions demand R ₃ symmetry
PrCoO ₃	R	5.52			$\alpha = 60^\circ 0'$	Ra3	Be33 P & S [Wo4] Be33 P & S [Wo4], thermal conductivity [Ge12]
NdCoO ₃	O	5.331	5.373	7.587		Be33 Be33 Be33 Be33	P & S [Wo4] P & S [Wo4] P & S [Wo4] P & S [Wo4]
SmCoO ₃	O	5.336	5.336	7.547			
GdCoO ₃	O	5.289	5.354	7.541			
TbCoO ₃	O	5.228	5.404	7.436			
BiCoO ₃	C	4.228			$\alpha = 60^\circ 49'$	T011b W08	High pressure preparation [T011a] P & S [Wo6], neutron diffraction [Ro1]
LaNiO ₃	R	5.461				T011b Ge2	High pressure preparation [T011a] P & S [K2, Da2, Be34, Br25, Da1, Ma25a]
BiNiO ₃	C	4.173				Ge2 Ge2	T = 900 °C, rhombohedral T > 875 °C (by DTA) Distorted
LaGaO ₃	O	5.496	5.524	7.787	$\alpha = 60^\circ 25'$	Ge2 Ge2	P & S [B34, Br25, Ma25a] P & S [D1, Be34, Br25, Ke2, Ma25a], complete structure [Br26], S.S. with LaGaO ₃ [Br25]
CeGaO ₃	C	5.544				Ma25a	High pressure preparation
PrGaO ₃	O	3.87				Ma25a	High pressure preparation
NdGaO ₃	O	5.465	5.495	7.729		Ma25a	High pressure preparation
		5.426	5.502	7.706		Ma25a	High pressure preparation
SmGaO ₃	O	5.369	5.520	7.650			
EuGaO ₃	O	5.351	5.528	7.628			
GdGaO ₃	O	5.322	5.537	7.606			
TbGaO ₃	O	5.307	5.531	7.578			

3.1 ABX₃ perovskite structure

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle °	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
A ³⁺ B ³⁺ O ₃ (continued)								
DyGaO ₃	O	5.282	5.534	7.556	7.536	Ma25a	High pressure preparation	
HoGaO ₃	O	5.251	5.531	7.536	7.522	Ma25a	High pressure preparation	
ErGaO ₃	O	5.239	5.527	7.522	7.505	Ma25a	High pressure preparation	
TmGaO ₃	O	5.224	5.515	7.490	7.490	Ma25a	High pressure preparation [Ma25]	
YbGaO ₃	O	5.208	5.510	7.484	7.484	Ma25a	High pressure preparation	
LuGaO ₃	O	5.188	5.505	7.533	7.533	Ma25	High pressure preparation [Ma26]	
YGaO ₃	O	5.257	5.536	8.438	8.438	Ge3	P & S [Pa2, Mo6], optical properties (Eu ³⁺) [Bl13]	
LaYO ₃	O	5.868	6.071			To11b	High pressure preparation [To11a]	
BiYO ₃	C	4.2				Si5	Pseudocubic	
LaNbO ₃	C	4.02	5.679	7.900		W05	P & S [Ch11, Wo9, Kh1]	
LaRhO ₃	O	5.524	5.7473	7.8026		Sh8a	P & S [Ch11]	
PrRhO ₃	O	5.4143	5.7551	7.7745		Sh8a	P & S [W05]	
NdRhO ₃	O	5.3778	5.7613	7.7083		Sh8a	P & S [Ch11]	
SmRhO ₃	O	5.3211	5.7607	7.6802		Sh8a	P & S [Ch11]	
EuRhO ₃	O	5.2985	5.7605	7.6384		Sh8a	P & S [Ch11]	
GdRhO ₃	O	5.2774	5.7492	7.6226		Sh8a	P & S [Ch11]	
TbRhO ₃	O	5.2541	5.7314	7.6002		Sh8a	P & S [Ch11]	
DyRhO ₃	O	5.2449	5.7257	7.5823		Sh8a	P & S [Ch11]	
HoRhO ₃	O	5.2299	5.7117	7.5610		Sh8a	P & S [Ch11]	
ErRhO ₃	O	5.2160	5.6974	7.5428		Sh8a	P & S [Ch11]	
TmRhO ₃	O	5.2028	5.6700	7.5125		Sh8a	P & S [Ch11]	
LuRhO ₃	O	5.1861	5.435	7.586		Sh9	P & S [Ge3, Pa2]	
InRhO ₃	O	5.301	5.914	8.207		Ro16		
LaInO ₃	O	5.723	5.891	8.121		Ro16		
NdInO ₃	O	5.627	5.886	8.082		Sh9	High pressure preparation	
SmInO ₃	O	5.589	5.835	8.078		Sh9	High pressure preparation	
EuInO ₃	O	5.567	5.842	8.071		Sh9	High pressure preparation	
GdInO ₃	O	5.548	5.751	8.041		Mo6	High pressure preparation	
DyInO ₃	O	5.519	5.787	8.053		Sc12	High pressure preparation	
YInO ₃	O	5.500	6.092	8.480		Sc12	P & S [Sc13, Mo6]	6
LaHoO ₃	O	5.888	6.07	8.43		Sc12	P & S [Sc13, Mo6]	6
LaErO ₃	O	5.85	6.06	8.42		Sc12	P & S [Sc13, Mo6]	6
LaTmO ₃	O	5.85	6.02	8.41		Sc12	S.G. Pbn2, [Mus8], T _{melt} = 2120 °C [Tr0]	6
LaYbO ₃	O	4.325				Tr0	T = 2080 °C	
LaLuO ₃	C	5.82	6.02	8.37		Sc12	P & S [Sc13, Mo6]	
PrLuO ₃	O	5.751	5.977	8.320		Mo6		

Tab. 2b. A₂B'BX₆ compounds

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data
$A_2^+B^{3+}X_6; X = F^{-1}, Cl^{-1}$								
Cs ₂ NaAlF ₆	H	6.168		29.76			Ba5a	Hex (12 L)
Rb ₂ NaAlF ₆	C	8.29		28.02			Ba5a	Hex (12 L)
Rb ₂ LiAlF ₆	H	5.802		13.648			Wi1b	R perovskite
K ₂ LiAlF ₆	H	5.574		13.754			Wi1b	Hex (6 L), Prep. $T > 470$ °C
K ₂ NaAlF ₆	H	5.614					Me21	
K ₂ KAlF ₆	C	8.105					Si33	
Na ₂ NaAlF ₆	M	8.65					Na17	P & S [Si33, Me19, Cr5a], S.S. with Fe [Cr5a]
(NH ₄) ₂ (NH ₄)AlF ₆	C	5.46					Pa9	P & S [Pa10, Me20]
Cs ₂ CsScF ₆	C	8.90					Prep. [Ba9]	
Rb ₂ RbScF ₆	C	9.32					Ho16a	
K ₂ KScF ₆	C						Prep. [Ba9]	
Na ₂ NaScF ₆	M						Prep. [Ba9]	
(NH ₄) ₂ (NH ₄)ScF ₆	C						T < 680 °C	
K ₂ KTiF ₆	T						Bo2	
K ₂ NaTiF ₆	C	17.46		8.12			Bo2	
Na ₂ NaTiF ₆	M	5.60		9.45			Br1	
(NH ₄) ₂ (NH ₄)TiF ₆	C	6.49					Br2	High temperature form
K ₂ KVF ₆	T	8.56		8.75			P & S [Ba5], magnetic properties, $n_{eff} = 1.70$,	
K ₂ NaVVF ₆	C	9.26					$\Theta_p = 0$ °K [En1]	
Na ₂ NaVVF ₆	M	5.53		7.99			Structure determined [Bu4a]	
Cs ₂ KVF ₆	C	9.04		30.40			P & S [Ba5]	
Cs ₂ NaVVF ₆	H	6.267					Br7	
Rb ₂ KVF ₆	C	8.88					Ba5a	
Rb ₂ NaVVF ₆	C	8.47		28.77			Br7	
Rb ₂ LiVVF ₆	H	5.891					Ba5a	
K ₂ KVF ₆							Ba5a	
K ₂ NaVVF ₆	C	8.315					Ba5	
(NH ₄) ₂ (NH ₄)VF ₆	C	9.04					Pa6a	
Cs ₂ RbCrF ₆	C	9.15					Ba5a	
Cs ₂ KCrF ₆	C	8.99					Ba5a	
Cs ₂ NaCrF ₆	H	6.231					Ba5a	
Rb ₂ KCrF ₆	C	8.81					Ba5a	
Rb ₂ NaCrF ₆	C	8.42					Ba5a	
Rb ₂ LiCrF ₆	H	5.865					Kl6	Hex (12 L)
K ₂ KCrF ₆	T	8.56					P & S [Fe2]	
K ₂ NaCrF ₆	C	8.54					Bo2	High temperature form

3.1 ABX₃ perovskite structure

Bo2 | High temperature form

Na₂NiCrF₆ | C | 8.54 |K₂NaCrF₆ | C | 8.54 |A₃⁺B³⁺X₆; X = F⁻¹, Cl⁻¹ (continued)

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle °	Ref.	Remarks	[Magnetic Data]
K ₂ NaCrF ₆	C	8.266	5.679	7.878	$\beta \approx 90^\circ$	<i>Kn5</i> <i>Vo1</i> <i>Pa6a</i> <i>Pe2</i> <i>Kn4</i>	Prop. [Sh28]	in 3.3.4, Tab.
Na ₂ NaCrF ₆	M	5.468	9.01	16.60		<i>Mi2</i>	Magnetic properties, $\rho^* = 4.95 \mu_B$ [<i>Pe2</i>]	
(NH ₄) ₂ (NH ₄)CrF ₆	C	17.50	8.171	8.577		<i>Ba5a</i> <i>Ba5a</i> <i>Bo2</i> <i>Ba5a</i>	P & S [<i>Ho16a</i>] Hex (12L)	
K ₂ KMnF ₆	T	10.46	9.05	30.40		<i>Ba5a</i>		
K ₂ NaMnF ₆	T	6.260	8.88			<i>Ba5a</i>		
Cs ₂ CsFeF ₆	C	8.88	8.87			<i>Ba5a</i>		
Cs ₂ KFeF ₆	C	8.87	8.47			<i>Ba5a</i>		
Cs ₂ NaFeF ₆	H	8.47	8.47			<i>Ba5a</i>		
Rb ₂ RbFeF ₆	C	8.88	8.91			<i>Ba5a</i>		
Rb ₂ KFeF ₆	C	8.58	8.58			<i>Ba5a</i>		
Rb ₂ NaFeF ₆	C	8.323	8.323			<i>Ba5a</i>		
Rb ₂ LiFeF ₆	C	5.506	5.719			<i>Ba5a</i>		
K ₂ KFeF ₆	C	5.506	5.719	7.925	$\beta = 90^\circ 28'$	<i>Kn5</i> <i>Cr5a</i>	P & S [<i>Mi5</i>], magnetic properties, $92^\circ < T < 296^\circ$ K, $n_{\text{eff}} = 5.85, \Theta_p = -2^\circ$ K [<i>Fi1</i>]	
K ₂ NaFeF ₆	M	5.506	5.719	7.925	$\beta = 90^\circ 28'$	<i>Mi2</i>	Magnetic properties, $93^\circ < T < 293^\circ$ K, $n_{\text{eff}} = 6.00, \Theta_p = 0^\circ$ K [<i>Fi1</i>]	
Li ₂ LiFeF ₆	C	8.88	9.30			<i>Si33</i> <i>Pa9</i>	Low temperature form P & S [<i>Si33</i> , <i>Ki6</i>]; magnetic properties, $92^\circ < T < 294^\circ$ K, $n_{\text{eff}} = 5.86, \Theta_p = -2^\circ$ K [<i>Fi1</i>]	
(NH ₄) ₂ (NH ₄)FeF ₆	T	6.39	9.10			<i>Ki6</i>	Magnetic properties, $90^\circ < T < 290^\circ$ K, $n_{\text{eff}} = 5.28, \Theta_p = +2^\circ$ K [<i>Ki6</i>]	
Cs ₂ CsCoF ₆	C	9.23	9.23			<i>Ki6</i>	P & S [<i>Ho13</i>], magnetic properties, $90^\circ < T < 290^\circ$ K, $n_{\text{eff}} = 5.48, \Theta_p = -2^\circ$ K [<i>Ki6</i>]	
Rb ₂ RbCoF ₆	C	8.90	8.90			<i>Ki6</i>	P & S [<i>Me27</i> , <i>Ho13</i>], magnetic properties, $73^\circ < T < 300^\circ$ K, $n_{\text{eff}} = 5.53, \Theta_p = -10^\circ$ K [<i>Co23</i> , <i>Ki6</i>]	
K ₂ KCoF ₆	C	8.57				<i>Me27</i>	Pseudocubic, P & S [<i>Ho13</i>], magnetic properties, $90^\circ < T < 290^\circ$ K, $n_{\text{eff}} = 5.39, \Theta_p = -5^\circ$ K [<i>Ki6</i>]	
K ₂ NaCoF ₆	C	8.22				<i>Bo2</i>	P & S [<i>Ki6</i>], magnetic properties, $90^\circ < T < 295^\circ$ K, does not obey Curie-Weiss law [<i>Ki2</i> , <i>Ki3</i> , <i>We20</i>]	
Na ₂ NaCoF ₆	C	7.91				<i>Ki6</i>	Magnetic properties, $n_{\text{eff}} = 2.8$ [<i>Ki2</i>]	
K ₂ KNiF ₆	C	8.44				<i>Kn5</i>		
K ₂ KCuF ₆	C	8.50				<i>Sc26</i>		
Cs ₂ KGaF ₆	C	8.975				<i>Ho16a</i>		
K ₂ NaGaF ₆	C	8.246						
(NH ₄) ₂ (NH ₄)GaF ₆	C	9.041						
Cs ₂ KAgF ₆	C	9.175						

PbLaMnTiO₆ | R | 3.933 | α = 90° 12' | Ha32 | S.S. with α = Pb₂NbMnO₆; cubic ≥ 50%

PbLaMnTiO₆

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
(A ²⁺ A ³⁺) (B ³⁺ B ⁴⁺)O ₆ (continued)								
SrLaFeTiO ₆	C	3.92						
SrLaMnIrO ₆	C	3.93						
SrLaFeIrO ₆	C	3.94						
A ₂ ³⁺ BB' O ₆								
La ₂ MgTiO ₆	C	3.96						
Nd ₂ MgTiO ₆	C	3.90						
LaCeMgTiO ₆	C	3.929						
Bi ₂ MgTiO ₆	C	3.98						
Y ₂ Ni _{0.4} Mg _{0.6} TiO ₆	C	3.83						
La ₂ MgMnO ₆								
La ₂ CoMnO ₆								
La ₂ NiMnO ₆								
La ₂ CuMnO ₆	C	3.90						
La ₂ MgGeO ₆	C	3.88						
Y ₂ MgGeO ₆	C	4.06						
La ₂ MgZrO ₆	C	4.174						
La ₂ CaZrO ₆	O	5.59						
La ₂ LiNbO ₆	O	5.59						
La ₂ MgRuO ₆	C	7.91						
La ₂ MnRuO ₆	C	7.84						
La ₂ NiRuO ₆	C	7.90						
La ₂ ZnRuO ₆	C	7.97						
La ₂ Ni _{0.4} Mg _{0.6} SnO ₆	C	4.02						
La ₂ MgReO ₆	C	7.926						
La ₂ NiReO ₆	C	7.908						
La ₂ CoReO ₆	T	5.611						
La ₂ FeReO ₆	C	7.92						
La ₂ MgIrO ₆	C	7.86						
La ₂ MnIrO ₆	C	5.60						
La ₂ CoIrO ₆	O	5.60						
La ₂ NiIrO ₆	C	7.90						
La ₂ CuIrO ₆	M	5.80						
A ₂ ³⁺ BV ₅ +O ₆								
Ba ₂ BiVO ₆	O	6.123	6.180	8.622			V _{e2}	P & S [Vi3, Ve3], dielectric properties [Vi2b]
	C	4.372					V _{e2}	Cubic > 320 °C
in 3.3.4, Tab.								

3.1 ABX₃ Perowskit-Struktur

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Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
$A_2^{2+}BNb_5^5+O_6$								
Ba ₂ ScNbO ₆	C	8.220				Fi10	P & S [Ag1, Br16]	
Ba ₂ VNbO ₆	C	4.051				Ch10	P & S [Ag1]	
Ba ₂ MnNbO ₆	C	4.090				Ha32	P & S [Ga13, Fi10, Ag1]	
Ba ₂ FeNbO ₆	C	4.057				Ga1		
Ba ₂ CoNbO ₆	C	4.06				Bl8		
Ba ₂ NiNbO ₆	C	4.1				Bl8		
Ba ₂ SrNbO ₆	C	8.54				Ga1		
Ba ₂ SrNbO _{6.5}	C	8.54				Br16	P & S [Fi10]	
Ba ₂ YNbO ₆	C	4.180				Bl8	P & S [Ga1]	
Ba ₂ RhNbO ₆	C	8.17				Br16		
Ba ₂ InNbO ₆	C	8.279				Ga1	P & S [Br16], cubic $T > 300$ °C [Fi10]	
Ba ₂ BaNbO _{5.5}	C	8.68				Br16	Probably ordered	
Ba ₂ LaNbO ₆	T	8.607				Ga1	Probably ordered, cubic $T > 300$ °C [Fi10]	
Ba ₂ CeNbO ₆	C	4.293				Br16	P & S [Br16], cubic $T > 300$ °C [Fi10]	
Ba ₂ PNbO ₆	C	4.285				Ga1	P & S [Br16], cubic $T > 300$ °C [Fi10]	
Ba ₂ NdNbO ₆	C	8.540				Ga1	P & S [Br16], cubic $T > 300$ °C [Fi10]	
Ba ₂ SmNbO ₆	C	8.518				Ga1	P & S [Br16]	
Ba ₂ EuNbO ₆	C	8.507				Ga1	P & S [Br16], fluorescences [Bu11, Ni1, Bl14]	
Ba ₂ GdNbO ₆	C	8.496				Ga1	P & S [Br16], probably ordered	
Ba ₂ TbNbO ₆	C	4.229				Ga1	P & S [Br16]	
Ba ₂ DyNbO ₆	C	8.437				Ga1	P & S [Br16]	
Ba ₂ HoNbO ₆	C	8.434				Ga1	P & S [Br16]	
Ba ₂ ErNbO ₆	C	8.427				Ga1	P & S [Br16]	
Ba ₂ TmNbO ₆	C	8.408				Ga1	P & S [Br16], dielectric properties [Ag1]	
Ba ₂ YbNbO ₆	C	8.374				Ga1	P & S [Br16]	
Ba ₂ LuNbO ₆	C	8.364				Sl6		
Ba ₂ TINbO ₆	C	8.42				Ve2	P & S [Vi3, Ve3], dielectric properties [Vi2b]	
Ba ₂ BiNbO ₆	R	6.086				Fi10	P & S [Sl7]	
Sr ₂ AlNbO ₆	C	7.784				Ga13		
Sr ₂ CaNbO _{6.5}	C	8.20				Ch10		
Sr ₂ VNbO ₆	C	3.965				Bl8	P & S [Br14]	
Sr ₂ CrNbO ₆	C	7.87				Ha32	P & S [Ku12], cubic $T > 200$ °C [Ku12]	
Sr ₂ MnNbO ₆	R	3.97				Ku6	P & S [Ga13, Ku12]	
Sr ₂ FeNbO ₆	T	3.960				Ku6	$T = 250$ °C, cubic $T \geq 250$ °C	
Sr ₂ CoNbO ₆	C	3.968				Bl8		
Sr ₂ GaNbO ₆	C	3.93				Br14		
Sr ₂ SrNbO _{6.5}	C	3.9477				Ga13		
Sr ₂ YNbO ₆	R	8.34				Ku12	Cubic $T > 630$ °C	
Sr ₂ InNbO ₆	C	5.184				Fi10	P & S [Br14]	
		8.106						

3.1 ABX₃ perovskite structure

Compound	Sym	a Å	b Å	c Å	angle °	Ref.	Remarks
A ²⁺ BNb ⁵⁺ O ₆ (continued)							
Sr ₂ PrNbO ₆	T	5.822		8.431		Ku12	
Sr ₂ NdNbO ₆	M	5.780		8.367		Ku12	
Sr ₂ SmNbO ₆	M	5.85	5.94	8.30	$\beta = 90^\circ 12'$	Fi10	P & S [Ku12]
Sr ₂ EuNbO ₆	M	5.84	5.91	8.30	$\beta = 90^\circ 12'$	Fi10	
Sr ₂ GdNbO ₆	M	5.83	5.90	8.28	$\beta = 90^\circ 15'$	Fi10	
Sr ₂ TbNbO ₆	M	5.82	5.88	8.27	$\beta = 90^\circ 8'$	Fi10	
Sr ₂ DyNbO ₆	M	5.81	5.87	8.26	$\beta = 90^\circ 9'$	Fi10	
Sr ₂ HoNbO ₆	M	5.81	5.86	8.23	$\beta = 90^\circ 6'$	Fi10	
Sr ₂ ErNbO ₆	M	5.80	5.84	8.23	$\beta = 90^\circ 4'$	Fi10	
Sr ₂ TmNbO ₆	C	8.20				Ku12	Slight distortion
Sr ₂ YbNbO ₆	C	8.196				Fi10	Cubic $T > 540$ °C
Sr ₂ LuNbO ₆	C	8.19				Ku12	Cubic $T > 540$ °C
SrLaCoNbO ₆	C	7.99				Bl8	
SrLaNiNbO ₆	C	7.95				Bl8	
SrLaCuNbO ₆	T	7.80		8.28		Bl8	
La ₂ LiNbO ₆	O						Ordered perovskite (E_{u^3+} fluorescence) [Bl14]
Ca ₂ AlNbO ₆	O	5.382		5.408		Fi8	
Ca ₂ VNbO ₆	O	5.44		5.51		Ch9	
Ca ₂ C ₂ NbO ₆	O	5.418		5.494		Fi8	
Ca ₂ MnNbO ₆	O	5.44		5.55		Ha32	
Ca ₂ FeNbO ₆	O	5.451		5.551		Fi8	
Ca ₂ YNbO ₆	O	5.580		5.819		Fi8	
Ca ₂ InNbO ₆	O	5.532		5.715		Fi8	
Ca ₂ LaNbO ₆	O	5.652		5.866		Fi8	
Ca ₂ PtNbO ₆	O	5.623		5.866		Fi8	
Ca ₂ NdNbO ₆	O	5.612		5.858		Fi8	
Ca ₂ SmNbO ₆	M	5.590		5.860		Fi8	
Ca ₂ GdNbO ₆	M	5.572		5.841		Fi8	
Ca ₂ TbNbO ₆	O	5.571		5.830		Fi8	
Ca ₂ DyNbO ₆	O	5.580		5.819		Fi8	
Ca ₂ HoNbO ₆	O	5.580		5.812		Fi8	
Ca ₂ ErNbO ₆	O	5.575		5.794		Fi8	
Ca ₂ YbNbO ₆	O	5.571		5.769		Fi8	
Pb ₂ AlNbO ₆	C	10.53				Fi11	Defect pyrochlore type P & S [4g1, v _{e4}]
Pb ₂ ScNbO ₆	T	4.074				Is2	Dielectric properties [J_{03} , S_{m18} , T_{e8e}], S.S. with Pb(Ti, Zr, Hf)O ₃ [J_{03}], crystal growth [Ga5]
Pb ₂ Sc _{0.5} Cr _{0.5} NbO ₆	C	4.060				To1	Possible rhombohedral distortion
Pb ₂ CrNbO ₆	C	10.54				Fi11	Defect pyrochlore type P & S [Ha22], S.S. with Fe and PbTiO ₃ [Ha11]
Pb ₂ MnNbO ₆	C	4.023					

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3.1 ABX₃ Perowskit-Struktur

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Compound	Sym	α Å	b Å	c Å	angle	Ref.	Magnetic Data
$A^{2+}BNb^5+O_6$ (continued)							
Pb ₂ FeNbO ₆	R	4.014			$\alpha = 89^\circ 55'$	Ku10	P & S [Ro8], S. S. with BiFeO ₃ [Sm12, Is8, Yu2], complete structure [Pl3], crystal growth [Ga5], dielectric properties [Kh8, Sm25, Sm16, Bo8, Sh32, Sk1, Sh33], optical spectra [Pi5], B site ordering [Yu9], S. S. with Ta [Sh33]
Pb ₂ CoNbO ₆	C	8.084				Ro8	Dielectric properties [Ku10, Ag1, Ve4]
Pb ₂ NiNbO ₆	C	4.030				Ku10	Dielectric properties [Ku10] with 5% Ba [Sh32]
Pb ₂ GaNbO ₆	C	10.65				Fi11	High pressure preparation, no dimension [To11a]
Pb ₂ YNbO ₆	C	4.110				Ku9	Pyrochlore type
Pb ₂ InNbO ₆	O	5.86	5.91	8.21		Ku9	Dielectric properties [Ku10]
Pb ₂ HnNbO ₆	O	5.858	5.936	8.178		Ku10	Cubic $T > 280^\circ\text{C}$, dielectric properties [Ku10, Ku10, Ag1, Is17], S. S. with PbFe _{2/3} W _{1/3} O ₃ [To5, T011, Ro11]
Pb ₂ TmNbO ₆	O	5.848	5.918	8.186		Fi11	Cubic $T > 280^\circ\text{C}$, dielectric properties [Ku9, Ku10, Is17]
Pb ₂ YbNbO ₆	O	5.850	5.902	8.176		Ku9	Defect pyrochlore type
Pb ₂ LuNbO ₆	O					Ve4	Dielectric properties [Ve4, Vi5]
Pb ₂ BiNbO ₆	M	10.777	10.643	10.777	$\beta = 90^\circ 29'$	Vi5	Dielectric properties [Ve4, Vi5]
Pb ₂ MG _{0.5} Mn _{0.5} NbO ₆	C	4.018				Vi5	Dielectric properties [Ve4, Vi5]
Pb ₂ Co _{0.5} Mn _{0.5} NbO ₆	C	4.020				Vi5	Dielectric properties [Ve4, Vi5]
Pb ₂ Ni _{0.5} Mn _{0.5} NbO ₆	C	4.018				Vi5	Dielectric properties [Ve4, Vi5]
Pb ₂ Zn _{0.5} Mn _{0.5} NbO ₆	C	4.028				Ro8	Dielectric properties [Ve4, Vi5]
Pb ₂ Cd _{0.5} Mn _{0.5} NbO ₆	C	4.060					Not single phase (no dimensions)
$A_2^{2+}BSb^5+O_6$							
Ba ₂ ScSbO ₆	C	8.197				Sl6	Not perovskite [Bl8]
Ba ₂ CrSSbO ₆						Bl8	Not perovskite [Bl8]
Ba ₂ MnSbO ₆						Bl8	Hex (6L), P & S [Sl6, Bl3]
Ba ₂ F ₂ SbO ₆	H	5.79		14.22		Sl6	Hex (6L)
Ba ₂ CoSbO ₆	H	5.72		14.00		Bl8	Not perovskite [Bl8]
Ba ₂ NiSbO ₆	H	5.78		14.20		Bl8	Hex (6L)
Ba ₂ RhSbO ₆	C	8.269				Bl8	P & S [Bl3, Bl8]
Ba ₂ InSbO ₆	C	8.44				Bl8	P & S [Sl6, Bl3]
Ba ₂ GdSbO ₆	C	7.87		8.08		Bl8	P & S [Sl6, Bl3]
Sr ₂ CrSbO ₆	C	7.86				Bl8	Not single phase (no dimensions)
Sr ₂ MnSbO ₆	C	7.90				Bl8	
Sr ₂ FeSbO ₆	C	7.88				Bl8	
Sr ₂ CoSbO ₆	C						
Sr ₂ NiSbO ₆	T						

3.1 ABX₃ perovskite structureB₁₈ Not single phase (no dimensions)

T

B₁₈A₂⁺B₂Sb⁵⁺O₆ (continued)

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
Sr ₂ GaSbO ₆	T	7.84	5.77	7.91		Sl6		
Sr ₂ RhSbO ₆	O	5.55	5.54	7.99		B18		6
Ca ₂ FeSbO ₆	O	5.47		7.74		B18		6
SrLaMgSbO ₆	C		7.99			B14		6
SrLaCoSbO ₆	C		7.93			B18		6
SrLaNiSbO ₆	C		7.80			B18		6
SrLaCuSbO ₆	T			8.35		B18		
A ₂ ⁺ BTa ⁵⁺ O ₆								
Ba ₂ AlTaO ₆	C	8.220				F10	No compound [Ag1, Sm8] Dielectric properties [Ag1, Br13, Br14], P&S [Ga15]	
Ba ₂ ScTaO ₆	C		8.104			Sl1	P&S [Ch10]	
Ba ₂ YTaO ₆	H					Sl1	Hex (6 ³) no dimensions	
Ba ₂ CrTaO ₆	C		4.076			Fi5	F&S [Sl1]	
Ba ₂ MnTaO ₆	C		4.048			Fi5	F&S [Ga1/3], dielectric properties [Ag1], S.S. with BaTiO ₃ [Na9]	
Ba ₂ FeTaO ₆	C					Sl1	P&S [Ag1, Br13, Br14, Fi5, La9], doped with Nd, Sm, Yb [Ga15]	
Ba ₂ NiTaO ₆	C		8.152			Fi10	P&S [Br13]	
Ba ₂ YTaO ₆	C		8.424			Fi10	P&S [Ag1, Ga15] doped with Nd, Sm, Yb [Ga15]	
Ba ₂ InTaO ₆	C		8.282			Fi10	P&S [Br13]	
Ba ₂ BaTaO ₆	C		8.70			Fi10	P&S [Br13], doped with Nd [Ga15], cubic > 300 °C [Fi5]	
Ba ₂ LaTaO ₆	R		6.07			Fi10	Doped with Nd [Ga15]	
Ba ₂ PrTaO ₆	R				$\alpha = 60^\circ 25'$	Fi10	P&S [B*13, Fi5] cubic $T > 300$ °C [Fi5]	
Ba ₂ NdTaO ₆	R					Fi10	P&S [B*13, Fi5] cubic $T > 300$ °C [Fi5]	
Ba ₂ SmTaO ₆	R					Fi10	P&S [B*13, Fi5] cubic $T > 300$ °C [Fi5]	
Ba ₂ EuTaO ₆	C					Fi10	P&S [Ga15]	
Ba ₂ GdTaO ₆	C					Fi10	Doped with Nd [Ga15]	
Ba ₂ TbTaO ₆	C					Fi10	P&S [Ga15]	
Ba ₂ DyTaO ₆	C					Fi10	P&S [Ga15]	
Ba ₂ HoTaO ₆	C					Fi10	P&S [Ga15]	
Ba ₂ ErTaO ₆	C					Fi10	P&S [Ga15]	
Ba ₂ ImTaO ₆	C					Fi10	P&S [Ga15], dielectric properties [Ag1]	
Ba ₂ YbTaO ₆	C					Sl1	P&S [Ga15], doped with Nd [Ga15]	
Ba ₂ LuTaO ₆	C					Fi10	Dielectric properties [Vi3, Ve3]	
Ba ₂ TiTaO ₆	C					Ve2	P&S [Sl1], B-B' ordering [Sl1]	
Ba ₂ BTaO ₆	R					Fi10	P&S [Sl1], B-B' ordering [Sl1]	
Sr ₂ AlTaO ₆	C							

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Compound	Sym	a Å	b Å	c Å	angle	Ref.	Magnetic Data	Remarks
$A_2^{2+}B\text{Ta}^{5+}\text{O}_6$ (continued)								
Sr ₂ VTaO ₆	C	3.967				Ch10 Na7	P & S [Ro20], S.S. with Fe [Na7]	
Sr ₂ CrTaO ₆	C	3.94				Ku12 Ku7	P & S [Ku12, Si1, Na5, Na6, Na7], B-B' ordering [Si1, Be5], S.S. with SrTiO ₃ and Ba ₂ FeTaO ₆ [Na5, Be5], S.S. with BaTiO ₃ [Na6]	6
Sr ₂ MnTaO ₆	C	3.994						
Sr ₂ FeTaO ₆	T	3.960						
Sr ₂ GaTaO ₆	C	3.973				Ku7 Si1	Cubic at 250 °C [Ku7, Na5, Na6]	
Sr ₂ SrTaO _{5.5}	C	7.892					P & S [B13]	
Sr ₂ YTaO ₆	R	8.34			$\alpha = 59^\circ 46'$	Ku12 Si1		
Sr ₂ RhTaO ₆	C	5.837				Fi10 Ku12	P & S [Si1]	
Sr ₂ InTaO ₆	C	7.936					P & S [B13]	
Sr ₂ LaTaO ₆	T	8.110					P & S [Ku12]	
Sr ₂ PtTaO ₆	M	5.853					P & S [Ku12]	
Sr ₂ NdTaO ₆	M	5.87					P & S [Ku12]	
Sr ₂ SmTaO ₆	M	5.86					P & S [Ku12]	
Sr ₂ EuTaO ₆	M	5.85						
Sr ₂ GdTaO ₆	M	5.98			$\beta = 90^\circ 9'$	Fi10 Fi10		
Sr ₂ TbTaO ₆	M	5.86			$\beta = 90^\circ 9'$	Fi10 Fi10		
Sr ₂ DyTaO ₆	M	5.82			$\beta = 90^\circ 11'$	Fi10 Fi10		
Sr ₂ HoTaO ₆	M	5.81			$\beta = 90^\circ 12'$	Fi10 Fi10		
Sr ₂ ErTaO ₆	M	5.80			$\beta = 90^\circ 13'$	Fi10 Fi10		
Sr ₂ TmTaO ₆	C	8.20			$\beta = 90^\circ 9'$	Fi10 Fi10		
Sr ₂ YbTaO ₆	C	8.196			$\beta = 90^\circ 8'$	Fi10 Fi10		
Sr ₂ LuTaO ₆	C	8.18			$\beta = 90^\circ 8'$	Fi10 Fi10		
Sr ₂ LaCoTaO ₆	C	7.99			$\beta = 90^\circ 4'$	Fi10 Fi10		
Sr ₂ LaNiTaO ₆	C	7.95						
Sr ₂ LaCuTaO ₆	T	7.80						
Ca ₂ AlTaO ₆	O	5.381						
Ca ₂ YTaO ₆	O	5.407						
Ca ₂ CrTaO ₆	O	5.49						
Ca ₂ MnTaO ₆	O	5.418						
Ca ₂ FeTaO ₆	O	5.462						
Ca ₂ YTaO ₆	O	5.451						
Ca ₂ InTaO ₆	O	5.580						
Ca ₂ LaTaO ₆	O	5.531						
Ca ₂ PrTaO ₆	O	5.654						
Ca ₂ NdTaO ₆	O	5.629						
Ca ₂ SmTaO ₆	O	5.616						
		5.606						
		5.853						
		8.096						
in 3.3.4, Tab.								
6								
6								

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Ca₂SmTaO₆ | O | 5.606 | 5.853 | 8.096 | Fr^{+} | Possibly lower symmetry
 | F_{i8} | Possibly lower symmetry

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
A₂⁺BTa₅⁺O₆ (continued)								
Ca ₂ GdTaO ₆	M	5.572	5.841	8.080	$\beta = 90^\circ 12'$	F _{i8}		
Ca ₂ TbTaO ₆	M	5.574	5.833	8.076	$\beta = 90^\circ 12'$	F _{i8}		
Ca ₂ DyTaO ₆	O	5.582	5.820	8.064		F _{i8}		
Ca ₂ HoTaO ₆	O	5.586	5.811	8.054		F _{i8}		
Ca ₂ ErTaO ₆	O	5.582	5.796	8.033		F _{i8}		
Ca ₂ YbTaO ₆	O	5.570	5.772	8.002		F _{i8}		
Pb ₂ AlTaO ₆	C	10.51				F _{i1}		
Pb ₂ ScTaO ₆	C	4.080				Ga5		
Pb ₂ MnTaO ₆	C	10.73				F _{i11}		
Pb ₂ FeTaO ₆	C	4.011				Ga5		
Pb ₂ CoTaO _{5.5}	C	4.038				Ku11		
Pb ₂ YTaO ₆	C	10.70				P & S [A ^g] ¹ , crystal growth [Ga5], dielectric properties [Sm18]	6	
Pb ₂ PTaO ₆	C	10.75				Defect pyrochlore type, 5% Sr for Pb gives perovskite [Sh32]	6	
Pb ₂ NdTaO ₆	C	10.68				P & S [A ^g] ¹ , crystal growth [Ga5], Prop. [Sh32]	6	
Pb ₂ SmTaO ₆	C	10.70				Dielectric properties [Ku11, Sh32]	6	
Pb ₂ YbTaO ₆	O	5.85	5.90	8.22		F _{i11}		
Pb ₂ LuTaO ₆	O	5.848	5.899	8.214		F _{i11}		
Pb ₂ BiTaO ₆	T	10.686		10.816		Ku9		
Pb ₂ Mg _{0.5} Mn _{0.5} TaO ₆	C	4.015				V _{i3}		
Pb ₂ Ni _{0.5} Mn _{0.5} TaO ₆	C	4.009				V _{i5}		
A ₂ ⁺ BBBO ₆ ; B' = Bi ⁵⁺ , Pa ⁵⁺ , Pu ⁵⁺						V _{i5}		
Ba ₂ LaBiO ₆	C		8.759			Sc18b		
Ba ₂ BiBiO ₆	C		8.549			Sc18b		
Ba ₂ ScPaO ₆	C		8.860			Ke5		
Ba ₂ SrPaO _{5.5}	C		8.718			Ke5		
Ba ₂ YPaO ₆	C		8.596			Ke5		
Ba ₂ InPaO ₆	C		8.932			Ke5		
Ba ₂ BaPaO _{5.5}	C		8.885			Ke5		
Ba ₂ LaPaO ₆	C		8.800			Ke5		
Ba ₂ CePaO ₆	C		8.862			Ke5		
Ba ₂ PrPaO ₆	C		8.840			Ke5		
Ba ₂ NdPaO ₆	C		8.792			Ke5		
Ba ₂ SmPaO ₆	C		8.783			Ke5		
Ba ₂ EuPaO ₆	C		8.770			Ke5		
Ba ₂ GdPaO ₆	C		8.753			Ke5		
Ba ₂ TdPaO ₆	C							

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Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data
<i>A</i> ²⁺ BB' ⁶⁻ O ₆ ; B' = Bi ³⁺ , Ba ²⁺ , Pu ⁵⁺ (continued)								
Ba ₂ DyPaO ₆	C	8.740				K ₆ J		
Ba ₂ HoPaO ₆	C	8.730				K ₆ J		
Ba ₂ ErPaO ₆	C	8.716				K ₆ J		
Ba ₂ TmPaO ₆	C	8.692				K ₆ J		
Ba ₂ YbPaO ₆	C	8.678				K ₆ J		
Ba ₂ LuPaO ₆	C	8.666				K ₆ J		
Ba ₂ PuPaO ₆	C	8.748				K ₆ J		
Ba ₂ AmPaO ₆	C	8.793				K ₆ J		
Sr ₂ LuPaO ₆	C	8.462				K ₆ J		
Ba ₂ SrSrPaO _{5.5}	C	8.784				Aw2		
Ba ₂ MnPuO ₆	C	8.32				Aw2		
Ba ₂ InPuO ₆	C	8.50				Aw2		
Ba ₂ LaPuO ₆	C	8.63				Aw2		
Ba ₂ CePuO ₆	C	8.72				Aw2		
Ba ₂ NdPuO ₆	C	8.66				Aw2		
Ba ₂ TiPuO ₆	C	8.06				Aw2		
Ba ₂ ZnPuO ₆	C	8.38				Aw2		
Ba ₂ PbPuO ₆	C	8.58				Aw2		
A ₂ ²⁺ BMo ₆ ⁴⁺ O ₆								
Ba ₂ CaMoO ₆	C	8.355				St32	No compound [Pa7]	
Ba ₂ CrMoO ₆	C	8.08				Pa7	S.S. with Sr [Ga12]	6
Ba ₂ FeMoO ₆	C	4.043				B ^v 14	Probably ordered	
Ba ₂ CoMoO ₆	C	4.022				B ^v 14	Probably ordered	6
Ba ₂ NiMoO ₆	C	3.91				B ^v 14		6
Sr ₂ CrMoO ₆	C	7.98				B ^v 14	P & S [Pa7], Prop. [Ga12, Na4], S.S. with Ba	6
Sr ₂ MnMoO ₆	T	7.888				Ga12	and Ca, [Ga12], neutron diffraction [Na11]	6
Sr ₂ FeMoO ₆	T	7.909				Ku8	P & S [B ^v 14]	6
Sr ₂ CoMoO ₆	T	7.940				Ku8	Cubic at 320 °C; no dielectric anomaly	6
Sr ₂ NiMoO ₆	T	7.886				Ku8	P & S [B ^v 14], semiconducting, $\Delta E = 0.78$ eV \leq 181 °C \leq 1.30 eV [No1], S.S. with Ba, cubic at 222% Ba [No1, No2]	6
	C	7.878				Ku8	Cubic at 230 °C [Ku8, No3], no dielectric anomaly [Ku8]	
Sr ₂ ZnMoO ₆	T	5.561				Ku8	Cubic at 420 °C; no dielectric anomaly	
	C	7.954				Ku8		

Ref. p. 275]

3.1 ABX₃ perovskite structure

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data
<i>A</i> ₃ ⁺ BMo ₆ ⁺ O ₆ (continued)								
Ca ₂ C ₂ MoO ₆	0	5.36	5.49	7.70		Pa7		in 3.3.4, Tab. 6
Ca ₂ FeMoO ₆	0	5.42	5.53	7.73		Pa7		6
<i>A</i> ₃ ⁺ BTe ₃ ⁺ O ₆								
Ba ₂ MgTeO ₆	C	8.13				Sl6	P & S [Ba26, Re4a]	
Ba ₂ Ca ₂ TeO ₆	C	8.393				Sl6	P & S [Ba26], S.S. with Ni [Re4a]	
BaPbMgTeO ₆	C	8.08				Ba26		
Sr ₂ MgTeO ₆	C	7.94				Ba26		
SrPbMgTeO ₆	C	7.955				Ba26		
Sr ₂ NiTeO ₆	C	3.95				Re4a	Optical properties and S. S. with Ba	
Sr ₂ CuTeO ₆	T	7.680				Re4b	Optical properties	
Ca ₂ CaTeO ₆	O	5.55				B1/a		
Pb ₂ MgTeO ₆	C	7.99				Ba26		
<i>A</i> ₃ ⁺ BW ₆ ⁺ O ₆								
Ba ₂ MgWO ₆	C	8.099				St32	P & S [Be18], dielectric properties [Ag1]	
Ba ₂ CaWO ₆	C	8.390				Be18	P & S [St32], S.S. with Ni [Re4a]	
Ba ₂ C ₂ WO ₆	C	8.133				Pa7	No perovskite	
Ba ₂ FeWO ₆	C	8.098				Fy14	P & S [Br14], Prop., semiconducting, $\Delta E = 0.81$ eV [Bo1], neutron diffraction [<i>Co31</i>]	6
Ba ₂ CoWO ₆	C	8.066				Fy14	P & S [<i>Co31</i>], optical properties [<i>Re4a</i>]	6
Ba ₂ NiWO ₆	C	8.066				Fy14	[Ka12, ν_{e2} , ν_{e3}], complete structure [<i>P3</i>]	6
Ba ₂ CuWO ₆	T	7.88				Bl8	P & S [K ₂ 18]	
Ba ₂ ZnWO ₆	C	8.116				Fr14	P & S [Fi10, St32], S.S. with Sr ₃ WO ₆ [Be18]	
Ba ₂ SrWO ₆	C	8.53				Be18		
Ba ₂ CdWO ₆	C	8.383				Be18	Slightly distorted; cubic $T > 805$ °C [Ch4]	
Ba ₂ BaWO ₆	C	8.62				St32	P & S [St32]	
BaSrMgWO ₆	C	8.02				Be18	P & S [Be18]	
Ba _{1.5} Ca _{0.5} CaWO ₆	C	8.387				St32	Distorted	
BaSrCaWO ₆	C	8.29				Be18	Composition questionable	
BaCa ₂ CaWO ₆	C	8.363				Be18	Distorted	
BaSrZnWO ₆	C	8.07				Be18	Composition questionable	
BaCaZnWO ₆	C	8.38				Be18	P & S [St32], distorted	
Sr ₂ MgWO ₆	C	7.8				Be18	Distorted	
Sr ₂ CaWO ₆	C	8.2				Pa7	Prop. [B14]	6
Sr ₂ CrWO ₆	C	7.82				Bl8	Prop. [B14]	6
Sr ₂ MnWO ₆	C	8.01						6
Sr ₂ FeWO ₆	C	7.96						6

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3.1 ABX₃ Perowskit-Struktur

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Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
$A_2^{2+}BW_6^{\circ}O_6$ (continued)								
Sr ₂ CoWO ₆	T	7.89		7.98		F _r 14 Ku8 F _r 14	P & S [B _r 14], Prop. [N _o 1, Ku8, B ₁ 2, B ₁ 4] $T \approx 400$ °C, cubic $T > 400$ °C; no dielectric anomaly	6
Sr ₂ NiWO ₆	T	7.904 7.86		7.91		P & S [B _r 14], Prop. [N _o 1, B ₁ 2, B ₁ 4, N _o 2, V _e 1, N _o 2, Re4a], S.S. with LaFeO ₃ [Sm23], S.S. with Ba [N _o 2], ESR [N _o 4], S.S. with Ca [Re4a]	6	
Sr ₂ CuWO ₆	C	7.908				Ku8 Bl8 F _r 14	$T \approx 300$ °C, cubic $T > 300$ °C [Ku8, N _o 4] P & S [Ka1/2], dielectric properties [V _e 2] P & S [Ku8, Be18], S.S. with Ba, cubic $> 40\%$ Ba [F _r 14]	6
Sr ₂ ZnWO ₆	T	7.66 7.92		8.40 8.01		Ku8 Be18	$T \approx 430$ °C, cubic $T > 430$ °C [Ku8, F _r 14], no dielectric anomaly [Ku8]	
Sr ₂ SrWO ₆	C	7.956		8.3		Be18	Distorted, P & S [Sr32]; cubic $T > 1100$ °C, S.S. with Ca [Ch3]	
SrCaMgWO ₆	C	7.87				Be18	Distorted, P & S [St12]	
SrCaCaWO ₆	C	8.1				Be18	Distorted, P & S [St12]	
Ca ₂ MgWO ₆	C	7.75				St32	Distorted, P & S [Be18]	
Ca ₂ Ca ₂ WO ₆	C	8.02				St32	Distorted, P & S [Be18]; not cubic $T < 1500$ °K, S.S. with Sr [Ch3, Ch4]	
Ca ₂ CrWO ₆	O	5.35		5.47	7.70	Pa7	Prop. [Bl2, Ki7]	
Ca ₂ CoWO ₆	O	5.43		5.60	7.73	Bl8	Optical properties [Re4a]	
Ca ₂ NiWO ₆	O	5.40		5.55	7.70	Bl8	Not perovskite [Bl8]	
Pb ₂ MgWO ₆	C	8.0				Be8	Dielectric properties [Sm8, Ag1, Sm13, Kh5, Mi1a, Kh6, Si42], piezoelectric properties, S.S. with Ti, Zr [Si34], S.S. with Cd [Is15], S.S. with PbFe _{2/3} W _{1/3} O ₈ [Sm10], S.S. with PbTiO ₃ , Ca ₂ MgWO ₆ , Pb ₃ Mg ₂ WO ₆ [Sm20, Si35]	
Pb ₂ CaWO ₆	C	4.2				Be8 Ve3	Distorted, dielectric properties [Ag1] Prop. [Vz2, Ve4, Ro8]	
Pb ₂ MnWO ₆	O	5.736		5.756	8.066	Ve3	Prop., no cell dimensions [Ve4]	
Pb ₂ FeWO ₆	O	5.661		5.676	9.976	P & S [Fi11, Be18], Prop. [Te ₁ 3, Bo10, Ki7, Fi6], B site ordering [Yu9], S.S. with BaTiO ₃ [To2]		
Pb ₂ CoWO ₆	O					Bo10	$T \approx 20$ °C, cubic $T > 20$ °C	
Pb ₂ NiWO ₆	C					Fi6	Dielectric properties, P & S [T _o 11a, T _o 11b]	
Pb ₂ NiWO ₆	C	8.017				No6	$T = 173$ °K – tetragonal below 290 °K	
Pb ₂ NiWO ₆	T	7.997				No6	Distorted, dielectric properties [Ro6], S.S. with Mg [Is15]	
Pb ₂ CdWO ₆	C	8.006		7.920		Be18	Cubic at 400 °C, transformations [Po8], S.S. with Pb (Li _{1/3} Nb _{1/3} W _{1/3})O ₃ [Di5]	
Pb ₂ CdWO ₆	C	4.15				Fi7		

3.1 ABX₃ perovskite structure

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle °	Ref.	Remarks	Magnetic Data
<i>A</i> ₂ ⁺ BW ₆ ⁺ O ₆ (continued)								
Pb ₂ Na _{0.5} Sc _{0.5} WO ₆	T	8.202	8.104	8.018		Ve4	Dielectric properties, no cell dimensions	in 3.3.4, Tab.
Pb ₂ Na _{0.5} Fe _{0.5} WO ₆	T	8.082				Ve4	Dielectric properties, no cell dimensions	
Pb ₂ Na _{0.5} Yb _{0.5} WO ₆	T					Ve4	Dielectric properties, no cell dimensions	
Pb ₂ Mg _{0.5} Mn _{0.5} WO ₆	T					Vi5	Dielectric properties [Vi5, Ve4]	
Pb ₂ Co _{0.5} Mn _{0.5} WO ₆	T					Vi5	Dielectric properties [Vi5, Ve4]	
Pb ₂ Ni _{0.5} Mn _{0.5} WO ₆	C					No cell dimensions, Prop. [Vi5]	No cell dimensions, Prop. [Vi5, Ve2, Ve3, Ve4]	6
Pb ₂ Li _{0.5} Fe _{0.5} WO ₆	C	8.008				Ve3	Dielectric properties [Vi5, Ve2, Ve3]	
Pb ₂ Li _{0.5} Co _{0.5} WO ₆	C	4.013				Ve3	Dielectric properties [Vi5]	
Pb ₂ Li _{0.5} La _{0.5} WO ₆	C	8.04				Vi5	Dielectric properties [Ve2, Ve3, Ve4]	
Pb ₂ Li _{0.5} Yb _{0.5} WO ₆	C	4.100				Vi5	Dielectric properties [Ve2, Ve3, Ve4]	
Pb ₂ Li _{0.5} Mn _{0.5} WO ₆	C					Ve3	Dielectric properties, no cell dimensions	
Pb ₂ Li _{0.5} Zr _{0.5} WO ₆	C					Ve4	Dielectric properties, no cell dimensions	
Pb ₂ Li _{0.5} Hf _{0.5} WO ₆	C					Ve4	Dielectric properties, no cell dimensions	
Pb ₂ YbTi _{0.5} WO ₆	C	4.124				Ve3	Dielectric properties [Ve2, Ve3, Ve4]	
Pb ₂ FeMn _{0.5} WO ₆	C	4.037				Ro8	Dielectric properties [Ve4]	6
<i>A</i> ₂ ⁺ BReO ₆ , Re ⁵⁺ and Re ⁶⁺								
Ba ₂ MgReO ₆	C	8.082				Sl8	P & S [Lo2, Sc18], single crystal [Sl7]	
Ba ₂ CaReO ₆	C	8.356				Sl8	P & S [Lo2, Sc18]	
Ba ₂ ScReO ₆	C	8.163				Sl8	P & S [Sc18]	
Ba ₂ MnReO ₆	C	8.18				Sl8	P & S [Lo2, Wa15], single crystal + Prop. [Sl7]	6
Ba ₂ FeReO ₆	C	8.05				Sl8	P & S [Lo2, Wa15], single crystal + Prop. [Sl7], [Ba25a] suggests Ba ₂ Fe _{1+x} Re _{1-x} O ₆	6
Ba ₂ CoReO ₆	C	8.086				Sl8	P & S [Lo2, Wa15], single crystal + Prop. [Sl7]	6
Ba ₂ NiReO ₆	C	8.04				Sl8	P & S [Lo2, Sc18]	
Ba ₂ ZnReO ₆	C	8.106				Sl8	P & S [Lo2, Sc18]	
Ba ₂ SrReO ₆	T	8.60				Sl8	P & S [Lo2, Sc18]	
Ba ₂ YReO ₆	C	8.372				Sl8	P & S [Lo2]	
Ba ₂ CdReO ₆	C	8.322				Sl8	P & S [Sc18]	
Ba ₂ InReO ₆	C	8.258				Sl8	P & S [Sc18]	
Ba ₂ BaReO ₆	T	8.65				Ba25a	Prop. 900 °C, α_0 increases with prep. temperature suggesting Ba ₂ Re _{1-x} Re ⁶⁺ _x La _{1-x} Ba _x O ₆ ; P & S [Sl8]	6
Ba ₂ LaReO ₆	C	8.547				Sl8		
Ba ₂ NdReO ₆	C	8.51				Ba25a		
Ba ₂ SmReO ₆	C	8.458				Sl8		
Ba ₂ EuReO ₆	C	8.438				Ba25a		
Ba ₂ GdReO ₆	C	8.431				Sl8		
Ba ₂ TbReO ₆	C	8.399				Ba25a		

3.1 ABX₃ Perowskit-Struktur

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Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
A³⁺-BReO₆, Re⁵⁺ and Re⁶⁺ (continued)								
Ba ₂ DyReO ₆	C	8.391						Ba25a
Ba ₂ HoReO ₆	C	8.375						Ba25a
Ba ₂ ErReO ₆	C	8.354						S18
Ba ₂ TmReO ₆	C	8.342						Ba25a
Ba ₂ YbReO ₆	C	8.329						Ba25a
Ba _{2-x} Sr _x YbReO ₆	C	8.230						x = 1.2, small positive deviation from Vegard's law
Ba ₂ SrFeReO ₆	T	7.88	5.85	7.94				Prop. [S18, Lo2] Single crystal [S17], Prep. [Sc18]
Sr ₂ MgReO ₆	O	5.76		8.21				P & S [Sc18]
Sr ₂ CaReO ₆	C	8.02						
Sr ₂ ScReO ₆	C	7.82						
Sr ₂ CrReO ₆	C	8.01						
Sr ₂ MnReO ₆	T	7.86						
Sr ₂ FeReO ₆	T	7.88						
Sr ₂ CoReO ₆	T	7.85						
Sr ₂ NiReO ₆	T	7.89						
Sr ₂ ZnReO ₆	C	7.843						
Sr ₂ GaReO ₆	C	8.41						
Sr ₂ SrReO ₆	T	8.197						
Sr ₂ YReO ₆	C	5.73						
Sr ₂ CdReO ₆	C	8.071						
Sr ₂ InReO ₆	C	8.239						
Sr ₂ GdReO ₆	C	8.223						
Sr ₂ TbReO ₆	C	8.210						
Sr ₂ DyReO ₆	C	8.200						
Sr ₂ HoReO ₆	C	8.181						
Sr ₂ ErReO ₆	C	8.167						
Sr ₂ TmReO ₆	C	8.155						
Sr ₂ YbReO ₆	C	5.48						
Ca ₂ MgReO ₆	O	5.56						
Ca ₂ CaReO ₆	O	5.67						
Ca ₂ ScReO ₆	O	5.49						
Ca ₂ CrReO ₆	O	5.38						
Ca ₂ MnReO ₆	O	5.52						
Ca ₂ FeReO ₆	O	5.41						
Ca ₂ CoReO ₆	O	5.46						

3.1 ABX₃ perovskite structure

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data
A ₃ ⁺ BReO ₆ , Re ⁵⁺ and Re ⁶⁺ (continued)								in 3.3.4, Tab.
Ca ₂ NiReO ₆	O	5.45	5.55	7.67				S18
Ca ₂ CdReO ₆	O	5.64	5.77	7.99				S18
Pb ₂ MnReO ₆	O	5.69	5.74	8.024				Ro8
Pb ₂ MnReO ₆	O	5.67	5.75	8.008				Ro8
A ₃ ⁺ BOsO ₆								6
Ba ₂ MgOsO ₆	C	8.08						S18
Ba ₂ CaOsO ₆	C	8.362						S18
Ba ₂ ScOsO ₆	C	8.152						S18
Ba ₂ MnOsO ₆	H	5.82						Claim Mn ³⁺ —Re ⁵⁺ , Prop. [Ro8, Ro11]
Ba ₂ F ₂ OsO ₆	H	5.76						Claim Mn ³⁺ —Re ⁵⁺ , Prop. [Ro8, V84]
Ba ₂ ZnOsO ₆	C	8.095						6
Ba ₂ SrOsO ₆	T	8.43						6
Ba ₂ CdOsO ₆	C	8.325						6
Ba ₂ InOsO ₆	C	8.224						6
Ba ₂ BaOsO ₆	T	8.66						6
Sr ₂ MgOsO ₆	C	7.86						6
Sr ₂ CaOsO ₆	C	8.21						6
Sr ₂ ScOsO ₆	C	8.02						6
Sr ₂ CrOsO ₆	C	7.84						6
Sr ₂ FeOsO ₆	C	7.85						6
Sr ₂ CoOsO ₆	T	7.86						6
Sr ₂ GaOsO ₆	C	7.82						6
Sr ₂ SrOsO ₆	T	8.32						6
Sr ₂ InOsO ₆	C	8.06						6
Ca ₂ CaOsO ₆	O	5.73	5.80	7.87				S18
Ca ₂ CrOsO ₆	O	5.38	5.47	7.66				S18
Ca ₂ CoOsO ₆	O	5.47	5.59	7.70				S18
A ₃ ⁺ BUO ₆								Aw1
Ba ₂ BeUO ₆	C	8.82						S15
Ba ₂ MgUO ₆	C	8.381						Doubtful
Ba ₂ CaUO ₆	C	8.67						S15
Ba ₂ ScUO ₆	C	8.49						S15
Ba ₂ TiUO ₆	C	8.05						Aw1
Ba ₂ CrUO ₆	C	8.297						Ti ⁴⁺
Ba ₂ MnUO ₆	C	8.52						Also prepared as Hex (6L)
Ba ₂ FeUO ₆	C	8.312						P & S [Aw1]
Ba ₂ CoUO ₆	C	8.372						Prop. [D15]

3.1 ABX₃ Perowskit-Struktur

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Ref.

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
<i>A</i> ³⁺ -BUO ₆ (continued)								
Ba ₂ NiUO ₆	C	8.336			8.84			SL5
Ba ₂ CuUO ₆	T	8.18						SL5
Ba ₂ ZnUO ₆	C	8.397						SL5
Ba ₂ GeUO ₆	C	8.56						Doubtful
Ba ₂ SrUO ₆	C	8.84						Distorted, P & S [Ru4]
Ba ₂ YUO ₆	C	8.69						Distorted
Ba ₂ ZrUO ₆	C	8.35						Distorted
Ba ₂ RhUO ₆	H	5.84						Hex (6L)
Ba ₂ CdUO ₆	O	6.07	6.13		14.9			SL5
Ba ₂ InUO ₆	C	8.521						SL5
Ba ₂ InUO ₆ , ^s	T	8.551						Ri4
Ba ₂ BaUO ₆	C	6.285						Aw1
Ba ₂ LaUO ₆	C	8.73						Aw1
Ba ₂ CeUO ₆	C	8.87						Aw1
Ba ₂ NdUO ₆	C	8.76						Aw1
Ba ₂ SmUO ₆	C	8.76						Aw1
Ba ₂ EuUO ₆	C	8.68						Aw1
Ba ₂ GdUO ₆	C	8.66						Aw1
Ba ₂ DyUO ₆	C	8.65						Aw1
Ba ₂ HoUO ₆	C	8.65						Aw1
Ba ₂ ErUO ₆	C	8.67						Aw1
Ba ₂ YbUO ₆	C	8.60						Aw1
Ba ₂ LuUO ₆	C	8.57						Aw1
Ba ₂ HfUO ₆	C	8.31						Aw1
Ba ₂ HgUO ₆	C	8.83						Doubtful
Ba ₂ PbUO ₆	C	8.85						Doubtful
Ba ₂ SrSrUO ₆	C	8.66						Ru4
Sr ₂ MgUO ₆	C	8.19						Distorted
Sr ₂ CaUO ₆	O	5.93						SL5
Sr ₂ CrUO ₆	O	8.09						SL5
Sr ₂ MnUO ₆	C	8.28						Distorted
Sr ₂ FeUO ₆	C	8.11						SL5
Sr ₂ CoUO ₆	C	8.19						Distorted
Sr ₂ NiUO ₆	C	8.15						Distorted
Sr ₂ SrUO ₆	M	5.959	6.179	8.553	β = 90° 11'	Ri4	Complete structure; P & S [SL5, Ru4, Be25, Ip1]	SL5
Sr ₂ CdUO ₆	O	5.91	6.03	8.42			Distorted; Prop. [Ke13]	SL5
Sr ₂ InUO ₆	C	8.33	6.01	8.36				SL5
Sr ₂ CaCaUO ₆	O	5.83						SL5

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle °	Ref.	Remarks	Magnetic Data
<i>A</i> ₂ ⁺ BUO ₆ (continued)								
Ca ₂ CaUO ₆	M	5.728	5.958	8.301	$\beta = 90^\circ 33'$	St4	Complete structure determined, P & S [Sl5, Ru4,	in 3.3.4, Tab.
Pb ₂ PbUO ₆	O	13.71	12.36	8.21		St26	[Be25, Ip1]	
A ₂ ⁺ BB'O ₆ ; B' = Np ⁶⁺ , Pu ⁶⁺	C						Not perovskite	
Ba ₂ SrNpO ₆	C	8.799						
Ba ₂ BaNpO ₆	C	8.860						
BaSrSrNpO ₆	C	8.735						
Ba ₂ SrPuO ₆	C	8.780						
Ba ₂ BaPuO ₆	C	8.840						
BaSrSrPuO ₆	C	8.717						
Sr ₂ SrPuO ₆							Not perovskite	
<i>A</i> ₂ ⁺ B+B'O ₆ ; B' = Tc ⁴⁺ , Re ³⁺ , Os ⁷⁺ , I ⁷⁺								
Ba ₂ LiTcO ₆	C	8.092				Wa16	P & S [Ke9]	
Ba ₂ NaTcO ₆	C	8.292				Wa16	P & S [Ke9]	
Sr ₂ LiTcO ₆	C	7.84				Wa16	Distorted, P & S [Ke9]	
Sr ₂ NaTcO ₆	T	8.09				Wa16	P & S [Ke9]	
Ca ₂ LiTcO ₆	C				8.14	Wa16	Not able to be made [Wa16]	
Ba ₂ LiReO ₆	C	8.118				Sl4		
Ba ₂ NaReO ₆	C	8.296				Sl4		
Sr ₂ LiReO ₆	C	7.87				Sl8		
Sr ₂ NaReO ₆	C	8.13				Sl8		
Ca ₂ LiReO ₆	C	7.83				Sl8		
Ba ₂ LiOsO ₆	C	8.100				Sl8		
Ba ₂ NaOsO ₆	C	8.282				Sl8		
Sr ₂ LiOsO ₆	C	7.86				Sl8		
Sr ₂ NaOsO ₆	C	8.13				Sl8		
Ca ₂ LiOsO ₆	C	7.83				Sl8		
Ba ₂ NaAlO ₆	C	8.33				Sl6		
Ba ₂ AgIO ₆	C	8.46				Sl6		

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Tab. 2c. A₃BB₂O₉ (for H₃ symmetry see Fig. 1c)

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data
A ₃ BB ₂ O ₉								in 3.3.4, Tab.
Ba ₃ MgNb ₂ O ₉	H	5.77		7.08			Ga ₉	P & S [Ga13, Bl8], see Fig. 1 (c)
Ba ₃ CaNb ₂ O ₉	H	5.92		7.25			Ga ₉	See Fig. 1 (c)
Ba ₃ FeNb ₂ O ₉	C	4.085					Ga ₉	
Ba ₃ CoNb ₂ O ₉	C	4.09					Ga ₁₃	P & S [Ro20, Ag1], dielectric properties [Sm8],
Ba ₃ NiNb ₂ O ₉	C	4.074					Ga ₉	optical properties [Re4a]
Ba ₃ CuNb ₂ O ₉	T	8.04		8.40			Bl8	Dielectric properties [Ka12, Ve3]
Ba ₃ ZnNb ₂ O ₉	C	8.166					Ve2	Cubic > 653 °K
Ba ₃ CdNb ₂ O ₉	C	4.094					Ga ₉	P & S [Ga13, Ag1]
Ba ₃ BaNb ₂ O ₉	H	4.168					Ga ₉	
Ba ₃ PbNb ₂ O ₉	C	6.01		8.0			Ga ₉	P & S [Bl8], see Fig. 1 (c)
Ba ₃ MgNb ₂ O ₉	H	4.26					Ga ₉	See Fig. 1 (c)
Sr ₃ CaNb ₂ O ₉	H	5.66		6.98			Ga ₉	See Fig. 1 (c)
Sr ₃ FeNb ₂ O ₉	T	5.76		7.16			Ga ₉	See Fig. 1 (c)
Sr ₃ CoNb ₂ O ₉	C	3.997		4.018			Ga ₉	
Sr ₃ NiNb ₂ O ₉	H	8.01					Bl8	P & S [Ag1], optical properties of S.S. with Ba and
Sr ₃ CuNb ₂ O ₉	T	5.64		6.90			Ga ₉	Ca [Re4a], see Fig. 1 (c)
Sr ₃ ZnNb ₂ O ₉	H	7.888					Ka12	Prop. [Ve2]
Sr ₃ CdNb ₂ O ₉	C	5.66		8.148			Ga ₉	P & S [Ga13], see Fig. 1 (c)
Ca ₃ CaNb ₂ O ₉	C	4.089		6.95			Ga ₉	Distorted perovskite
Ca ₃ NiNb ₂ O ₉	C	3.88					Bl8	
Pb ₃ MgNb ₂ O ₉	C	4.04					Ag1	Dielectric properties [Sm27, Ag1, Ou1, Ou1a, Ou2,
Pb ₃ MnNb ₂ O ₉	C	4.05					Ag1	Bo5, Is ¹ , Bo16, Be23, Kh5, Kh4, Rh8, Sm14,
Pb ₃ CoNb ₂ O ₉	C	4.02					Ag1	Sm20, Sm29, Sm8, Cr6b], crystal growth [Ba5,
Pb ₃ NiNb ₂ O ₉	C						Ag1	My3], electrooptic effect [Sm29]
							Ag1	No cell dimensions
Pb ₃ ZnNb ₂ O ₉	C						Bo5	Dielectric properties [Bo5, Ag1]
Pb ₃ Sc _{3/2} W _{1/2} Nb ₂ O ₉	C						Ag1	Dielectric properties [Ag1, Sm8, Bo5, Is4], crystal
Pb ₃ CdNb ₂ O ₉	C						Bo5	growth [Bo5, My3], S.S. with Mg [Sm20, Sm27,
							T ₀₁	Sm14, Is4, Cr6b], S.S. with Pb(Ti, Zr)O ₃ [Bu10],
							T ₀₁	electrooptic effect [Sm29a]
							Bo5	Dielectric properties [Bo5, Kh7, Be23a]
							T ₀₁	Dielectric properties [Ve4]
							T ₀₁	Dielectric properties [Ve2, Ve3, Ve4]

3.1 ABX₃ perovskite structure

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle °	Ref.	Magnetic Data
<i>A₃BB'₂O₉</i> (continued)							
Ba ₃ MgRu ₂ O ₉	H	5.83		14.26		Ca2	Hex (6L), magnetic properties 84 < <i>T</i> < 948 °K, $\Theta_N = 390$ °K [Ca2]
Ba ₃ MgSb ₂ O ₉	H	5.99		14.84		B18	Hex (6L)
Ba ₃ CaSb ₂ O ₉	H	5.84		14.35		B18	Hex (6L)
Ba ₃ CoSb ₂ O ₉	H	5.82		14.25		B18	Hex (6L), optical properties of S.S. with Sr and Nb [Re4a]
Ba ₃ NiSb ₂ O ₉	H					B18	Hex (6L)
Ba ₃ CuSb ₂ O ₉	H	5.82		14.22		B18	Hex (6L)
Ba ₃ SrSb ₂ O ₉	H	6.15		15.6		B18	Hex (6L)
Ba ₃ PbSb ₂ O ₉	H	6.09		15.9		B18	Hex (6L)
Sr ₃ MgSb ₂ O ₉	C	7.96					
Sr ₃ CaSb ₂ O ₉	C	8.17					
Sr ₃ CoSb ₂ O ₉	C	7.99					
Sr ₃ NiSb ₂ O ₉	C	3.98					
Sr ₃ CuSb ₂ O ₉	T	7.84					
Sr ₃ SrSb ₂ O ₉	O	5.78	5.80	8.19			
Sr ₃ La _{0.5} Li _{0.5} Sb ₂ O ₉	O	5.62	5.68	8.34			
Ba ₃ MgTa ₂ O ₉	H	5.782		7.067		B18	Crystal growth [Ga7], see Fig. 1(c)
Ba ₃ CaTa ₂ O ₉	H	5.895		7.284		B18	P & S [Ga8], crystal growth [Ga7], see Fig. 1(c)
Ba ₃ MnTa ₂ O ₉	H	5.819		7.127		B18	See Fig. 1(c)
Ba ₃ FeTa ₂ O ₉	C	4.10					
Ba ₃ CoTa ₂ O ₉	H	5.776		7.082		Ga13	P & S [Ro20], see Fig. 1(c)
Ba ₃ NiTa ₂ O ₉	H	5.758		7.052		Ga10	P & S [Ro20], crystal growth [Ga7], optical properties [Re4a], see Fig. 1(c)
Ba ₃ CuTa ₂ O ₉	T	8.132		8.432		Ka12	P, S + Prop. [Ve2, Ve2]
Ba ₃ ZnTa ₂ O ₉	H	5.782		7.097		Ga10	P & S [Ga13], crystal growth [Ga7], see Fig. 1(c)
Ba ₃ SrTa ₂ O ₉	H	5.95		7.47		Ga11	P & S [Ga13], see Fig. 1(c)
Ba ₃ CdTa ₂ O ₉	C	4.167				Ga10	See Fig. 1(c)
Ba ₃ BaTa ₂ O ₉	H	6.10				B18	
Ba ₃ PbTa ₂ O ₉	C	4.250				Ga10	
Ba ₃ Zn _{0.8} Ni _{0.2} Ta ₂ O ₉	C	4.08				Ga13	
Sr ₃ MgTa ₂ O ₉	H	5.652		6.951		Ga10	P & S [Ro20], see Fig. 1(c)
Sr ₃ CaTa ₂ O ₉	H	5.764		7.096		Ga10	See Fig. 1(c)
Sr ₃ CoTa ₂ O ₉	H	5.630		6.937		Ga10	P & S [Ga13], see Fig. 1(c)
Sr ₃ NiTa ₂ O ₉	H	5.607		6.923		Ga10	P & S [Ga13], see Fig. 1(c)
Sr ₃ CuTa ₂ O ₉	T	7.860		8.248		Ka12	P, S + Prop. [Ve2, Ve2]
Sr ₃ ZnTa ₂ O ₉	H	5.664		6.951		Ga10	P & S [Ga13], see Fig. 1(c)
Pb ₃ MgTa ₂ O ₉	C	4.03				B05	Prep. [Ag7], electrooptic effect [Sm29a]
Pb ₃ CoTa ₂ O ₉	C	4.02				B05	Prep. [Ag7]
Pb ₃ NiTa ₂ O ₉	C	4.02					

3.1 ABX₃ Perowskit-Struktur

[Lit. S. 275]

Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	$\frac{\alpha}{^\circ}$	angle	Ref.	Remarks	Magnetic Data
in 3.3.4, Tab.									
La ₃ Co ₂ B ₆ +O ₉	O	5.58	5.58	7.89					B18 B18
La ₃ Co ₂ NbO ₉	O	5.57	5.57	7.87					
La ₃ Co ₂ SbO ₉									
A ₃ B ₂ B ⁶ +O ₉									
Ba ₃ Cr ₂ MoO ₉	H	5.72		14.02					Pa7 Hex (6L)
Ba ₃ Fe ₂ MoO ₉	H	5.74		14.08					Bl8 Hex (6L)
Ba ₃ In ₂ MoO ₉	C	4.168							Ka12
Ba ₃ Bi ₂ MoO ₉	O	6.148	6.184	8.642					Ve2
Ba ₃ LiNbMoO ₉	C	4.37							V12b
Ba ₃ LiTaMoO ₉	R	4.091							T > 500 °C
Ba ₃ Sc ₂ WO ₉	C	4.090		11.452					Ka12
Pb ₃ Bi ₂ MoO ₉	T	11.262							V13
Ba ₃ Sc ₂ WO ₉	C	8.24							F14
Ba ₃ Cr ₂ WO ₉	H	5.75		14.35					Pa7
Ba ₃ Fe ₂ WO ₉	H	5.74		14.08					Bl8
Ba ₃ Co ₂ WO ₉	H	5.74		14.10					Hex (6L)
Ba ₃ Y ₂ WO ₉	C	8.374							Bl8
Ba ₃ Rh ₂ WO ₉	H	5.74		14.15					Ga15
Ba ₃ In ₂ WO ₉	C	8.321							Bl8
Ba ₃ La ₂ WO ₉	C	8.58							Ga15
Ba ₃ Nd ₂ WO ₉	C	8.513							Bl8
Ba ₃ Eu ₂ WO ₉	C	8.605							Ga15
Ba ₃ Gd ₂ WO ₉	C	8.411							Pa & S [B18]
Ba ₃ Dy ₂ WO ₉	C	8.386							Ga15
Ba ₃ Ho ₂ WO ₉	C	4.252							Structure + Prop. [Ka12]
Ba ₃ Er ₂ WO ₉	C	8.386							Probably ordered
Ba ₃ Lu ₂ WO ₉	R	6.131							Ga15
Ba ₃ Bi ₂ WO ₉	R	4.098							No cell dimensions
Ba ₃ LiNbWO ₉	R	4.095							Dielectric properties [V13, Ve3, V12b]
Ba ₃ LiTaWO ₉	T	3.945							Ga15
Sr ₃ Fe ₂ WO ₉	T	7.91							Bl8
Sr ₃ La ₂ Mg ₂ WO ₉	C	7.90							Ve3
Sr ₃ La ₂ Co ₂ WO ₉	C	8.134							Ro8
Pb ₃ Mn ₂ WO ₉	C	4.02							PbTiO ₃ [D15a]
Pb ₃ Fe ₂ WO ₉	C	10.637		10.799					Prop. [Ag1, Ro8, Sm10, Sm16, Sm28, To5, To11, Te13, P11, Ki6], B site ordering [Yu9]
Pb ₃ Bi ₂ WO ₉	T								Detect pyrochlore type

Compound	Sym	a Å	b Å	c Å	angle °	Ref.	Remarks	Magnetic Data
A ₃ B ₂ B ⁶⁺ O ₉ (continued)								
Pb ₃ ScMnWO ₉							No cell dimensions	6
Pb ₃ CrMnWO ₉							No cell dimensions	6
Pb ₃ FeMnWO ₉							No cell dimensions	6
Pb ₃ CdMnWO ₉	O	5.80	5.90	8.138			V_{e4}	
Pb ₃ CoFeWO ₉							V_{e4}	
Pb ₃ LiNbWO ₉	C	8.090	5.877	8.178			V_{e4}	
Pb ₃ Cd _{4/3} Nb _{2/3} VWO ₉	O	5.813		13.8			Prop. [V_{e4}, R_{o8}]	
Ba ₃ Cr ₂ ReO ₉	H	5.70		14.10			No cell dimensions	
Ba ₃ Fe ₂ ReO ₉	H	5.81					Dielectric properties [V_{e2}, V_{e4}, V_{i5}]	
Sr ₃ Cr ₂ ReO ₉	C	8.015					Dielectric properties [V_{e2}, V_{e4}]	
Sr ₃ Fe ₂ ReO ₉	C	7.890					Hex (6L)	
Sr ₃ In ₂ ReO ₉	C	8.297					Hex (6L)	
Ba ₃ Sc ₂ UO ₉	C	8.49					S_{l8}	
Ba ₃ Cr ₂ UO ₉	H	5.82					S_{l8}	
Ba ₃ Fe ₂ UO ₉	C	8.232					P & S [R_{o14}]	
Ba ₃ Y ₂ UO ₉	C	8.70					Slight distortion	
Ba ₃ In ₂ UO ₉	C	8.512					S_{l8}	
Sr ₃ Cr ₂ UO ₉	C	8.00					S_{l8}	
Sr ₃ Fe ₂ UO ₉	C	8.066					Prop. [B_{e51}], S.S. with Sr ₃ Fe ₂ WO ₉ [$Se6a$]	6

Goodenough/Longo

3.2 Descriptions of perovskite-related structures

3.2.1 A-cation vacancies

3.2.1.1 No A cations

Because a skeleton of shared-corner octahedra is stable, it is possible to remove all the A cations from the perovskite structure without collapsing the BX₃ subarray. In the case of $\square\text{ReO}_3$, for example, the structure remains cubic. However, a partial or a complete collapse of the skeleton is found in many $\square\text{BX}_3$ compounds. The completely collapsed structure has hexagonal-close-packed X layers with one-third of the octahedral sites occupied by B atoms, as indicated in Fig. 19. This results in a simple-cubic array of B cations with corner-shared octahedra having a B-X-B angle of 132°. For comparison, Fig. 19 also shows the corner-shared octahedra across a close-packed $\square\text{X}$, plane of the cubic $\square\text{ReO}_3$ structure, where the B-X-B angle is 180°. It is possible to go from one structure to the other by a simple increase of the B-X-B angle, the B cations forming a simple-cubic array in all structures. In the partially collapsed structure, represented by CrF₃, and B-X-B angle is intermediate, $\approx 150^\circ$. Trifluorides of the first-row transition metals have the partially collapsed structure, those of the second- and third-row transition metals have the ReO_3 structure where the number of outer d electrons per cation is ≤ 3 , but the completely collapsed structure where it is ≥ 6 . The B cations of the latter group either have no atomic moment (Rh^{III} and Ir^{III} have $t_{2g}^6 e_g^0$) or disproportionate into magnetic and nonmagnetic ions ($\text{Pd}^{2+}, t_{2g}^6 e_g^2$ and $\text{Pd}^{4+}, t_{2g}^6 e_g^0$), so that there are no magnetic interactions between neighboring cations. The other trifluorides, on the other hand, are all antiferromagnetic, and coupling between like atoms of the second and third long periods is stronger than that between like atoms of the first long period. Since the B-X-B superexchange interaction is enhanced by a larger B-X-B angle, it is reasonable to assume that the interactions between neighboring B cations stabilize the ReO_3 structure. These interactions may be either weaker interactions between localized electrons, as in the magnetic fluorides, or stronger interactions, as in metallic ReO_3 . In this connection, stabilization of the cubic structure in the tungsten bronzes $\text{A}_{x-m}^{\pm m}\text{WO}_3$ for $m > 0.3$ is significant. The conduction electrons introduce cation-anion-cation interactions while simultaneously reducing the energy gained by a ferroelectric distortion.

Electron-ordering distortions may be superposed on the array of corner-shared octahedra. MnF_3 , for example, exhibits the Jahn-Teller distortions shown in Fig. 10(a) superposed on the partially collapsed structure. WO_3 , on the other hand, exhibits several low-temperature phases characteristic of an interplay of antiferroelectric distortions and different degrees of the collapse of the B-X-B angle.

3.2.1.2 The bronze structures

Although $\square\text{BX}_3$ compounds with the ReO_3 structure and cubic ABX₃ compounds have the same BX₃ array, complete solid solutions $\square_x\text{A}_{1-x}\text{BX}_3$, $0 \leq x \leq 1$, are not possible. Although there is no ordering of the vacancies for larger x , except for $\text{Na}_{0.75}\text{WO}_3$ [A11], for smaller x there is ordering accompanied by a collapse of the BX₃ array within basal planes perpendicular to a unique axis. Such a collapse creates the tetragonal and hexagonal tunnel structures of Fig. 20. The tetragonal structure contains three types of tunnels; one containing cubic, twelve-coordinated A' sites, one containing pentagonal-prism, fifteen-coordinated A'' sites, and one small tunnel containing nine-coordinated A''' sites, which are only occupied by Li⁺ ions. Without Li⁺ ions, all these sites are filled at $\text{A}'_{0.2}\text{A}''_{0.4}\text{BX}_3$. This phase, which may occur for a

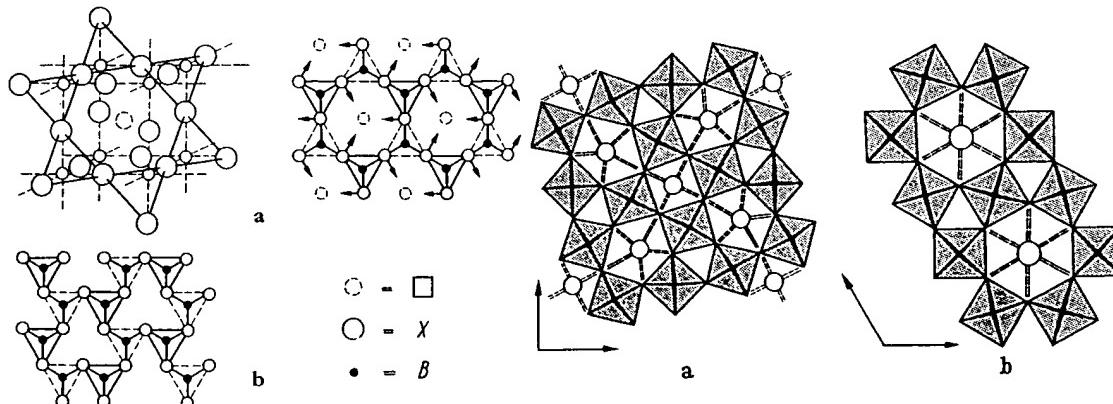


Fig. 19. Projections on B-cation planes of two $\square\text{BX}_3$ structures. Triangles in full and dotted lines represent faces of octahedra below or above the B-cation plane. a) Cubic $\square\text{ReO}_3$ structure DO₃. Arrows indicate cooperative atomic motions that collapse the structure. b) Completely collapsed $\square\text{RhF}_3$ structure.

Fig. 20. Bronze structures found in $\text{A}_x\square_{1-x}\text{BX}_3$ systems. a) Tetragonal (II) structure occurring for $x \leq 0.6$. b) Hexagonal structure occurring for $x \leq 0.33$ [W1].

range of $x \leq 0.6$, is labelled tetragonal (II) in Tab. 3 to distinguish it from the antiferroelectric tetragonal (I) phase of WO_3 . The hexagonal structure contains hexagonal-prism, eighteen-coordinated A sites and is restricted to the range of composition $x \leq 0.33$. An orthorhombic tunnel structure has also been identified for AB_2O_6 compounds [Ga15a].

Tab. 3. Color vs. x for Na_xWO_3 and compositional ranges for the bronze structures in the A_x^+WO_3 perovskites. Adapted from [Di3]

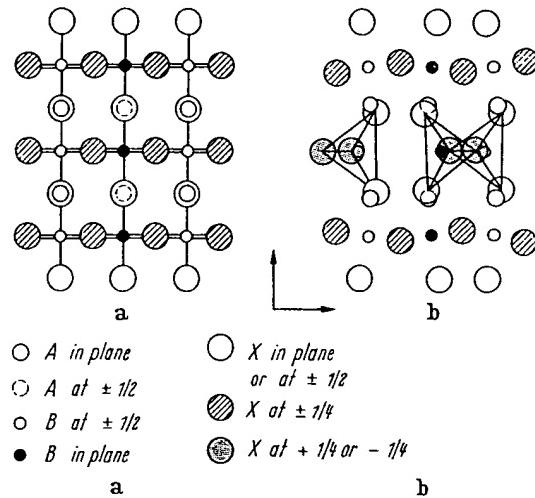
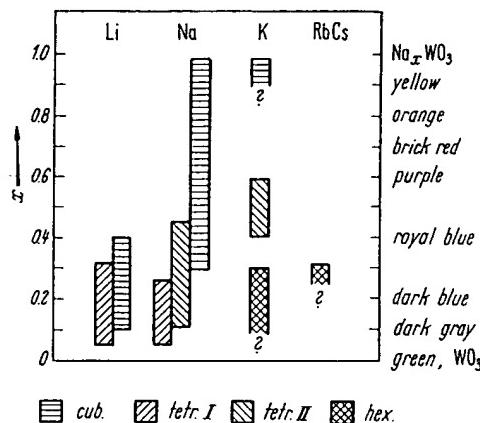


Fig. 21. Projections onto (110) planes of a) cubic perovskite and b) brownmillerite structures. Brownmillerite structure is formed by removing alternate [110] strings of oxygen from central row of a) and regrouping remaining oxygen into the tetrahedra shown in b) [Wa1].

3.2.2 Anion-deficient compounds

3.2.2.1 Compounds ABX_{3-x}

Several systems ABX_{3-x} , where $0 \leq x \leq 0.5$, have been reported as anion-deficient perovskites. $\text{SrTiO}_{2.5}$ and $\text{SrVO}_{2.5}$, for example, both give simple x-ray powder patterns in qualitative agreement with the assumption of a perovskite structure having one-sixth of the anions missing at random. Further, the homogeneity range of SrTiO_{3-x} is reported [Wa1] to extend over $0 \leq x \leq 0.5$ without any change of lattice parameter. However, if an anion is removed from a close packed structure, the metal atoms to which it was formerly bonded will have highly unsymmetrical coordination, and some local rearrangement of the anion can be expected. The nature of this local rearrangement depends upon the character of the B cation. In order to learn what rearrangements may occur locally, it is necessary to examine those special cases where long-range order occurs, since local changes of cation coordination are difficult to detect by x-ray diffraction and have not been investigated by other methods.

In the system $\text{SrFe}^{3+}_{2x}\text{Fe}^{4+}_{1-2x}\text{O}_{8-x}$, $0 \leq x \leq 0.5$, it is known that the Fe^{3+} ions are stable in either tetrahedral or octahedral coordination. Therefore, it is reasonable to anticipate the creation of fourfold coordination about half of the Fe^{3+} ions in the system. This is possible because the d electrons of Fe^{3+} ions are localized, so that Fe^{3+} and Fe^{4+} ions are distinguishable, even though the d electrons of the end member $\text{SrFe}^{4+}\text{O}_8$ appear to be collective. Support for the creation of tetrahedral sites, as well as a suggestion of how the tetrahedra might be arranged, is given by $\text{Ca}_2\text{Fe}_2\text{O}_5$, which has the brownmillerite structure [Be41] of Fig. 21. Within every other (001) BX_2 plane of the cubic perovskite, alternate [110] rows of anions are removed. The remaining anions in these planes are displaced alternately along [110] and [110] directions toward the anion vacancies, the B cations shifting slightly also to maintain equal B-X distances with all four near-neighbor anions. The result is fourfold coordination for all B cations in these (001) BX_2 planes, sixfold coordination for all B cations in the alternate (001) BX_2 planes.

The x-ray pattern of $\text{K}_2\text{Ti}_2\text{O}_8$ has a strong resemblance to that of perovskite. However, $\text{KTiO}_{2.5}$ is not an anion-deficient perovskite, but is completely ordered, each Ti^{4+} ion having five oxygen near neighbors forming a trigonal bipyramidal [An3]. It has little similarity to perovskite.

The oxygen-deficient, tetragonal compounds $(\text{Ba}_{2x}\text{Bi}_{1-2x})\text{BiO}_{3-x}$, $0.22 < x < 0.5$, retain an octahedral grouping for Bi in the B sites, but the A positions have only six oxygen near neighbors, two each at 2.7, 3.1 and 3.6 Å [Au1].

These examples indicate that a variety of orderings must occur in anion-deficient perovskites. Further structural work needs to be done.

3.2.2.2 Alloys $M^cX_{1-x}M_3^f$

Since the alloys $M^cX_{1-x}M_3^f$ are generally considered to represent interstitial X atoms in an ordered, face-centered-cubic $M^cM_3^f$ alloy, it is not surprising that the phase is stable over a considerable range of anion deficiency. Since these alloys are metallic, it is probable that the X-atom vacancies are randomly distributed.

3.2.2.3 Shear structures $\square BO_{3-x}$

Ranges of composition have been reported for BO_{3-x} , where $B = Mo$ or W . MAGNÉLI [Ma14] has shown that these compositional ranges consist of a series of discrete phases having an x-ray diffraction pattern dominated by a cubic $\square ReO_3$ -type (DO_9) subcell, but exhibiting superlattice lines. The superlattice of any discrete phase is not due to an ordering of anion vacancies within this basic structure, but to a regular interruption of the DO_9 structure by planes of discontinuity across which octahedra share edges rather than corners. In these structures the oxygen vacancies condense into regularly spaced planes and are then eliminated by a shear displacement of the type shown schematically in Fig. 22. These "shear" planes may be constituted in different ways: For the series of phases B_nO_{3n-2} , six octahedra in a group share edges, and for the phases B_nO_{3n-1} groups of four octahedra share edges. In both cases the discontinuities continue in two dimensions throughout the structure where they separate DO_9 blocks n octahedra thick. The β - WO_{3-x} phases, $0.10 \leq x \leq 0.17$, belong to the series B_nO_{3n-2} with $12 < n \leq 20$. The observed compositional range $(W, Mo)O_{3-x}$, $0.07 \leq x \leq 0.12$, contains six discrete B_nO_{3n-1} phases corresponding to $n = 8, 9, 10, 11, 12$, and 14 [Ma17a]. The origin of the shear planes appears to be an interplay between electrostatic and elastic forces: Electrostatic repulsive energies between B cations sharing common octahedral-site edges is minimized by cationic displacements (of ferroelectric type) away from the center of symmetry of the interstice and the shared octahedral edge. These displacements can be cooperative, costing a minimum of elastic energy, if the shared edges are coplanar. The origin of the regular spacing between planes is not established. Presumably it is primarily due to elastic energy, although collective-electron effects [Go11] probably play a contributing role.

3.2.3 Structures deficient in B cations

3.2.3.1 Bismuth compounds

Bismuth compounds with chemical formula $(Bi_2A_{m-2})B_{m-1}O_{3m}$ have the structural formula $(Bi_2O_2)^{2+}(A_{n-1}B_nO_{3n+1})^{2-}$, $n = m - 1$. These compounds consist of a regular intergrowth of the perovskite structure with Bi_2O_2 sheets consisting of BiO_4 square pyramids sharing edges [Au2], as indicated in Fig. 23. Between the Bi_2O_2 sheets are n layers of corner-shared octahedra and $(n - 1)$ layers of perovskite-type A cations in the twelve-coordinated interstices. Where $n = 1$, the pyramidal sheets alternate with

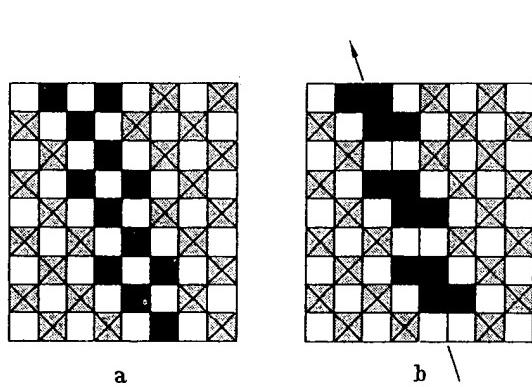


Fig. 22. Projection onto (001) planes of a) cubic $\square ReO_3$ structure and b) B_nO_{3n-1} shear plane. Anions are removed from black octahedra, which then move to adjacent positions to form configuration b) [Wa1].

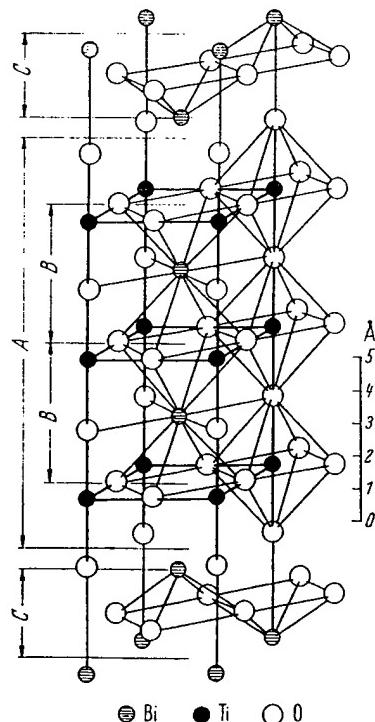


Fig. 23. One half of the pseudo-tetragonal unit cell of $Bi_4Ti_3O_{12}$ (from $x \approx 0.25$ to $x \approx 0.75$). A denotes the perovskite layer $(Bi_3Ti_3O_{10})^{2+}$, C the $(Bi_2O_3)^{3+}$ layers, and B the unit cells of the hypothetical perovskite structure $BiTiO_3$ [Au3].

single octahedral layers, and no sites are available for A cations. This particular phase has been prepared in a large number of oxides and oxyfluorides, where B = Ti, Nb, Ta and the O/F ratio depends upon the valencies of the A and B cations (see Tab. 4).

Many of these compounds are reported to exhibit ferroelectric distortions within the perovskite layers, and they will certainly be important for technical applications in the future.

3.2.3.2 Hexagonal $A_nB_{n-1}X_{3n}$ structures

As shown in Fig. 1(c), the cubic perovskite may be indexed on an hexagonal basis. It consists of cubic stacking of close-packed AX_3 layers with B cations in the all-anion octahedral interstices. Within a (110) plane, B-cation octahedra share common corners as shown schematically in Fig. 3(a). In the $Ba_5Ta_4O_{15}$ structure [Ga5a], the stacking sequence of the AX_3 layers is $a-b-c-b-c-a$, as shown in Fig. 24, and the B-cation vacancies are where the stacking is hexagonal. Thus the structure consists of perovskite blocks n AX_3 layers and $(n - 1)$ B layers thick, separated by a stacking fault at a layer of B-cation vacancies. These hexagonal structures appear to be stabilized where the tolerance factor is $t > 1$.

3.2.3.3 $AX \cdot (ABX_3)_n$ structures

Materials having compositions intermediate between ABX_3 and A_2BX_4 may have similar diffraction patterns. However, this compositional region contains several phases having the structural formula $AX \cdot (ABX_3)_n$. Each phase contains perovskite sheets n units thick separated by AX (NaCl-type) sheets. The limiting composition A_2BX_4 , corresponding to $n = 1$, is shown in Fig. 25. It is important for the theory of magnetism because, if A is nonmagnetic, then by symmetry there is no net molecular field within an antiferromagnetic layer from cations in adjacent antiferromagnetic layers. This permits the study of two-dimensional antiferromagnetism. The A_2BX_4 structure also permits the study of B^{2+} cations in oxides with a smaller B-X-B separation (hence stronger interaction) than is found in the BO compounds with rocksalt structure. The possible significance of this is illustrated by La_2NiO_4 . The Ni^{2+} electrons of e_g symmetry appear to be collective in La_2NiO_4 , localized in NiO .

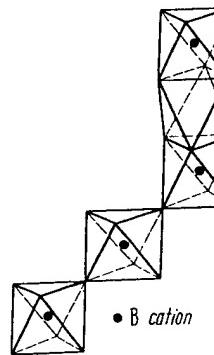


Fig. 24. Schematic (110) projection of the $Ba_5Ta_4O_{15}$ structure. Horizontal lines refer to BaO_3 close-packed layers with stacking a , b , or c .

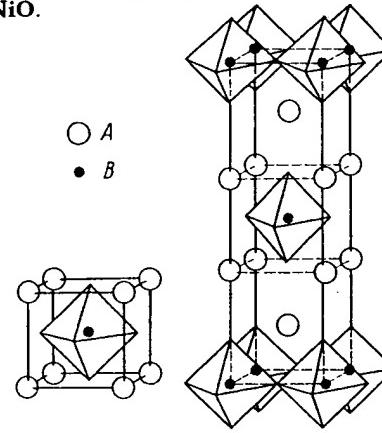


Fig. 25. Comparison of ABX_3 and A_2BX_4 structures [Tr1].

3.2.4 Data: Crystallographic properties of non- ABX_3 compounds of composition A_xBX_3 , $\square BX_3$, $(AX)_n(ABX_3)_m$ and $Bi_2O_2(A_{n-1}B_nO_{3n+1})$ with perovskite-related structure (Tab. 4)

Tab. 4.

See Fig. 20(a) for the tetragonal II bronze structure with $a \approx 12.5 \text{ \AA}$, $c \approx 4 \text{ \AA}$ and Fig. 20(b) for the hexagonal bronze structure with $a \approx 7.4 \text{ \AA}$, $c \approx 7.5 \text{ \AA}$.

Within any section, the compounds are ordered by B-cation atomic number, and the order of the sections is as follows:

Tab. 4a — A_xBX_3
 A_xBO_3 ; B = Nb, Mo, Ta, W, Re
 A_xFeF_3

Tab. 4b — $\square BX_3$

Tab. 4c — $\square BB'X_6$

Tab. 4d — $(AX)_n(ABX_3)_m$

X = F⁻¹, Cl⁻¹; B²⁺ = Mg, Cr, Mn, Fe, Co, Ni, Cu, Zn, Cd

X = O⁻²; B = Al, Ti, Cr, Mn, Fe, Co, Ni, Cu, Ga, Ge, Zr, Nb, Mo, Tc, Ru, Rh, Sn, Hf, Ir, Pb, U

Tab. 4e — $Bi_2O_2(A_{n-1}B_nO_{3n+1})$
 $n = 1$; B = Mo, W $n = 2$; B = Nb, Ta $n = 3$; B = Nb, Ti $n = 4, 5$ and 8 ; B = Ti

For abbreviations, see p. 131.

Tab. 4a. A_xBX_3 compounds

Compound	Sym	$\frac{a}{\text{\AA}}$	$\frac{b}{\text{\AA}}$	$\frac{c}{\text{\AA}}$	angle	Ref.	Remarks	Magnetic Data in 3.3.4, Tab.
A_xNbO_3								
$Ba_{0.5}NbO_3$	O	12.17	20.5	7.87				
$Sr_{0.5}NbO_3$	T	12.60		3.95				
$Sr_{0.98}NbO_3$	C	4.016						
$Sr_{0.7}NbO_3$	C	3.981						
$Sr_{0.5}NbO_3$	O	11.021	7.33	5.604				
$Ca_{0.5}NbO_3$	O	5.764	15.09	5.232				
$Pb_{0.5}NbO_3$	O	17.51	17.81	7.72				
$L_{2}Ba_{0.33}NbO_3$	R	8.664		3.907				
	T	12.46		7.908				
	O	3.911	3.917					
$Ce_{0.33}NbO_3$	O	3.901	3.917	7.886				
$Ce_{0.25}NbO_3$	O	3.881	3.897	7.843				
$Pr_{0.33}NbO_3$	O	3.891	3.915	7.862				
$Nd_{0.33}NbO_3$	O	3.878	3.907	7.840				
$La_{0.33}NbO_3$	T	7.783		7.837				
$Th_{0.25}NbO_3$	T	7.75	7.81	7.792				
$Pa_{0.25}NbO_3$	T	7.727						
$U_{0.25}NbO_3$	T	7.69	7.76					
$Np_{0.25}NbO_3$	T	7.67	7.74					
$Pu_{0.25}NbO_3$	T	3.819	7.835					
$Am_{0.33}NbO_3$	T	12.55	4.019					
$Ba_2KNb_6O_{15}$	T	17.626	3.995					
$Ba_2NaNb_6O_{15}$	O		17.592					
$Sr_2KNb_6O_8$	T	13.47						
				3.942				

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
<i>A_xNbO₃ (continued)</i>								
Sr ₂ NaNb ₆ O ₁₆	O	17.4	17.4	3.90		<i>Va13</i>	Dielectric + optical properties [V _{a11a} , V _{a13}]	<i>I_{s5b}</i>
Na ₂ LaNb ₆ O ₁₅	C	3.918				<i>I_{s5b}</i>		<i>Fu2a</i>
Na ₂ BiNb ₆ O ₁₅	C	3.925				<i>Sc27</i>		
K ₃ Li ₂ Nb ₆ O ₁₅	T	12.47		4.01		<i>Sc27</i>	Tetr. W bronze type—dielectric + optical properties [V _{a12} , V _{a13} , V _{a11a}]	P & S [<i>I_{s5b}</i>]
K ₂ LaNb ₆ O ₁₅	T	12.580		3.930		<i>Sc27</i>		
K ₂ CeNb ₆ O ₁₅	T	12.545		3.913		<i>Sc27</i>		
K ₂ PrNb ₆ O ₁₅	T	12.530		3.918		<i>Sc27</i>		
K ₂ NdNb ₆ O ₁₅	T	12.497		3.924		<i>Sc27</i>		
K ₂ SmNb ₆ O ₁₅	T	12.474		3.917		<i>Sc27</i>		
K ₂ EuNb ₆ O ₁₅	T	12.457		3.914		<i>Sc27</i>		
K ₂ GdNb ₆ O ₁₅	T	12.450		3.912		<i>Sc27</i>		
K ₂ TbNb ₆ O ₁₅	T	12.440		3.910		<i>Sc27</i>		
K ₂ DyNb ₆ O ₁₅	T	12.431		3.903		<i>Sc27</i>		
K ₂ HoNb ₆ O ₁₅	T	12.426		3.899		<i>Sc27</i>		
K ₂ YNb ₆ O ₁₅	T	12.424		3.901		<i>Sc27</i>		
K ₂ BiNb ₆ O ₁₅	O	17.75		7.84		<i>I_{s5b}</i>		
Rb ₂ LaNb ₆ O ₁₅	T	12.633		3.945		<i>Sc27</i>		
Ba ₆ (Ti ₂ Nb ₆)O ₃₀	T	12.54		4.01		<i>Sc23</i>	Tetr. W bronze type, structure determined [J _{a9}]	<i>Fa1</i>
Ba ₆ (Zr ₂ Nb ₆)O ₃₀	T					<i>Tet. W bronze</i>		
Ba ₆ (FeNb ₆)O ₃₀	O	17.95		7.98		<i>I_{s5b}</i>	Prop. [F _{a2} , F _{a1}] S.S. with Nd, Sm, Eu, Gd [F _{a1} , F _{a2}]	
Sr ₆ (FeNb ₆)O ₃₀	O	17.50		7.72		<i>I_{s5b}</i>		
A ₆ (B _x Nb _{10-x})O ₃₀	T	\approx 12.5		\approx 3.9		<i>K_{r2}</i>	Tetr. W bronze type, A = Ba, Sr, Pb, Bi, La, Ce, Nd, Sm, Gd, K; B = Fe, Ni, Mg; dielectric properties [K _{r2}] gives review of the tetr. W bronze structure type	
Ba ₄ MgNb ₁₄ O ₄₆	O	18.00		8.02		<i>I_{s5b}</i>		
Sr ₉ MgNb ₁₄ O ₄₅	O	17.55		7.82		<i>I_{s5b}</i>		
Ka _{0.75} Si _{0.75} Nb ₂ O _{7.75}	T	12.4032		3.9134		<i>J_{a8a}</i>		
K _{0.5} NbO _{2.5} F _{0.5}	T	12.632		3.950		<i>Ma19a</i>		
A _x MoO ₃								
Rb _{0.27} MoO ₃	H	7.321		7.683		<i>Bi6</i>	High pressure preparation, metallic conductivity, P & S [C _h 1b]	
K _{0.33} MoO ₃	C	3.917				<i>Bi6</i>	High pressure preparation, metallic conductivity, P & S [C _h 1b]	
K _{0.88} MoO ₃	C	3.920				<i>Bi6</i>	High pressure preparation, metallic conductivity, P & S [C _h 1b]	
K _{0.48} MoO ₃	T	12.32		3.859		<i>Bi6</i>	High pressure preparation, metallic conductivity, $\Theta_{\text{es}} = 4.2$ °K [S _{17a}]	

Goodenough/Longo

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
A_xMoO_3 (continued)								
$K_{0.28}MoO_3$	M	18.249	7.560	9.855	$\beta = 117^\circ 32'$	Gr2	"Blue Mo bronze"; Prep. [Wo10], metallic conductivity [Bo20], structural discussion [St22], optical properties [Di2a]	in 3.3.4, Tab.
$K_{0.28}MoO_3$	M	14.278	7.723	6.387	$\beta = 92^\circ 34'$	St24	"Red Mo bronze"; Prep. [Wo10]. Semiconducting [Bo20], structural discussion [St22]	
$Na_{0.19}MoO_3$	C	3.853				Bi6	High pressure preparation, $\Theta_\infty < 1.3^\circ K$ [Si7a]	
$Na_{0.30}MoO_3$	C	3.847				Bi6	High pressure preparation	
$Na_{0.15}MoO_2.83$	M	9.57	5.50	12.95		St25	Complete structure, random vacancies [St25]; optical properties [Di2a]	
A_xTaO_3								
$Ba_{0.3}TaO_3-x$	T	12.60		3.95		Ga14	($x = 0 \dots 0.5$), P & S [Is2a]	
$Ba_{0.3}TaO_3$	H	21.14		3.917		La8	Dielectric properties, P & S [Is2a, Ga14], review	
$Sr_{0.5}TaO_3-x$	T	12.41		3.90		Ga14	[Ga15a]	
$Ca_{0.5}TaO_3$	C	3.886				Ja7	($x = 0 \dots 0.5$), review [Ga15a]	
$Pb_{0.5}TaO_3$	O	17.635		7.757		Is9	Review [Ga15a]	
$Pb_{0.5}TaO_3$	T	17.71		7.788		Is9	$T = 300^\circ C$, tetr. $T > 270^\circ C$	
$Cu_{0.5}TaO_3$	C	7.522				Ka16	P & S [Sh12], optical properties [Ka16]	
$La_{0.33}TaO_3$	T	3.918		7.913		Iy1	P & S [Ke8, Ro13, Ty8], Prep. [Sa6a]	
$Ce_{0.33}TaO_3$	T	3.915		7.878		Iy1	P & S [Ke8, Ro13], Prep. [Sa6a]	
$Pr_{0.33}TaO_3$	O	3.895		3.910		Iy1	P & S [Ke8, Ro13], Prep. [Sa6a]	
$Nd_{0.33}TaO_3$	O	3.876		3.916		Iy1	P & S [Ke8, Ro13], Prep. [Sa6a]	
$Sm_{0.33}TaO_3$	O	3.882		3.896		Iy1	P & S [Ke8, Ro13], Prep. [Sa6a]	
$Eu_{0.33}TaO_3$	O	3.871		3.885		Ke8	P & S [Ke8, Ro13]	
$Gd_{0.33}TaO_3$	T	3.874		7.795		Iy1	P & S [Ke8, Ro13]	
$Tb_{0.33}TaO_3$	T	3.851		7.780		Ke8	P & S [Ke8, Ro13]	
$Dy_{0.33}TaO_3$	T	3.847		7.769		Iy1	P & S [Ke8, Ro13]	
$Ho_{0.33}TaO_3$	T	3.841		7.756		Iy1	P & S [Ke8, Ro13]	
$Er_{0.33}TaO_3$	T	3.825		7.754		Iy1	P & S [Ke8, Ro13]	
$Yb_{0.33}TaO_3$	M	3.828		3.839		Ro13	P & S [Ke8, Ty8, Ro13, Ly1]	
$Y_{0.33}TaO_3$	T	3.824		7.758		Iy1	P & S [Ro10]	
$Th_{0.25}TaO_3$	C	7.810				Ke6	P & S [Ko10]	
$Pa_{0.25}TaO_3$	T	7.77		7.78		Ke6		
$U_{0.25}TaO_3$	T	7.739		7.773		Ke6		
$NP_{0.25}TaO_3$	T	7.70		7.75		Ke6		
$PU_{0.25}TaO_3$	T	7.654		7.731		Ke6		
$Am_{0.33}TaO_3$	T	3.889		7.820		Ke6		
$K_{0.5}TaO_2.5F_{0.6}$	T	12.569		3.961		Ma19a	Tetragonal tungsten bronze	

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
A_xWO_3	H	7.42		7.63		<i>Ma17</i>	Superconducting, $\Theta_{\text{cs}} = 1.12$ °K [Sw3]	in 3.3.4, Tab.
$Ca_{0.32}WO_3$	H	7.38		7.59		<i>Si7</i>	Thermal expansion to 720 °C [We15]	
$Ca_{0.30}WO_3$	H	7.386		7.54		<i>P & S [Ma17]</i>	metallic conduction and magnetic susceptibility [Si7, Si9], optical properties [D6]	
$Rb_{0.32}WO_3$	H	7.394		7.516		<i>We15</i>	Superconductivity, $\Theta_{\text{cs}} = 1.98$ °K [Sw3], thermal expansion to 970 °C [We15]	
$Rb_{0.27}WO_3$	H					<i>Gi1</i>	Superconductivity 2.2 °K $\geq \Theta_{\text{cs}}$ [Gi1]	
$(NH_4)_{0.33}WO_3$	H	7.395		7.525		<i>Ne8a</i>	High pressure preparation (metallic conductivity), P & S [Ch1b]	
$(NH_4)_{0.08}WO_3$	T	7.60		6.36		<i>We15</i>	Magnetic susceptibility ($\chi = 0.53$) [Ku5], electric properties ($\chi = 0.57$ and 0.63) [Si4j], thermal expansion to 750 °C ($\chi = 0.3 \dots 0.55$) [We15]	
$K_{0.9}WO_3$	C	3.926				<i>We15</i>	Electric + magnetic properties [Sh8, Si9, Si7], S.S. with Li [Ba17], S.S. with Na [Br8], P & S [Ma12, Ma17, De19], review [Di3, Ma15, Ma18, Si9]	
$K_{0.35}WO_3$	T	12.326		3.845		<i>Ba11</i>	Superconductivity, Θ_{cs} (Hex) = 0.5 °K, Θ_{cs} (Tetr.) = 1.5 °K [Sw3], magnetic properties [Ku5, Fu1, Gr8, Si4j]	
$K_{0.3}WO_3$	H	7.385		7.513		<i>Br22</i>	$a = (0.0819 \chi + 3.7846)$ Å [Br22, We2]; cubic, $0.26 < \chi < 1.0$; early preparation [Bo17, Wr1, Ph1, Wo1, Sp1, Sp2, Ka5]. P & S [Si37, Si38, St39, Va5, De6, Ha5, Br8, Ha4, Bi6, Ch1b]; neutron diffraction ($0.56 < \chi < 0.86$) [At1]; electrical properties [Hu8, Hu9, Hu10, Mu3, Mu4, Br21, Fu1, Ga2f], reviews [Di3, Ma15, Ma18, Ri1, Si7], optical properties [Di3a]	
$K_{0.18}WO_3$	H	7.370		7.515		<i>Ma13</i>	$\chi = 0.28$, tetragonal II [Ri1]. Superconductivity, $\Theta_{\text{cs}} < 1$ °K [Sw3, Ra12]. Optical properties [Br22, Da3], NMR [Fr18, Fr19, Na12]	
Na_xWO_3	C	3.8				<i>Ma16</i>	$\chi = 0.10$, tetragonal I [Ri1]; thermal properties [Sh7, Fu1, Ge1, Ta2, Ve1], Na diffusion [Sm6], electrostatic energy calculated [Sm5]	
						<i>Gi1</i>	Metallic conductivity, superconducting $\Theta_{\text{cs}} < 1.3$ °K [Gi1]	
						<i>Si10</i>	Magnetic properties, Pauli paramagnetic or diamagnetic [Si10, Co17], metallic conductivity [Co17, Si10, Si7, Sh8], P & S [Ma19, Ma16, Si40]	
						<i>Co17</i>	Review [Di3]	

3.2 Perowskit-ähnliche Strukturen

[Lit. S. 275]

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
A_xWO_3 (continued)								
$Li_{0.05}WO_3$	C	3.723		3.88		<i>Co17</i>	I. R. spectra [Si7a]	
$H_{0.5}WO_3$	C	3.755				<i>Gi1</i>	Structure determination by x-ray and neutron diffraction. I. R. spectra [Si7a]	
$H_{0.23}WO_3$	T	5.22				<i>Di2</i>		
$H_{0.1}WO_3$	O	7.247	7.502	3.84		<i>Gi1</i>	I. R. spectra [Si7a]	
$Ba_{0.12}WO_3$	T	12.16		3.843		<i>Co19</i>	$x = 0 \dots 0.13; \chi_m = 20 \cdot 10^{-6}$ emu/mole, Novel preparation [Co16]; superconductivity, $x = 0.13$, $\Theta_{\text{eff}} = 1.9$ °K [Sw4]	
$Ba_{0.10}Na_{0.38}WO_3$	T	12.12		3.834		<i>Co19</i>	Metallic conductivity	
Ca_xWO_3	O	7.340	7.420	3.840		<i>Va2</i>	$x = 0.02, 0 < x < 0.01$ (monoclinic); $0.01 < x < 0.03$ (orthorhombic), studied as function of T [Va2, Va4]	
	T	5.240		3.854		<i>Va2</i>	$x = 0.035, 0.03 \leq x < 0.40$ (tetragonal); $0.04 < x < 0.095$ (two phase)	
	T	5.292		3.832		<i>Va2</i>	$x = 0.10, 0.095 \leq x < 0.105$ (tetragonal); $0.105 \leq x < 0.125$ (cubic $a = 3.790$ Å); $x > 0.125$ (two phase)	
$Sn_{0.44}WO_3$	H	7.430		7.581		<i>Gi1</i>	Metallic conductivity, superconducting $\Theta_{\text{eff}} < 1.3$ °K [Gi1]	
$Sn_{0.19}WO_3$	T	12.241		3.774		<i>Gi1</i>	Superconducting $\Theta_{\text{eff}} < 1.3$ °K [Gi1]	
$Pb_{0.17}WO_3$	T	12.163		3.767		<i>Be30</i>	$x = 0.057 \dots 0.16$ monoclinic, $x = 0.16 \dots 0.35$ tetr.	
$Pb_{0.38}WO_3$	T	12.207		3.782		<i>Be30</i>	Novel preparation [Co16]	
$La_{0.08}WO_3$	C	3.829				<i>Br23</i>	Cubic, ($x = 0.08 \dots 0.19$), metallic conductivity [Sh6]	
$La_{0.02}WO_3$	T	7.52		3.89		<i>Br23</i>		
$Ce_{0.01}WO_3$	C	3.828				<i>Os2</i>	$n_{\text{eff}} = 2.5$, all rare-earth bronzes blue-violet	
$Pr_{0.1}WO_3$	C	3.827				<i>Os2</i>	$n_{\text{eff}} = 3.6$	
$Nd_{0.1}WO_3$	C	3.822				<i>Os2</i>	$n_{\text{eff}} = 3.8$	
$Sm_{0.1}WO_3$	C	3.817				<i>Os2</i>	$n_{\text{eff}} = 1.6$ (temperature dependent), crystal growth [Co14]	
$Eu_{0.16}WO_3$	C	3.828				<i>Os2</i>	$n_{\text{eff}} = 3.4$ (temperature dependent), P & S [Sh6]	
$Eu_{0.10}WO_3$	C	3.815				<i>Os2</i>		
$Eu_{0.085}WO_3$	C	3.808				<i>Os2</i>	$n_{\text{eff}} = 7.9$, crystal growth [Co14], P & S [Sh6], relation of a vs. x [We2]	
$Gd_{0.1}WO_3$	C	3.810				<i>Os2</i>	$n_{\text{eff}} = 9.6$	
$Tb_{0.1}WO_3$	C	3.808				<i>Os2</i>	$n_{\text{eff}} = 10.6$	
$Dy_{0.1}WO_3$	C	3.805				<i>Os2</i>	$n_{\text{eff}} = 10.6$, P & S [Sh6]	
$Ho_{0.1}WO_3$	C	3.801				<i>Os2</i>	$n_{\text{eff}} = 9.5$	
$Er_{0.1}WO_3$	C	3.797				<i>Os2</i>	$n_{\text{eff}} = 7.5$, crystal growth [Co14]	
$Tm_{0.1}WO_3$	C	3.794						

Compound	Sym	a Å	b Å	c Å	angle °	Ref.	Remarks	Magnetic Data
A_xWO_3 (continued)								
Yb _{0.1} WO ₃	C	3.791				Os2	$n_{eff} = 4.5$	in 3.3.4, Tab.
Lu _{0.1} WO ₃	C	3.788				Os2	$n_{eff} = 0$	
Y _{0.08} WO ₃	C	3.800				Br23	Ferr. $x < 0.09$, metallic conductivity [Sh6]	
Al _{0.28} WO ₃	O	7.368	7.476	3.850		Po10	$x = 0.015...0.010 < x < 0.030$ orthorhombic;	
							$0.030 < x < 0.105$, two phase; studied as function of T [Va4]	
Cu _{0.77} WO ₃	O	5.387	5.440	3.784		Po10	$0.105 < x \leq 0.135$; $x > 0.135$, two phase	
Cu _{0.23} WO ₃	O	3.73	3.88	7.74		Co18	Semiconducting ≈ 0.15 eV	
	Tr	5.85	6.65	4.88				
Ag _{0.01} WO ₃	O	3.73	3.85	7.35		Co18	Magnetic susceptibility $\chi_m = 34 \cdot 10^{-6}$ emu/mole	
Cd _{0.2} WO ₃	O	7.316	7.532	3.848		Si8	Metallic conductivity, P & S [Po2]	
In _{0.05} WO ₃	T	5.244		3.867		Va3	$x = 0.005...0.005 \leq x < 0.02$ orthorhombic	
In _{0.30} WO ₃	H	5.233		3.863		Va3	$x = 0.020...0.02 \leq x < 0.04$ tetragonal	
In _{0.33} WO ₃	H	7.384		7.508		Bo21	$x = 0.01...0.05$, P & S ($x = 0.11$) [Bi3]	
Th _{0.33} WO ₃	T	7.50		7.56		Bo21	$x = 0.2...0.3$, metallic conductivity, weak diamagnetism	
		7.31		12.80		Sw1	$x = 0.26...0.33$; metallic conductivity	
U _{0.083} WO ₃	C	3.812				Si6	Metallic conductivity, $x = 0.19...0.36$; novel preparation [Co16]	
U _{0.125} WO ₃	C	3.821				Ko10	relationship of a vs. x [We2]	
C _{0.9} (Ta _{0.3} W _{0.7})O ₃	H	7.450				Ko10	P & S [Sh9]	
Rb _{0.3} (Ta _{0.3} W _{0.7})O ₃	H	7.342		7.821		Ga4	Thermal expansion and resistivity ($10^8 \Omega \text{cm}$)	
K _{0.3} (Ta _{0.3} W _{0.7})O ₃	H	7.333		7.715		Ga4	Thermal expansion and resistivity ($10^7 \Omega \text{cm}$)	
K _{0.5} (Ta _{0.5} W _{0.5})O ₃	T	12.36		7.685		Ga4	Entire range of S. S. with Ta and Nb [De19a]	
				3.90		Ga14		
A _x ReO ₃								
K _{≈0.6} ReO ₃	C	3.895		7.485		Si2	Metallic conductivity	
K _{≈0.3} ReO ₃	H	7.318		3.841		Ch1b	High pressure preparation, $\Theta_{ss} = 3.6^\circ\text{K}$ [Si7a]	
Na _{≈0.6} ReO ₃	T	3.825				Si7a	Metallic, $\Theta_{ss} < 1.3^\circ\text{K}$, P & S [Si2]	
A _x FeF ₃								
Rb _{0.29} FeF ₃	H	7.36		7.53		Tr1	Hex ($x = 0.18...0.30$); P & S [De13a]	
K _{0.38} FeF ₃	C	4.113				De11	($x = 0.95...1.0$) cubic	
K _{0.30} FeF ₃	T	12.60				De11	($x = 0.40...0.60$) tetr	
K _{0.25} FeF ₃	H	7.385				De11	($x = 0.18...0.25$) hex	
Na _{0.11} FeF ₃	R	5.37				Tr1	$x = 0.0...0.16$; P & S [De13a]	
Tl _{0.30} FeF ₃	H	7.35		7.52		Tr1	Hex ($x = 0.20...0.31$); P & S [De13a]	

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
Tab. 4b. □ BX ₃ compounds								
AlF ₃	R	5.029			$\alpha = 58^\circ 31'$	Ke20		
ScF ₃	R	5.708			$\alpha = 59^\circ 32'$	No10		
TiF ₃	C	5.519			$\alpha = 58^\circ 53'$	Si2	P & S [Eh2]	6
TiOF ₂	C	3.798			$\alpha = 58^\circ$	Vo3		
VF ₃	R	5.373			$\alpha = 57^\circ 31'$	Ja2a	Neutron diffraction [Wo13]	6
CrF ₃	R	5.2643			$\alpha = 56^\circ 37'$	Kn2	Prop. [Bi7, Ha11, Ha12, Bo33, Ra9], structure [Ja2], neutron diffraction [Wo13]	6
MnF ₃	R	5.332			$\alpha = 56^\circ 37'$	Kn2	Neutron diffraction [Wo13], Prop. [Bo33, Bo34], Ny1, R15, He10, Sm1]	6
FeF ₃	M	8.904	5.037	13.448	$\beta = 92^\circ 44'$	He9	Neutron diffraction [Wo13], Prop. [Bi7, Sh5, We17], Bu1], crystal transformation [Cr5]	6
CoF ₃	R	5.362			$\alpha = 58^\circ 0'$	He11	Neutron diffraction [Wo13], Prop. [He8, Ny1]	6
GaF ₃	R	5.279			$\alpha = 57^\circ 0'$	He11	P & S [Mu1]	6
ZrF ₃	C	5.20			$\alpha = 57^\circ 30'$	Bv6		
NbF ₃	C	3.96				Eh3		
NbO ₂ F	C	3.903				Eh4	P & S [Sc2], "doubtful"	6
MoO ₂ F	C	3.902				Fv15		
RuF ₃	R	3.8985				Gu8	Neutron diffraction [Wi6], P & S [La7]	6
RhF ₃	R	5.408				Fv15	Neutron diffraction [Wi6]	6
PdF ₃	R	5.330			$\alpha = 54^\circ 90'$	He11	Neutron diffraction [Wi6], Prop. [Ba19, Ba20, Ny1], Fij]	6
InF ₃	R	5.5234			$\alpha = 54^\circ 25'$	He11		
TaO ₃	R	5.722			$\alpha = 53^\circ 55'$	He11		
TaF ₃	R	5.180			$\alpha = 56^\circ 15'$	Mu1		
TaO ₂ F	C	3.9012			$\alpha = 56^\circ 25'$	Du2	Prep. [Lo8]	
WO ₃	C	3.896				Gu8	Prop. [Ny1], "doubtful"	6
Re _{0.33} W _{0.67} O ₃	M	7.297	7.539	7.688	$\beta = 90^\circ 55'$	Fv15	Structure [Br1, Ta15], neutron diffraction [Lo6], Prop. [Cr7, Cr8, Ta15, Co16, Be22, Iw2, De16, Ke10], optical properties [Di3a], phase trans- formations [Pe3a]	6
ReO ₃	C	3.7574				Lo6		
	C	3.7477						
IrF ₃	R	5.418				Si2	P & S, [Me11, Bi4, Bi5], crystal growth [Fe22], Prop. [Si2, Fe21, Fe10, Gu6], structure vs. oxy-	
UO ₃	C	4.156				Si2	gen content [Si2], DeHaas-Van Alphen effect [Ma27a], NMR [Na11a]	
							P & S [Ro2]	
							P & S [En2]	

Li_2Fe_3	C	$\alpha = 24^\circ 8'$	$n_{\text{eff}} = 1.418$	$W_{\text{A}6}$	$\text{P} \& \text{S} [\text{En}2]$
Li_2O_3	C	4.156			

Tab. 4c. \square BBX₆ compounds

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
in 3.3.4, Tab.								
$\text{BB}'\text{X}_6$	R	5.63			$\alpha = 56^\circ 30'$	<i>Ke11</i>	Structural review [Gi2, Ke11, Co29]	
NaVF_6	R	5.30			$\alpha = 56^\circ 18'$	<i>Ke11</i>		
LiVF_6	R	5.59			$\alpha = 55^\circ 36'$	<i>Ho14</i>		
CaMnF_6	R	5.26			$\alpha = 56^\circ 54'$	<i>Ho14</i>		
MgMnF_6	C	8.26			$\alpha = 58^\circ 6'$	<i>Ke11</i>	P & S [Co29]	
NaNbF_6	R	5.47			$\alpha = 57^\circ 6'$	<i>Ke11</i>	Magnetic properties $80 < T < 300$ °K, $n_{\text{eff}} = 1.66$, $\Theta_p = -218$ °K [Ha18]	
LiNbF_6	C	8.194			$\alpha = 55^\circ 48'$	<i>Ed3</i>		
NaMoF_6	R	5.43			$\alpha = 54^\circ 30'$	<i>Bo18</i>		
LiMoF_6	R	5.77			$\alpha = 56^\circ 0'$	<i>Bo18</i>		
NaTaF_6	R	5.80			$\alpha = 54^\circ 0'$	<i>Bo18</i>	Magnetic properties, $n_{\text{eff}} = 2.82$, $\Theta_p = 31$ °K [Ba21]	
NaRuF_6	R	5.39			$\alpha = 53^\circ 54'$	<i>Ba21</i>	P & S [He17], see PdF ₃	
LiRuF_6	R	5.53			$\alpha = 53^\circ 6'$	<i>Ba21</i>	Magnetic properties, $n_{\text{eff}} = 2.98$, $\Theta_p = 28$ °K [Ba21]	
GePdF_6	R	5.52			$\alpha = 54^\circ 0'$	<i>Ba21</i>	Magnetic properties, $n_{\text{eff}} = 2.72$, $\Theta_p = 1.2$ °K [Ba21]	
PdPdF_6	R	5.70			$\alpha = 57^\circ 0'$	<i>Tc12</i>	P & S [Sc22]	
SnPdF_6	R	5.55			$\alpha = 57^\circ 0'$	<i>Bu6</i>	Complete structure; P & S [Ke11]	
PtPdF_6	R				$\alpha = 58^\circ 0'$	<i>Ke7</i>		
NaSbF_6	C	8.184			$\alpha = 58^\circ 0'$	<i>Ke11</i>		
LiSbF_6	R	5.44			$\alpha = 57^\circ 24'$	<i>Ke11</i>	Magnetic properties $80 < T < 300$ °K, $n_{\text{eff}} = 0.5$, $\Theta_p = -125$ [Ha18]	
CaHfF_6	C	8.462			$\alpha = 55^\circ 12'$	<i>Bo18</i>	P & S [Pe1]; magnetic properties $80 < T < 300$ °K, $n_{\text{eff}} = 1.57$, $\Theta_p = -100$ °K [Ha19]	
NaTaF_6	C	8.28			$\alpha = 55^\circ 30'$	<i>Bo18</i>		
LiTaF_6	R	5.48			$\alpha = 55^\circ 12'$	<i>Bo18</i>		
NaWF_6	C	8.18			$\alpha = 56^\circ 0'$	<i>Bo18</i>		
LiWF_6	R	5.45			$\alpha = 54^\circ 0'$	<i>Ba21</i>		
NaReF_6	C	8.18			$\alpha = 55^\circ 12'$	<i>Ho15</i>		
NaOsF_6	R	5.80						
LiOsF_6	R	5.43						
NaIrF_6	R	5.80						
LiIrF_6	R	5.41						
PdPtF_6	R	5.55						
CaPbF_6	C	8.476						

Tab. 4d. $(AX)_n(ABX_3)_m$ compounds

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
Halides								
Cs_2MgF_4	T	4.055		13.79		<i>Ba1</i>	No cell dimensions [Be22a]	
Rb_2MgF_4	T	3.955		13.706		<i>Re6</i>	P & S [Wi12], S. S. with K_2NiF_4 [We20]	
K_2MgF_4	T	4.07		13.88		<i>Ch8a</i>		
$(NH_4)_2MgF_4$	T	4.007		14.43		<i>Vo1</i>		
Tl_2MgF_4	T			9.533		<i>Vo1</i>	Not K_2NiF_4 type	
Na_2CrCl_4	M	3.344		5.657		<i>Se2</i>		
Cs_2CrCl_4	T	5.215		16.46		<i>Se2</i>		
Rb_2CrCl_4	T	5.143		15.73			Possibly distorted K_2NiF_4 [Se2]	
K_2CrCl_4	T			14.63		<i>Co25</i>		
Cs_2MnCl_4	T	4.31		13.89		<i>Le7</i>	K_2NiF_4 type	6
Rb_2MnF_4	T	4.228		13.14		<i>Co25</i>	P & S [V_o1], Prop. [De20, Br5]	6
K_2MnF_4	T	4.20		13.38		<i>Br5</i>	P & S [$V_o1, Co25$], Prop. [De20, Co15]	6
Rb_2FeF_4	T	4.20		12.98		<i>Ty1</i>		6
K_2FeF_4	T	4.140		21.15		<i>De12</i>		
$K_3Fe_2F_7$	T	4.130		13.91		<i>Vo1</i>		
Tl_2FeF_4	T	4.194		13.67		<i>Ru6</i>	P & S [$Ru^3, Ru8$]	6
Rb_2FeF_4	T	4.194		13.08		<i>Ru6</i>	Prop. [$Ru^3, Ru8$]	6
K_2CoF_4	T	4.135		14.05		<i>Ru8</i>	P & S [$Ru^3, Ru8$]	6
K_2CoF_4	T	4.07		13.71		<i>Ba10</i>	Prop. [$Sr^2, Go26, De20, Ru5, Ti5, We20$], dielectric properties [La1b], neutron diffraction [Pi4, Pi5, Pi6, Pi7, Le6, Le7]	6
Tl_2CoF_4	T	4.11		13.076		<i>Ru8</i>		
Rb_2NiF_4	T	4.087				<i>Ru8</i>		
K_2NiF_4	T	4.006				<i>Ru6</i>		
$(NH_4)_2NiF_4$	T	4.08		13.78		<i>Ru8</i>		6
Tl_2NiF_4	T	4.051		14.22		<i>Ru8</i>		6
Rb_2CuF_4	T	4.238		13.28		<i>Ru6</i>	P & S [Ru^3], optical properties [$Sc10a$]	6
K_2CuF_4	T	4.145		12.72		<i>Ru6</i>	Prop. [$Ru^3, Va1$], P & S [$Kn1, Gu1a$]	6
Na_2CuF_4	M	3.261		5.601		<i>Ba3</i>	P & S [Ru^3] – not K_2NiF_4 type	6
Tl_2CuF_4	T	4.199		13.66		<i>Ru6</i>	P & S [Ru^3]	6
$(NH_4)_2CuCl_4$	O	7.20		15.46		<i>Wi9</i>		
$(CH_3NH_3)_2CuCl_4$	O	7.30		7.54		<i>Gr7</i>	Prop. [De20, Bo15, Ko8], Prop. [Re7]	6
$(C_2H_6NH_3)_2CuCl_4$	O	7.35		7.47		<i>Wi9</i>	Prop. [De20, Bo15, Ko8], Prop. [Re7]	6
Rb_2ZnF_4	T	4.125				<i>Ba1</i>	P & S [$Sc10$]	
K_2ZnF_4	T	4.02				<i>Sc10</i>		
$K_3Zn_2F_7$	T	4.063				<i>Br7/2</i>		

3.2 Perovskite-related structures

Br12

21.22

Halides (continued)

K₈Zn₂F₇

T

4.063

21.22

21.22

Compound	Sym	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref	Remarks	Magnetic Data
Halides (continued)								
(NH ₄) ₂ ZnF ₄	T	4.14		13.97		Cr ³		
Tl ₂ ZnF ₄	T	4.105		14.10		V ⁰ ₁		
Rb ₂ CdF ₄	T	4.414		13.98		Co ²⁺ ₂		
Rb ₃ Cd ₂ F ₇	T	4.403		22.71		Co ²⁺ ₂		
K ₂ CdF ₄						Prep. [Co ₂₆ , Co _{27a}]		
K ₆ Cd ₂ F ₇						Prep. [Co ₂₆ , Co _{27a}]		
Cs ₂ CdCl ₄	T							
Oxides								
SrLaAlO ₄	T	3.75		12.5		Ru ¹		
Sr ₂ TiO ₄	T	3.88		12.58		Ba ¹⁰	P & S [Ru ¹ , Br ¹¹ , Lu ² , Po ⁹ , Ha ^{19a}], Eu ³⁺ fluorescence [Ni ₁]	
Sr ₃ Ti ₂ O ₇	T	3.90		20.38		Ru ²	P & S [Lu ²]	
Sr ₄ Ti ₃ O ₁₀	T	3.90		28.1		Ru ²		
Ca ₃ Ti ₂ O ₇	O	5.412		19.50		P ⁺ ₃	P & S [Ro ¹⁷]	
Ca ₄ Ti ₃ O ₁₀	O	5.404		27.14		P ⁺ ₃	P & S [Ro ¹⁷]	
NaLaTiO ₄	T	3.76		12.95		B1 ¹²	(Na and Ln ordered). Fluorescence: Eu [B1 ^{12a}]	
NaNdTiO ₄	T	3.76		12.79		B1 ¹²		
NaSmTiO ₄	T	3.77		12.59		B1 ¹²		
NaGdTlO ₄	T	3.77		12.46		B1 ¹²	Fluorescence: Eu [B1 ^{12a}]	
NaDyTiO ₄	T	3.77		12.22		B1 ¹²		
NaTmTiO ₄	T	3.78		12.05		B1 ¹²		
NaLuTiO ₄	T	3.78		11.92		B1 ¹²		
NaYTiO ₄	T	3.786		12.209		Re ²	P & S [B1 ¹²], fluorescence: Eu [B1 ^{12a}]	
Na ₃ X ₃ Ti ₄ O ₁₄	T	3.79		20.2		Re ²		
Na ₂ Y ₂ Ti ₃ O ₁₀	T	3.79		28.2		Re ²		
Eu ₂ TiO ₄	T	3.89		12.53		Ro ²¹	P & S [Mc ^{1b}]	
Eu ₃ Ti ₂ O ₇	T	3.899		20.295		Ro ²¹	P & S [Mc ^{1b}]	
Sr ₂ CrO ₄	T	3.82		12.4		Lo ^{1a}	Cr ⁴⁺ , high pressure preparation	
Sr ₃ Cr ₂ O ₇	T	3.82		20.1		Lo ^{1a}	Cr ⁴⁺ , high pressure preparation	
SrLaCrO ₄	T	3.84		12.52		B1 ⁹		
Sr ₂ MnO ₄	T	3.79		12.43		Ba ¹⁰	Substitution of La [Sr ²]	
Ca ₂ MnO ₄	T	3.667		12.063		Ma ⁶	P & S [Ru ¹ , Br ¹¹]	6
Ca ₈ Mn ₂ O ₇	T	3.709		19.44		Ma ⁶	97% Mn ⁴⁺ ; P & S [Ru ¹ , Br ¹¹]	6
Ca ₄ Mn ₃ O ₁₀	T	3.724		26.90		Ma ⁶	97% Mn ⁴⁺ ; P & S [Ru ¹ , Br ¹¹]	6
Sr _{1.5} La _{0.5} MnO ₄	T	3.88		12.5		Le ⁷		
SrLaMnO ₄	T	3.864		12.390		B1 ⁹		
Sr ₂ Fe ₃ O _{4-x}	T	3.853		20.149		Ga ¹⁹	x = 0.3, P & S [Br ¹⁰], Prop. [Ma ⁷]	6
Sr ₃ Fe ₂ O _{7-x}	T					Ga ¹⁹	x = 0.1, P & S [Br ¹⁰], Prop. [Ma ⁷]	6

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
Oxides (continued)								
$\text{Sr}_3\text{Fe}_2\text{O}_{7-x}$ cont.	T	3.892		20.054		Ga19	$x = 1$, Prop. [Ma7]	
$\text{Sr}_2\text{FeO}_3\text{F}$	T	3.84		12.98		Ga3		
$\text{Sr}_2\text{LaFeO}_4$	T	3.86		12.69		B19	Prop. [As6]	6
Sr_2CoO_4	O	3.80	5.539	12.50		B19	Prop. [Fo1, Fo3]	
La_2CoO_4	T	5.482		12.66		Ra2	Prep. [Fo1, Fo3] substitution of Sr [Sr2, Go6]	6
$\text{La}_2\text{Co}_{0.5}\text{Li}_{0.5}\text{O}_4$	T	3.77		12.58		B19	Prop. [Sr2, Go26]	6
$\text{La}_{1.5}\text{Sr}_{0.5}\text{Co}_{0.5}\text{O}_4$	T	3.82		12.58		B19	Prop. [Sr2, Go26]	6
$\text{La}_{1.5}\text{Sr}_{0.5}\text{Co}_{0.5}\text{Mg}_{0.5}\text{O}_4$	T	3.85		12.62		B19	P & S [Fo1, Fo3], Prop. [Sm34, Sm24]	6
$\text{Sr}_{1.5}\text{La}_{0.5}\text{Co}_{0.5}\text{Ti}_{0.5}\text{O}_4$	T	3.855		12.652		Ra2	Prop. [Sm34]	6
La_2NiO_4	T	3.81		12.31		Fo1	Prop. [Sm34, Sm24]	6
Pr_2NiO_4	T	3.80		12.51		B19	Prop. [Fr25, Fo1, Fo3]	6
Nd_2NiO_4	T	3.75		12.89		B19	at 420 °C, tetr. $T > 250$ °C	6
$\text{Sr}_2\text{LaNiO}_4$	T	5.36	5.41	13.17		Lo1c	Prop. [Fr25, Fo1, Fo3]	6
$\text{La}_2\text{Ni}_{0.5}\text{Li}_{0.5}\text{O}_4$	T	3.81		13.24		Lo1c	at 420 °C, tetr. $T > 250$ °C	6
La_2CuO_4	T	3.91		12.23		Fo1	P & S [Fr25]	
Pr_2CuO_4	T	3.94		12.15		Fo1	P & S [Fr25]	
Nd_2CuO_4	T	3.91		11.93		Fo1	P & S [Fr25]	
Sm_2CuO_4	T	3.91		11.92		Fo1	P & S [Fr25]	
Eu_2CuO_4	T	3.89		11.85		Fo1	P & S [Fr25]	
Gd_2CuO_4	T	3.84		12.71		B19	100 kbars, 900 °C required, P & S [Ri8b]	
$\text{Sr}_2\text{LaGaO}_4$	T	3.70		11.88		Sc18a	P & S [Sc18a]	
Ca_2GeO_4	T	3.70		13.48		Pe3	P & S [Sc18a]	
Ba_2ZrO_4	T	4.187		12.45		Pe3	P & S [Sc18a]	
Sr_2ZrO_4	T	5.801		12.09		Pe3	P & S [Sc18a]	
$\text{Sr}_3\text{Zr}_3\text{O}_7$	T	5.798	5.808	20.94		Pe3	P & S [Sc18a]	
$\text{Sr}_4\text{Zr}_3\text{O}_{10}$	O	5.795	5.814	29.34		Pe3	P & S [Sc18a]	
$\text{K}_2\text{NbO}_3\text{F}$	T	3.96		12.67		Ga2	P & S [Sc16], Prop. [Ro2a]	6
Sr_2MoO_4	T	3.92		12.84		Ba10	P & S [Sc16], Prop. [Ro2a]	6
Ba_2TcO_4	T	4.011		13.40		Ke9	P & S [Sc16], Prop. [Ro2a]	6
Sr_2TcO_4	T	3.902		12.72		Ke9	Prop. [Ca2]	6
Sr_2RuO_4	T	3.870		12.74		Ra6	Prop. [Ca2]	6
Sr_2RhO_4	T	3.85		12.90		Ra6	Prop. [Ca2]	6
$\text{Sr}_2\text{LaRhO}_4$	T	3.92		12.78		B19	Prop. [Wa2]	
Ba_2SnO_4	T	4.130		13.27		Wa8	Prop. [Wa2]	
Si_2SnO_4	T	4.037		12.53		Wa8	Prop. [Wa2]	
Ca_2SnO_4	T	4.161		13.45		Sc18a	Not K_2NiF_4 type, [We8]	
Ba_2HfO_4	T	4.089		12.52		Sc18a	Sc18a	

Compound	Sym.	<i>a</i> Å	<i>b</i> Å	<i>c</i> Å	angle	Ref.	Remarks	Magnetic Data
Oxides (continued)								
Sr_2IrU_4	T	3.89		12.92		Ra7	Prop. [R22a]	in 3.3.4, Tab. 6
Ca_2IrO_4	H	9.423		3.195		Ba5a	Not K_2NiF_4 type	
Ba_2PbO_4	T	4.296		13.30		We8	P & S [Wa2]	
A_2PbO_4	T	4.38		14.79		We8	A = Sr + Ca, not K_2NiF_4 type	
Cs_2UO_4	T	4.345		13.83		Ko11		
Rb_2UO_4	T	4.335		13.10		Ko11		
K_2UO_4	O	5.795	5.97	11.68		Ko11		
$\beta\text{-Na}_2\text{UO}_4$								

Tab. 4e: see next page

Tab. 4e. $\text{Bi}_2\text{O}_2(\text{A}_{n-1}\text{B}_n\text{O}_{3n+1})$ compounds

Compound	Sym	a Å	b Å	c Å	angle	Ref.	Remarks	Magnetic Data
Bi_2MoO_6	O	5.49	5.50	16.24				in 3.3.4, Tab.
Bi_2WO_6	O	5.49	5.50	16.24				
$\text{BaBi}_2\text{Nb}_2\text{O}_9$	O	5.533	5.533	25.55				
$\text{SrBi}_2\text{Nb}_2\text{O}_9$	O	5.504	5.504	25.05				
$\text{CaBi}_2\text{Nb}_2\text{O}_9$	O	5.435	5.485	24.87				
$\text{PbBi}_2\text{Nb}_2\text{O}_9$	O	5.492	5.503	25.53				
	T	5.535		25.72				
$\text{K}_{0.8}\text{Bi}_{2.6}\text{Nb}_2\text{O}_9$	O	5.506	5.506	25.26				
$\text{Na}_{0.5}\text{Bi}_{2.5}\text{Nb}_2\text{O}_9$	O	5.47	5.47	26.94				
$\text{BaBi}_2\text{Ta}_2\text{O}_9$	O	5.556	5.556	25.60				
$\text{SrBi}_2\text{Ta}_2\text{O}_9$	O	5.509	5.509	25.06				
$\text{CaBi}_2\text{Ta}_2\text{O}_9$	O	5.435	5.468	24.97				
	T	5.479		25.085				
$\text{PbBi}_2\text{Ta}_2\text{O}_9$	O	5.496	5.496	25.40				
$\text{Bi}_3\text{NbTiO}_9$	O	5.405	5.442	25.11				
$\text{Bi}_3\text{TaTiO}_9$	O	5.402	5.436	25.15				
$\text{BaBi}_3\text{Ti}_6\text{NbO}_{12}$	T	3.874		33.70				
$\text{PbBi}_3\text{Ti}_6\text{NbO}_{12}$	T	3.867		33.55				
$\text{Bi}_4\text{Ti}_3\text{O}_{12}$	O	5.410	5.448	32.84				
	T	5.461		41.85				
$\text{SrBi}_4\text{Ti}_4\text{O}_{15}$	T	5.428		40.95				
$\text{CaBi}_4\text{Ti}_4\text{O}_{15}$	T	5.418		40.75				
$\text{PbBi}_4\text{Ti}_4\text{O}_{15}$	T	5.437		41.35				
$\text{Bi}_5\text{Ti}_3\text{GaO}_{15}$	T	5.408		41.05				
$\text{Bi}_5\text{Ti}_3\text{FeO}_{15}$	O	5.445	5.455	41.31				
$\text{K}_{0.6}\text{Bi}_{4.6}\text{Ti}_4\text{O}_{15}$	T	5.440		41.15				
$\text{Na}_{0.6}\text{Bi}_{4.6}\text{Ti}_4\text{O}_{15}$	T	5.427		40.65				
$\text{Ba}_2\text{Bi}_4\text{Ti}_5\text{O}_{18}$	O	5.514	5.526	50.37				
$\text{Ba}_2\text{Bi}_4\text{Ti}_5\text{Fe}_2\text{O}_{18}$	O	5.490	5.500	50.185				
$\text{Sr}_2\text{Bi}_4\text{Ti}_5\text{O}_{18}$	T	5.461		48.80				
$\text{Pb}_2\text{Bi}_4\text{Ti}_5\text{O}_{18}$	T	5.461		49.70				
$\text{Ba}_3\text{Bi}_4\text{Ti}_3\text{Fe}_6\text{O}_{27}$	O	5.491	5.502	76.20				

III Figuren 871...877

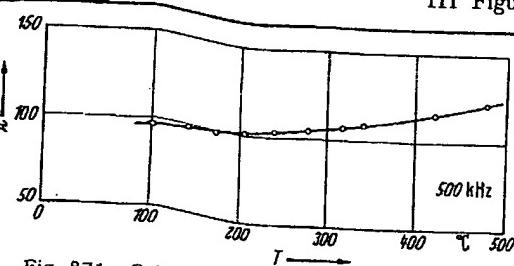


Fig. 871. $\text{CaBi}_2\text{Nb}_2\text{O}_9$ (ceramics). χ vs. T [61S11].

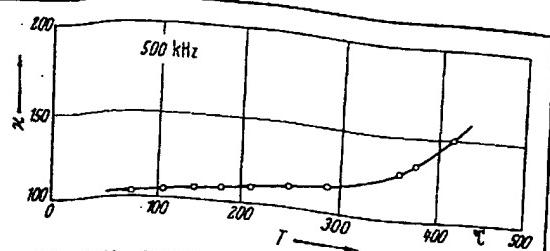


Fig. 872. $\text{CaBi}_2\text{Ta}_2\text{O}_9$ (ceramics). χ vs. T [61S11].

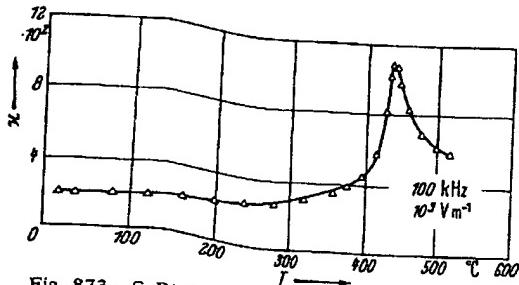


Fig. 873. $\text{SrBi}_2\text{Nb}_2\text{O}_9$ (ceramics). χ vs. T [62S17].

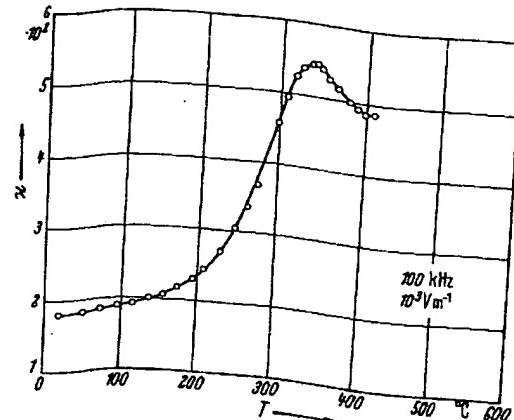


Fig. 874. $\text{SrBi}_2\text{Ta}_2\text{O}_9$ (ceramics). χ vs. T [62S17].

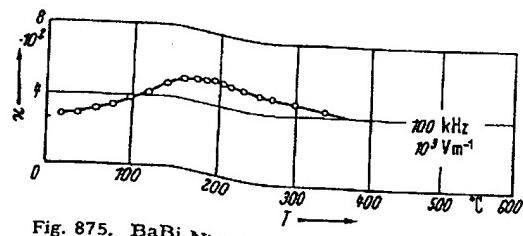


Fig. 875. $\text{BaBi}_2\text{Nb}_2\text{O}_9$ (ceramics). χ vs. T [62S17].

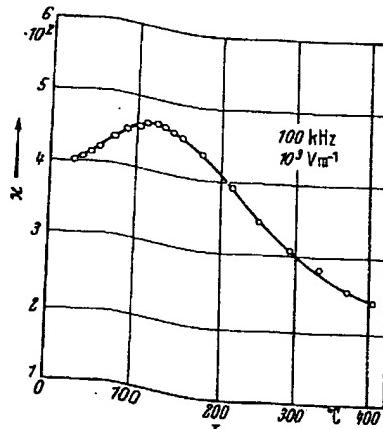


Fig. 876. $\text{BaBi}_2\text{Ta}_2\text{O}_9$ (ceramics). χ vs. T [62S17].

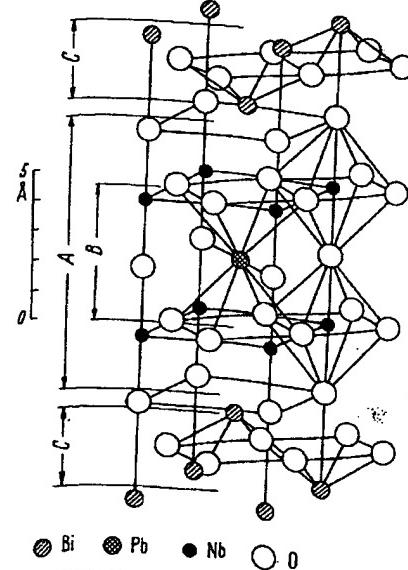
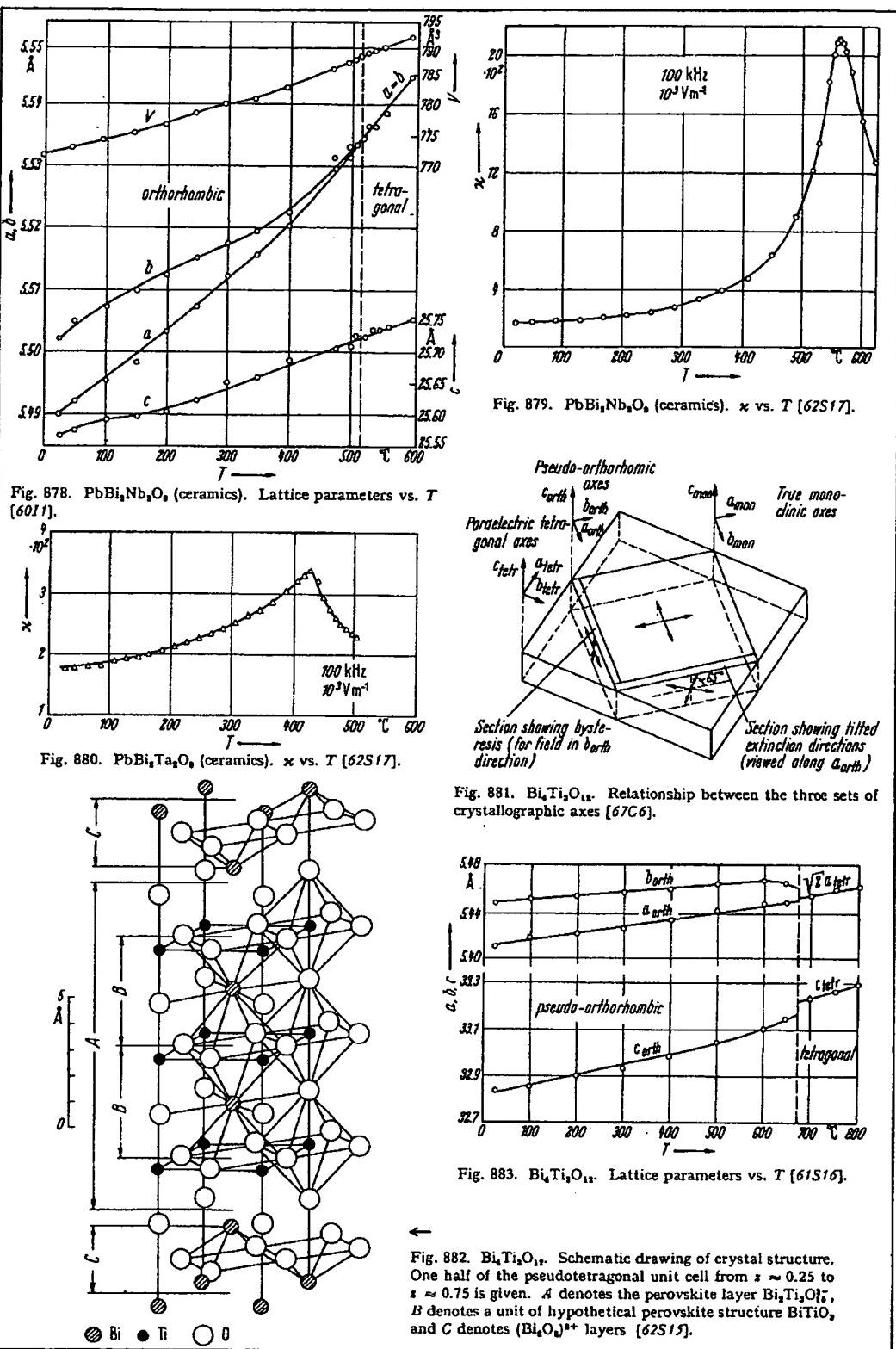


Fig. 877. $\text{PbBi}_2\text{Nb}_2\text{O}_9$. Schematic drawing of crystal structure. One half of the pseudotetragonal unit cell from $z \approx 0.25$ to $z \approx 0.75$ is given. A denotes the perovskite layer PbNb_2O_6 , B denotes a unit of hypothetical perovskite structure PbNbO_3 , and C denotes $(\text{Bi}_4\text{O}_7)^{2+}$ layers [62S15].



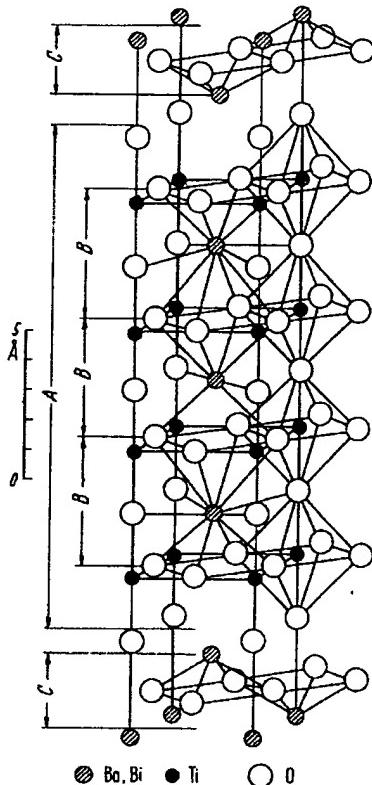


Fig. 890. $\text{BaBi}_4\text{Ti}_4\text{O}_{15}$. Schematic drawing of crystal structure. One half of the pseudotetragonal unit cell from $x \approx 0.25$ to $x \approx 0.75$ is given. *A* denotes the perovskite layer $\text{BaBi}_4\text{Ti}_4\text{O}_{15}^+$, *B* denotes a unit of hypothetical perovskite structure ($\text{Ba}, \text{Bi}\text{TiO}_3$, *C* denotes $(\text{Bi}_4\text{O}_5)^{1+}$ layers [62S15].

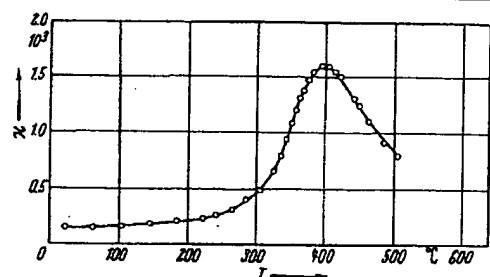


Fig. 891. $\text{BaBi}_4\text{Ti}_4\text{O}_{15}$ (ceramics). χ vs. T [61S15].

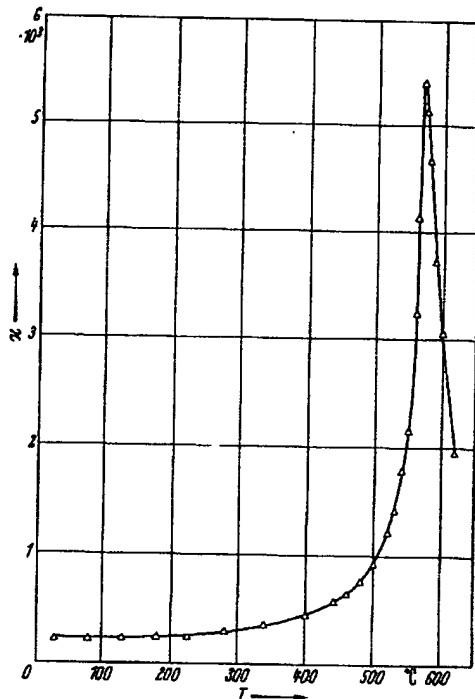


Fig. 893. $\text{PbBi}_4\text{Ti}_4\text{O}_{15}$ (ceramics). χ vs. T [61S15].

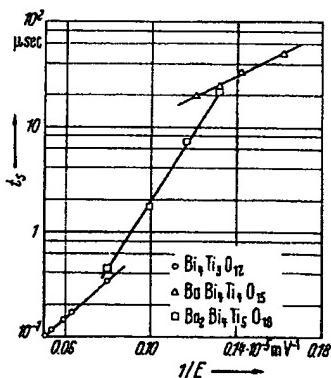


Fig. 892. $\text{BaBi}_4\text{Ti}_4\text{O}_{15}$, $\text{Ba}_2\text{Bi}_4\text{Ti}_8\text{O}_{15}$, $\text{Bi}_4\text{Ti}_3\text{O}_{12}$. t_s vs. $1/E$. [62F1]. t_s : switching time.

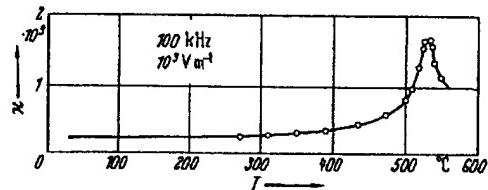


Fig. 894. $\text{SrBi}_4\text{Ti}_4\text{O}_{15}$ (ceramics). χ vs. T [62S17].

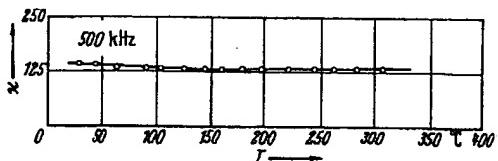


Fig. 895. $\text{CaBi}_4\text{Ti}_4\text{O}_{15}$ (ceramics). χ vs. T [61S11].

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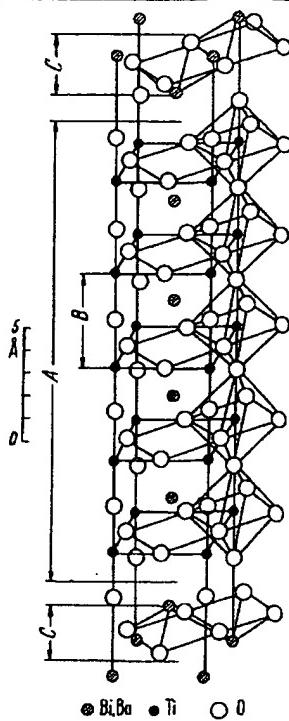


Fig. 896. $\text{Ba}_2\text{Bi}_4\text{Ti}_4\text{O}_{15}$. Schematic drawing of the crystal structure. One half of the tetragonal unit cell from $x = 0.25$ to $x = 0.75$ is given. A denotes the perovskitic layer of $\text{Ba}_2\text{Bi}_4\text{Ti}_4\text{O}_{15}$, B denotes a unit cell of the hypothetical perovskite structure $(\text{Ba}, \text{Bi})\text{TiO}_3$, and C denotes the layers of $(\text{Bi}_2\text{O}_3)^{8+}$ [62A5].

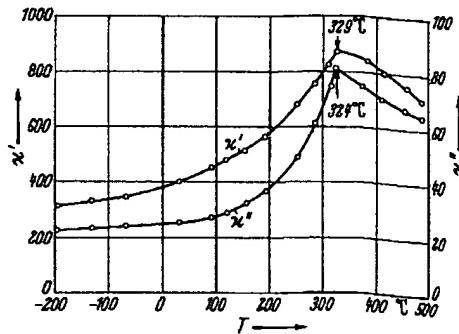


Fig. 898. $\text{Ba}_2\text{Bi}_4\text{Ti}_4\text{O}_{15}$. ξ' and ξ'' vs. T [62A5].

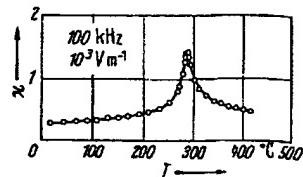


Fig. 900. $\text{Sr}_2\text{Bi}_4\text{Ti}_4\text{O}_{15}$ (ceramics). ξ vs. T [62S17].

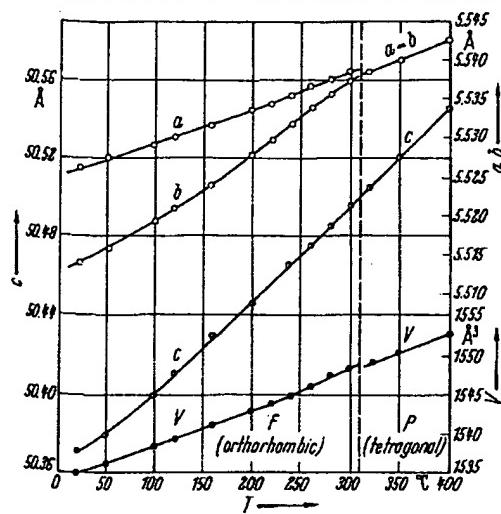


Fig. 897. $\text{Ba}_2\text{Bi}_4\text{Ti}_4\text{O}_{15}$. Lattice parameters vs. T [63I5].

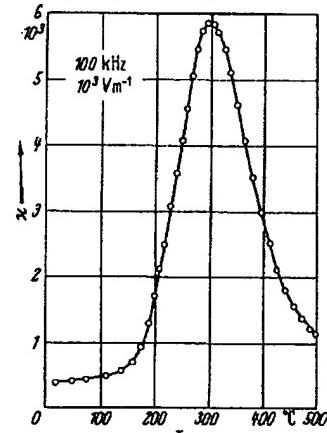


Fig. 899. $\text{Pb}_2\text{Bi}_4\text{Ti}_4\text{O}_{15}$ (ceramics). ξ vs. T [62S17].

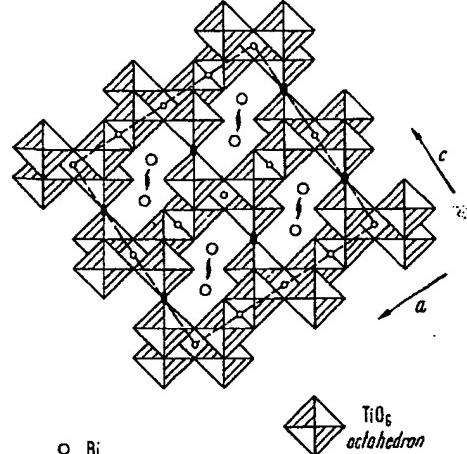


Fig. 901. $\text{Bi}_4\text{Ti}_4\text{O}_{15}$. Schematic projection of structure on $(010)_z$ [65J4].

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